

Ocean physics from 4m to 400km: Parameterizations and biases

Baylor Fox-Kemper (CU-Boulder & CIRES)

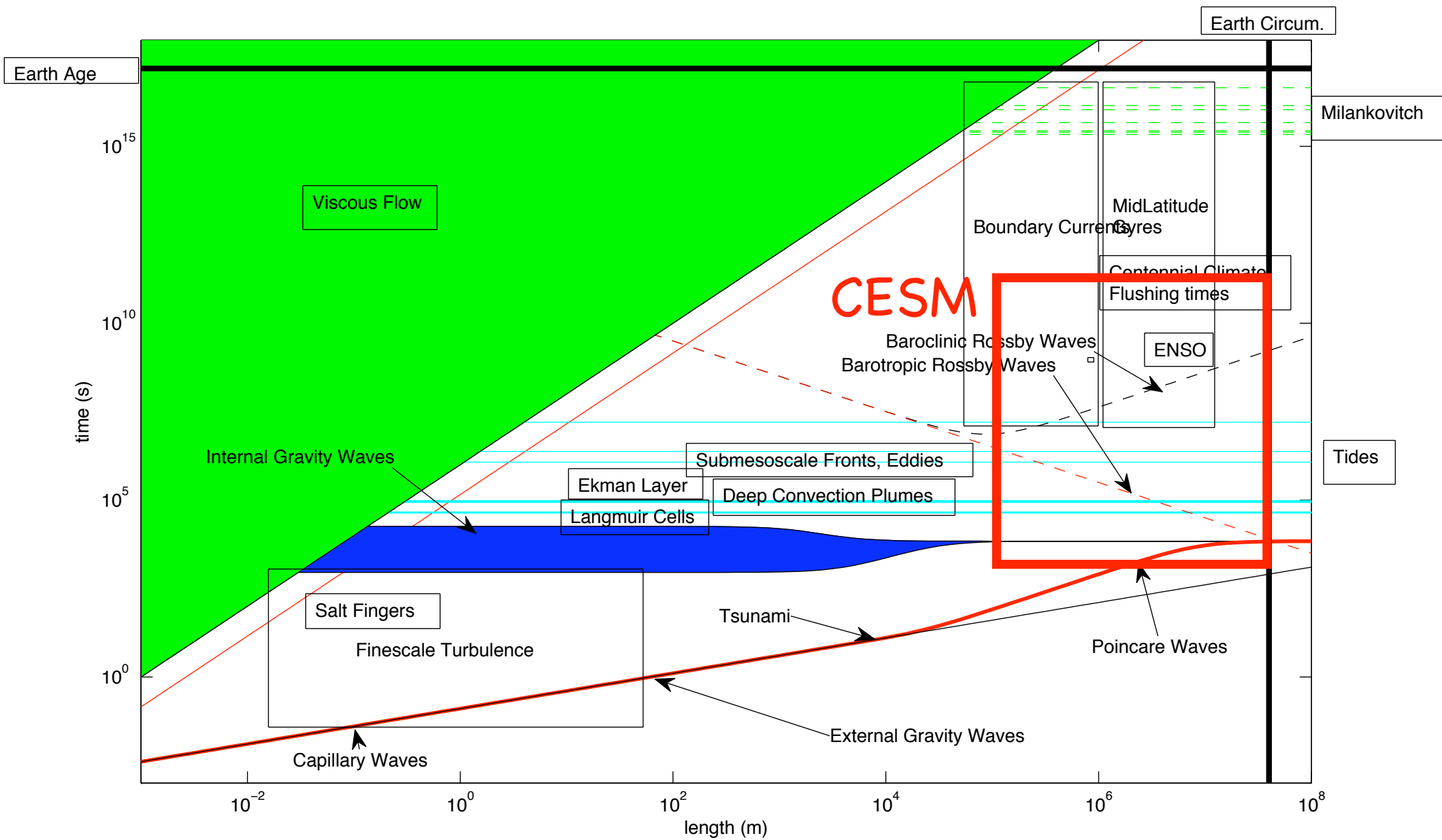
with Luke Van Roekel (CIRES), Peter Hamlington (CU),

Scott Bachman (CIRES/ATOC), Sean Haney (CIRES/ATOC), Katie McCaffrey (CIRES/ATOC),
Adrean Webb (CIRES/APPM), Andrew Margolin (CU/CHEM), Ian Grooms (CU/APPM), Sam Stevenson (IPRC)
Keith Julien, Raf Ferrari, NCAR Oceanography Section, Peter Sullivan

