## Submesoscale Dynamics and

 Parameterization:Potential Implications for Mesoscale Parameterization?

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## GLIVAR WGOMD Workshop on Ocean Mesoscale Eddies

Collaborations with: R. Ferrari, G. Boccaletti, G. Danabasoqlu, R. Hallberq, F. Bryan, J. Dennis

## Upper Ocean in Climate Models

- Large-scale ocean circulation $(100-10,000 \mathrm{~km}$, yrs->centuries) $=>$ resolved
- Submesoscale variability $(100 \mathrm{~m}-10 \mathrm{~km}, \mathrm{~d}->\mathrm{mo})=>$ ignored until recently
- Interhal waves \& Langmuir circulations (10-100m, hr $\rightarrow$ day) $=>$ crudely param.
- Turbulent mixing ( $10 \mathrm{~cm}-100 \mathrm{~m}, \mathrm{~s}->\mathrm{hr})=>$ parameterized



## The Future of Resolution



## The Future of Resolution



## The Future of Resolution



## The Future of Resolution



## The Future of Resolution



## Surface Submesoscale

## Characteristics

- Ro=O(1), Ri=O(1) (Post-Rossby adjustment after mixing events or frontogenesis).
- Frontogenesis: Capet, McWilliams et al.; Klein, Lapeyre et al.
- Eddies and Instabilities? Fox-Kemper, Ferrari et al.; Molemaker, McW. et al.
- Climate Significance: The Ocean and Atmosphere 'Talk' through the Mixed Layer, and Phytoplankton live there
- Why focus on the mixed layer? Next slides.


## Upper Ocean: Mixed Layer



The mixed layer is not TOTALLY mixed.
Fronts are common.

This weakly-stratified, fairly rapidly mixed region is active at the submesoscale...

Typical Stratification Permits
Two Types of Baroclinic Instability:

## and SubMesoscale Eddies (Boccaletti et al., 2006)



Typical Stratification Permits
Two Types of Baroclinic Instability:
and SubMesoscale Eddies (Boccaletti et al., 2006)



Density variability at larger scale than ML Def. Radius (Hosegood et al., 2006)

C) $20-\tau$


$$
\log _{10} \Psi\left(\mathrm{~kg} \mathrm{~m}^{-3}\right)^{2} \mathrm{~km}^{-2}
$$

Wavelet Scalograms of Seasoar Towyos of N. Pacific Subtropical Front.

Also, Mixed Layer Fronts are Submesoscale:
Density variability at larger scale than ML Def. Radius (Hosegood et al., 2006)


Regarding First BC mode def. radius motion: 'The Ocean has a great deal more variability than that' -C. Wunsch


Wavelet Scalograms of Seasoar Towyos of N. Pacific Subtropical Front.

Mesoscale and
SubMesoscale are Coupled Together:

ML Fronts are formed by

Straining.

Submesoscale eddies remove PE from those fronts.


# The Character of 

## the Submesoscale

(Capet et al., 2008)


Longitude

FIG. 16. Sea surface temperature measured at 1832 UTC 3 Jun 2006 off Point Conception in the
California Current from CoastWatch (http://coastwatch.pfeg.noaa.gov). The fronts between recently California Current from Coast Watch (http://coastwatch.pfeg.noaa.gov). The fronts between recently
upwelled water (i.., $15^{\circ}-16^{\circ} \mathrm{C}$ ) and offfshore water ( $\geq 17^{\circ} \mathrm{C}$ ) show submesoscale instabilities with wavelengths around 30 km (right front) or 15 km (left front). Images for 1 day earlier and 4 days later show persistence of the instability events.


## Vertical fluxes are Submesoscale and tend to restratify



Figure 1: Contours of temperature at the a) surface and b) below the mixed layer base in a simulation with both mesoscale eddies and MLEs $\left(0.2^{\circ} C\right.$ contour intervals). Shading indicates the value at the depth where $\overline{w^{\prime} b^{\prime}}$ (upper panel) and $\left|\overline{\mathbf{u}_{H}^{\prime} b^{\prime}}\right|$ (lower panel) take the largest magnitude.

## Horizontal fluxes are Mesoscale and tend to stir

## Remixing the Mixed Layer Counts!

The vertical buoyancy flux in the ML ( $\left.\left\langle w^{\prime} b^{\prime}\right\rangle\right)$

## without diurnal cycle is

 than with cycle (ML)

Temperature Section along Channel Center





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The vertical buoyancy flux in the ML ( $\left.\left\langle w^{\prime} b^{\prime}\right\rangle\right)$

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## Vertical buoyancy fluxes increase as submeso becomes resolved



- Comparison of vertical buoyancy fluxes at two different resolutions
- Fourfold enhancement of fluxes critically depends on presence of a mixed layer
- The fluxes are such as to rapidly restratify the surface mixed layer


## Known since Oschlies, `O2

## Observed:

## Strongest Mixed Layer Eddies= Spirals on the Sea?



Figure 1. A pair of interconnected spirals in the Mediterranean Sea south of Crete. This vortex pair has a clearly visible stagnation point between the two spirals, the cores of which are aligned with the preconditioning wind field. 7 October 1984.