NCAR CGD Seminar, 3/6/12, 15:30–16:30

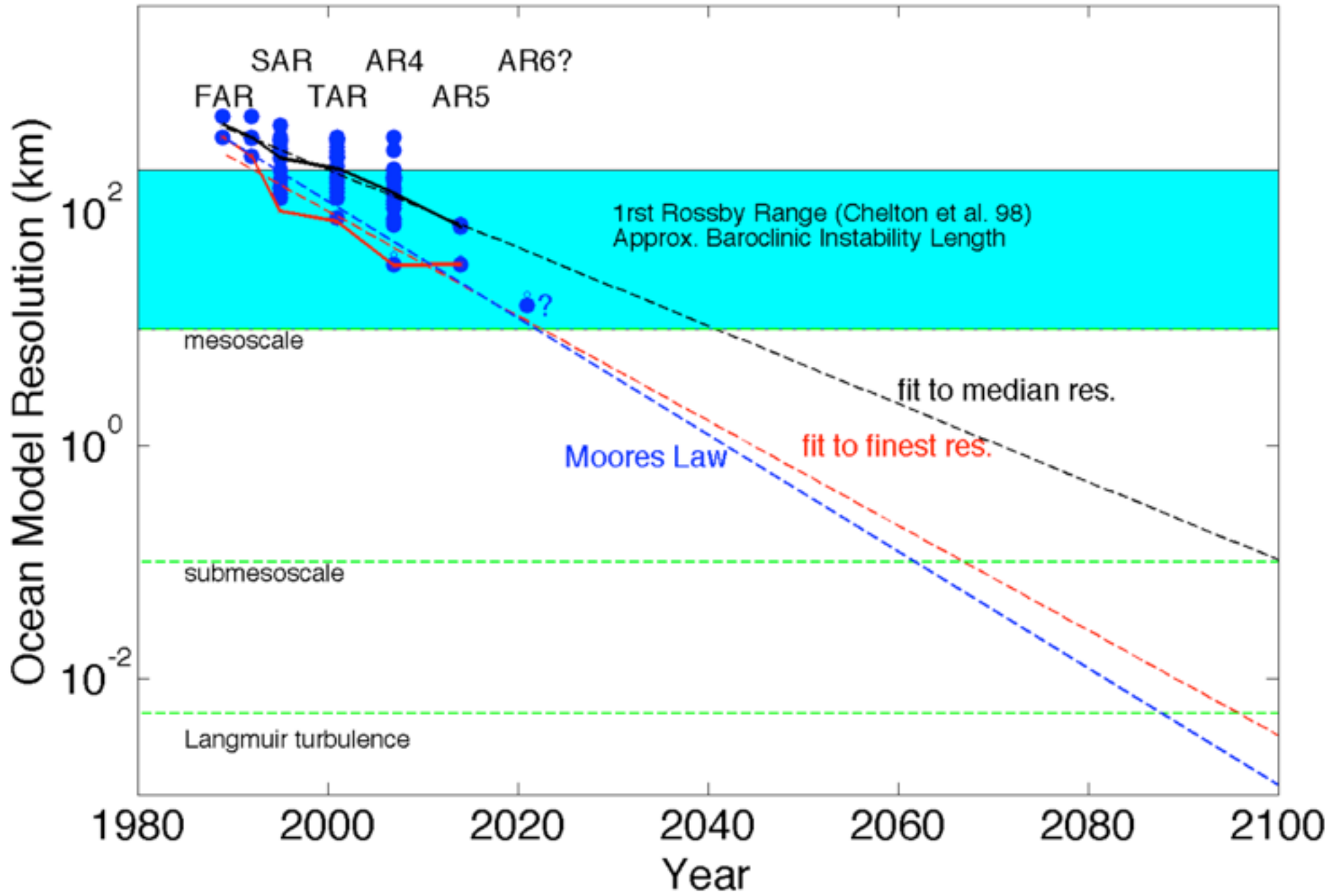
Sponsors: NSF, NASA, CIRES, CU, UCAR