Figure 12: Probability density function of relative vorticity divided by Coriolis parameter. Results from the numerical simulation of a slumping horizontal density front. ( $z>100$ only to exclude bottom Ekman layer.) The PDF is estimated using surface velocity measurements at day 25 (see also Fig. 11). A positive skewness appears as soon as the baroclinic instability enters in the nonlinear stage, and it continues to grow. Note that the peak at $\zeta / f=0$ is due to the model's initial resting condition; that fluid has not yet been contacted by the MLI. (b) Results from ADCP measurements in the North Pacific. The PDF is calculated in bins of width 0.02 .

Mixed Layer Eddies are predominantly cyclonic, as are obs.
(Boccaletti et al., 2007)

## Other submesoscale features... not yet parameterized.

- Front-Wind interactions \& Intrathermocline Eddies-Thomas, Thomas \& Ferrari (08)
- Meddies and other SCVs--McW. (85), Lilly et al. (03)
- Coastal Submesoscale Eddies \& Shelfbreak Front Eddies--Gawarkiewicz et al., Capet et al. (08)
- Submesoscale and Energy Cascade--Capet et al (08, pt. III)
- SQG and the Submesoscale--LaCasce, Klein, Lapeyre
- Review--Thomas, Tandon, Mahadevan (08)

First: Mixed Layer Eddy Parameterization

## A Global Parameterization of

 Mixed Layer Eddy Restratification$$
\begin{gathered}
\mathbf{\Psi}=\left[\frac{\Delta x}{L_{f}}\right] \frac{C_{e} H^{2} \mu(z)}{\sqrt{f^{2}+\tau^{-2}}} \nabla \bar{b} \times \hat{\mathbf{z}} \\
\mu(z)=\left[1-\left(\frac{2 z}{H}+1\right)^{2}\right]\left[1+\frac{5}{21}\left(\frac{2 z}{H}+1\right)^{2}\right]
\end{gathered}
$$

Which parameterizes eddy-induced velocity and buoyancy fluxes


Where does this parameterization come from, and what can be applied to the mesoscale?

## Prototype: Mixed Layer Front Adjustment



Note: initial geostrophic adjustment overwhelmed by eddy restratification: Ri>1 is our focus

## Overturning Schematic:

 An Eady-like Problem

Horizontal scale of overturning = scale of front Vertical structure of overturning = ?

## The Scaling of MLIs

Mixed Layer Eddies (MLEs) begin as ageostrophic baroclinic instability of a front in the Mixed Layer: the Mixed Layer Instability (MLI)

MLI=infinitesimal
MLE=finite amplitude

$$
L_{s}=\frac{2 \pi U}{|f|} \sqrt{\frac{1+R i}{5 / 2}} \approx 5.6 \frac{N H}{|f|}
$$

$$
\begin{aligned}
& \tau_{s}=\sqrt{\frac{54}{5}} \frac{\sqrt{1+R i}}{|f|} \approx \frac{4.6}{|f|} \\
& \text { (Fastest growing modes of Stone 66, 70, 72) }
\end{aligned}
$$

See Boccaletti et al 07, Fox-Kemper et al 08 \& Hosegood et al 06

## - MLI selected by Eady edge wave interaction



## Eady,

 SQG-like $P V=0=f-\left(k^{2}+l^{2}\right) \Psi+\frac{\partial}{\partial z} \frac{f^{2}}{N^{2}} \frac{\partial \Psi}{\partial z}$ Problem:Vertical decay scale set by horizontal length-scale, Growing lengthscale matches edge wave phase.

Parameterization of MLEs: Ingredients


## Parameterization of MLEs: Ingredients



## Eddies at Finite

## Amplitude

Restratification occurs with * finite* MLEs

## Parameterization of MLEs: Ingredients



Restratification occurs with *finite* MLEs

## Parameterization of MLEs: Ingredients



Eddies at Finite Amplitude
Restratification occurs with * finite* MLEs

Power Spectrum of KE

## Parameterization of MLEs: Ingredients



## Parameterization of MLEs: Ingredients



## Parameterization of MLEs: Ingredients



Inverse Cascade => Different Scaling from Linear Instability

## The Scaling of MLEs

MLEs form from MLIs, but scale differently due to this inverse cascade.


- Advective, not instability, Timescale
- Saturated, not exponentially growing, EKE
- Inverse Cascade, not unstable lengthscale

See Fox-Kemper et al 08

## Scaling of MLEs: Ingredients



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## Scaling of MLEs: Ingredients






## Magnitude Analysis: Vert. Fluxes

Extraction of potential energy by submesoscale eddies:

$$
-\langle w b\rangle=\frac{\partial\langle P E\rangle}{\partial t} \approx \frac{\Delta P E}{\Delta t} \propto \frac{\Delta z \Delta b}{\Delta t}
$$

$$
\langle w b\rangle \propto \frac{-\Delta z \Delta b}{\Delta t}
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$$
\langle w b\rangle \propto \frac{\Delta z \Delta y \frac{\partial \bar{b}}{\partial v}}{\Delta t}
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$$
\langle w b\rangle \propto \frac{\Delta z \Delta y \frac{\partial \bar{b}}{\partial y}}{\Delta y / V}
$$

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Time scale is turnover time from mean thermal wind:


$$
\langle w b\rangle \propto \frac{\Delta z H}{|f|}\left[\frac{\partial \bar{b}}{\partial y}\right]^{2}
$$

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Vertical scale known: $\Delta z \propto H$


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$$
\langle w b\rangle \propto \frac{H^{2}}{|f|}\left[\frac{\partial \bar{b}}{\partial y}\right]^{2}
$$

- MLE halted by vertical constraint and fluxes along isopyenal slope


Still Eady or SQG-like problem, but horiz. scale linked to vertical scale by PE extraction slope;

Vertical scale limited by ML depth.


Linear Solution $\left\langle w^{\prime} b^{\prime}\right\rangle$ Shape for vertical structure. As in Branscome '83... MLE are trapped within the Mixed Layer!


Stone Solution $\mu(z)=\left[1-\left(\frac{2 z}{H}+1\right)^{2}\right]\left[1+\frac{5}{21}\left(\frac{2 z}{H}+1\right)^{2}\right]$
to $O\left(\mathrm{Ro}^{2}\right)$

## The Parameterization:

$\Psi=\frac{C_{e} H^{2} \mu(z)}{|f|} \nabla \bar{b} \times \hat{\mathbf{z}}$

$$
\mu(z)=\left[1-\left(\frac{2 z}{H}+1\right)^{2}\right]\left[1+\frac{5}{21}\left(\frac{2 z}{H}+1\right)^{2}\right]
$$

- The horizontal fluxes are downgradient:

$$
\overline{\overline{\mathbf{u}_{\mathrm{H}}^{\prime} b^{\prime}}}=-\frac{C_{e} H^{2} \mu(z) \frac{\partial \bar{b}}{\partial z}}{|f|} \nabla_{H} \bar{b}
$$

- Vertical fluxes always upward to restratify with correct extraction rate of potential energy:

$$
\overline{w^{\prime} b^{\prime}}=\frac{C_{e} H^{2} \mu(z)}{|f|}|\nabla \bar{b}|^{2}
$$

- Just like it has to be... at least according to Peter $G$.


## It works for Prototype front slumping

Red: No Diurnal


Blue: With Diurnal

$>2$ orders of
Circles: Balanced Initial Cond.
Squares: Unbalanced Initial Cond.

## Better than the Competition:



Extends over
Ri more mesoscale (9000)
than submesoscale
(1)

## Better than the Competition:



Green equals
Visbeck (97)
Held \& Larichev (95)

Extends over
Ri more mesoscale (9000)
than
submesoscale
(1)

And Agrees with Deep Convection Studies: Jones \& Marshall $(93,97)$, Haine \& Marshall (98)

## What does it look like?

2d, Coarse Parameterization
7d01h from 2d parameterization


3d, Submeso-Resolving
7d01h from 3d MITgcm (smoothed)


Comparing $\mathrm{N}^{2}$


## The Global Parameterization:

$$
\begin{gathered}
\Psi=\frac{C_{e} H^{2} \mu(z)}{|f|} \nabla \bar{b} \times \hat{\mathbf{z}} \\
\mu(z)=\left[1-\left(\frac{2 z}{H}+1\right)^{2}\right]\left[1+\frac{5}{21}\left(\frac{2 z}{H}+1\right)^{2}\right]
\end{gathered}
$$

At equator, go frictional! to (Young 94)

$$
\Psi=\frac{C_{e} H^{2} \mu(z)}{\sqrt{f^{2}+\tau^{-2}}} \nabla \bar{b} \times \hat{\mathbf{z}}
$$

Account for coarse res. by scaleup

$$
E_{b}(k) \sim k^{-2} \rightarrow \mathbf{\Psi}=\left[\frac{\Delta x}{L_{f}}\right] \frac{C_{e} H^{2} \mu(z)}{\sqrt{f^{2}+\tau^{-2}}} \nabla \bar{b} \times \hat{\mathbf{z}}
$$