The Ocean is Vast and Diverse

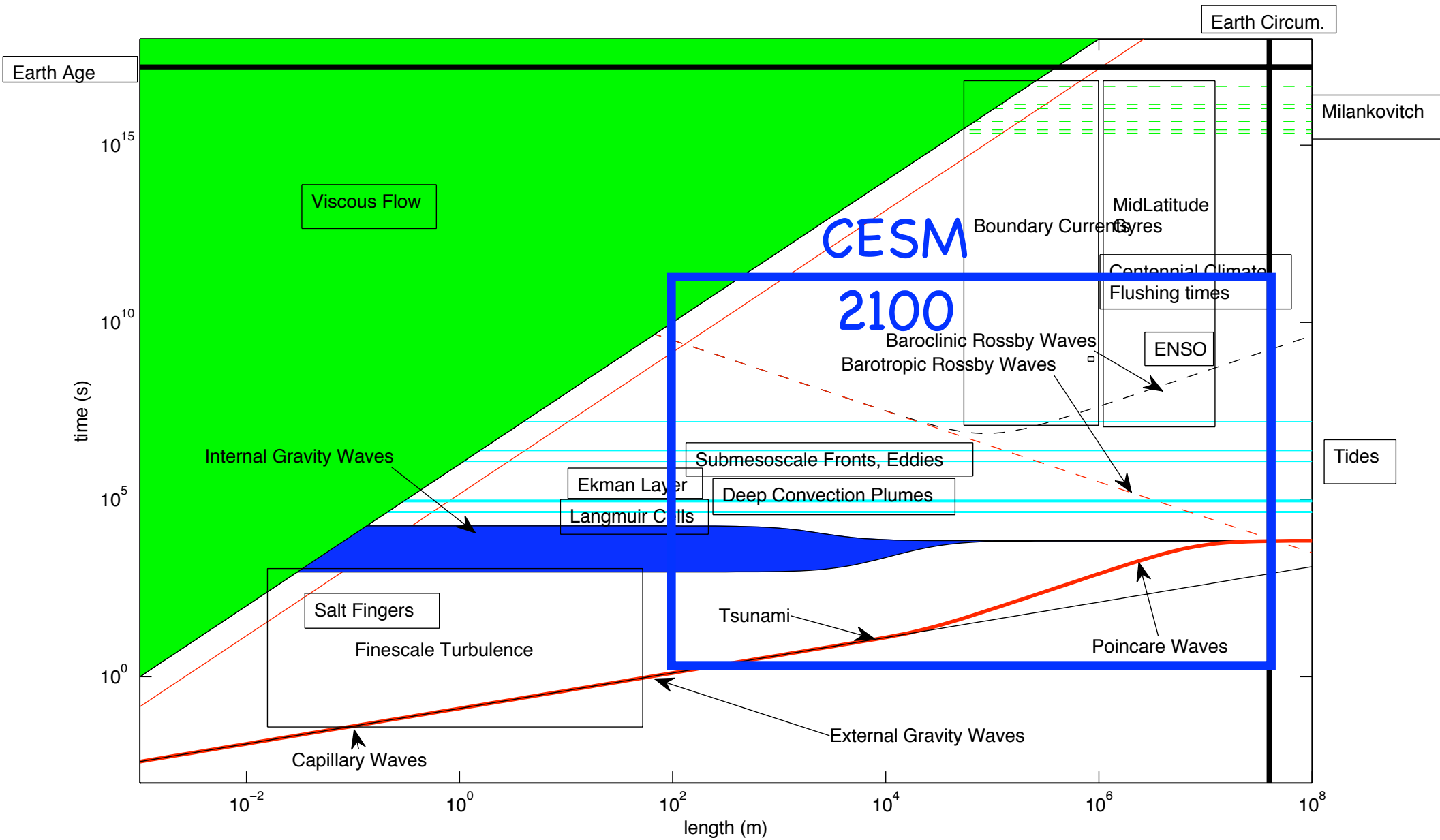


Forecast--Where to go?