Obs. reveal (Hosegood et al., 2006): $L_{f} \sim R_{d}$

## A Global Parameterization of

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Which parameterizes eddy-induced velocity and buoyancy fluxes


## Improves Restratification after Deep Convection

Note: param. reproduces Haine\&Marshall $(98)$ and Jones\&Marshall $(93,97)$

## \& generally shallower boundary layers



GFDL CM2. 2.1 MOM


100

CCSMIPOP $h_{b}$ Control-Submeso (m) JAN


NCAR CCSM/POP

MLE-Control:Climatologies at end of $>100 \mathrm{yr}$ simulation

## Improves Restratification after Deep Convection

Note: param. reproduces Haine\&Marshall $(98)$ and Jones\&Marshall $(93,97)$

## \& generally shallower mixed layers

(nonzonal structure as in obs: Rintoul)

GFDL CM2. $1 / \mathrm{MOM}$
CM2.1 $\mathrm{MOM} \mathrm{h}_{\mathrm{ml}}$ Control-Submeso (m) JAN


CCSMIPOP $h_{m l}$ Control-Submeso (m) JAN


NCAR Normal Year/POP
NCAR CCSM/POP
MLE-Control:Climatologies at end of $>100 \mathrm{yr}$ simulation

## Bias Reduction in POP Mixed Layer Depth



RMS error: 16 m reduced to 8m Skewness: 2.4
reduced to 0.6

Fox-Kemper, Danabasoglu, Ferrari, Hallberg '08.

## Changes other variables we care about...

Sfc Heat Flux
CM2.1MOM Sfc Heat Flux Control-Submeso ( $\mathrm{W} / \mathrm{m}^{2}$ ) JAN


Sea Ice Melting
CCSMIPOP Melt Control-Submeso ( $\mathrm{kg}_{\mathrm{g}} / \mathrm{m}^{2} / \mathrm{day}$ ) JAN


CM2.1/MOM Sfc CFC Flux (mollm² ${ }^{2}$ s) Control-Submeso (mollm ${ }^{2} / \mathrm{s}$ ) JAN


CFC-11 Flux (cf outgassing: Rintoul)

MLE-Control:Climatologies at end of $>100 \mathrm{yr}$ simulation

## Changes other variables we care about...

Avg. Ideal Age 4 yrs older at 500 m with MLE (up to $30 \%$ )
(as big as coarse vs 10km, Frank)

MOC 10\% greater with MLE


MLE-Control:Climatologies at end of $>100 \mathrm{yr}$ simulation

## MLE Parameterization Conclusions

- A restratification parameterization based on nonlinear Mixed Layer Eddies has been formulated
- It outperforms other scalings in prototype simulations, and new evidence shows that it applies in more general settings including wind (Capet 08, Mahadevan et al. 09)
- It has now been implemented in a number of global models--producing nontrivial improvements of mixed layer properties


# Mesoscale Implications? Mesoscale Connections? 

( MLE parameterization blends naturally with GM, etc.: Just add together the streamfunctions

- But, shouldn't we be able to provide a similar scaling for Mesoscale GM coefficient, a la Visbeck?
- After all, MLE are quasibalanced, and scaling works up to at least $\mathrm{Ri}=9000$
- But, the real difficulty is illustrated by cases where the surface MLEs become subsurface SCVs...

An Example of MLE Becomes Subsurface SCV: Hurricane Wake Recovery


## An Example of MLE Becomes Subsurface SCV: Hurricane Wake Recovery

## MLE <br> Param.

Od03h from 2d parameterization


Od03h from 3d MITgem (smoothed)

3d Model, (no wind or solar)


An Example of MLE Becomes Subsurface SCV: Deep Convection (vs. Jones \& Marshall '97)


Param gives same scaling, but...


Jones \& Marshall 97

An Example of MLE Becomes Subsurface SCV: Deep Convection (vs. Jones \& Marshall '97)

Od02h from 2d parameterization



Jones \& Marshall 97

## The Problem is:

## The mesoscale equivalent isn't rEady

. Clearly, MLE parameterization is challenged by situations where medium-sized interior PV grads; Big PV grads are equivalent to rigid surfaces and are OK, just medium-sized fail.
(2) Smith (07) shows Phillips-type (interior PV grads) dominate the energy extraction

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## What to do?

## Parameterization Challenge Suite

- The needed stratification, shear, strain, etc. are in the global model Frank presented
(2) Will extract 'typical' eddy configurations by EOF or SOM
(2) Will simulate individually: O(2000) simulations
- Global run analog of mesoscale-submesoscale channel;
(3) Parameterization suite $\rightarrow$ Analog of protype sim here