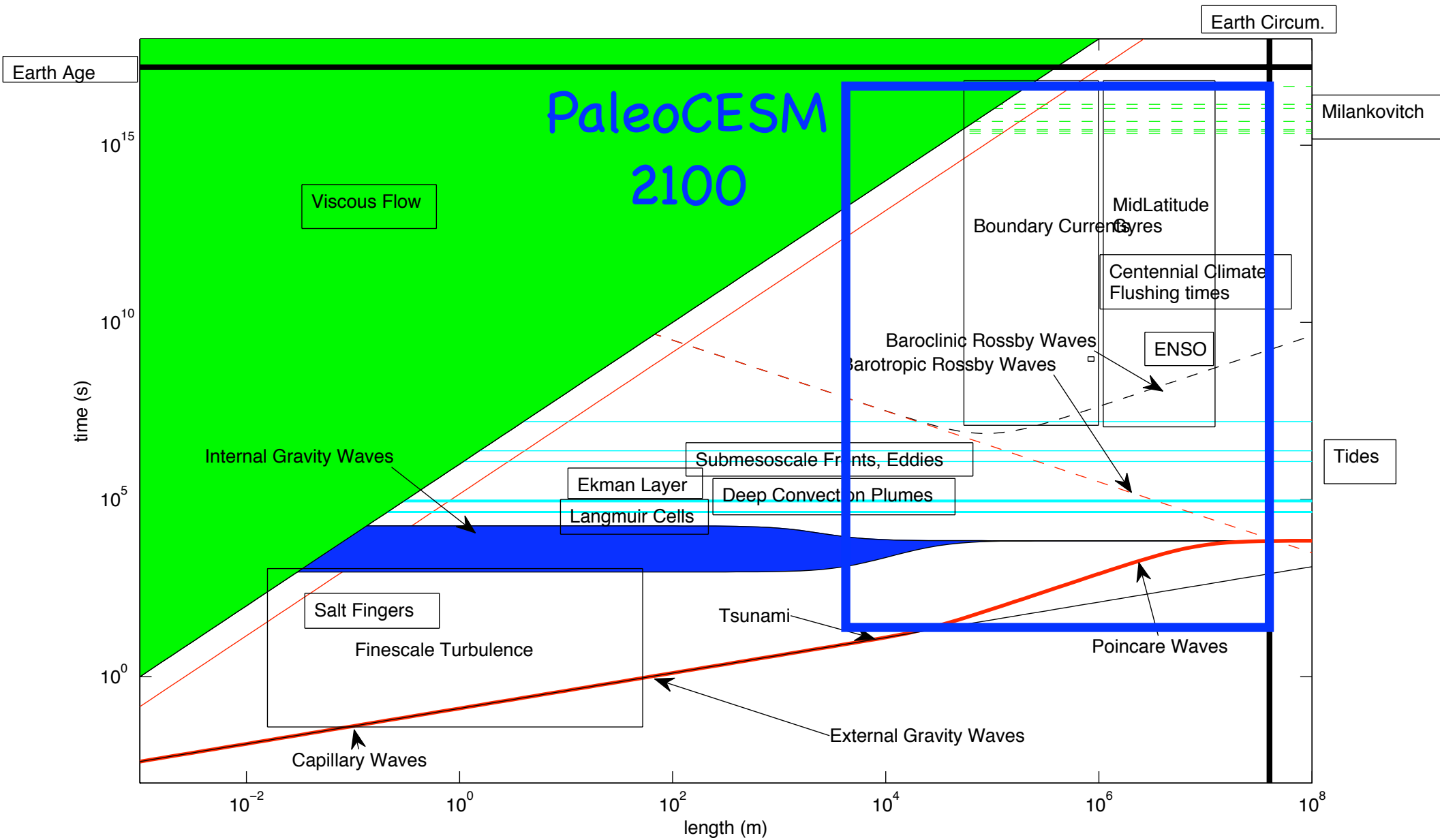
Resolution of Ocean Component of Coupled IPCC models



The Ocean is Vast and Diverse



The Ocean is Vast and Diverse



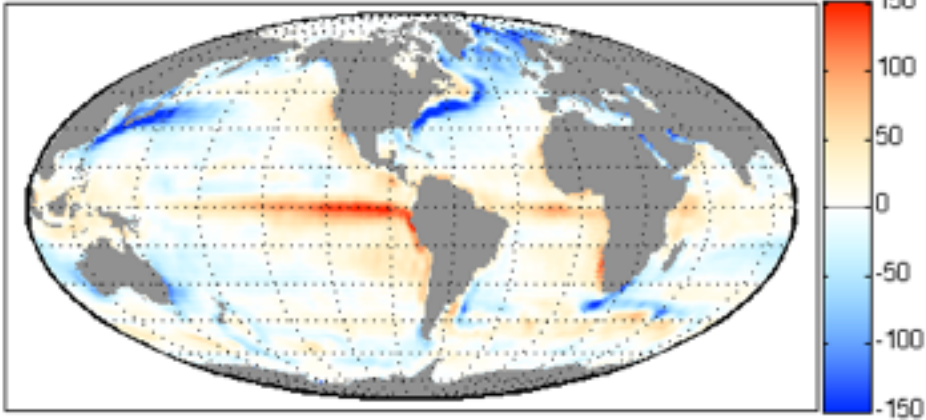
So, resolution isn't a quick fix...

- What regions matter for climate?
- What regions are biased?
- What timescales matter for climate?
- What timescales are erroneous?

- What do we know how to parameterize?
- What will we soon resolve?

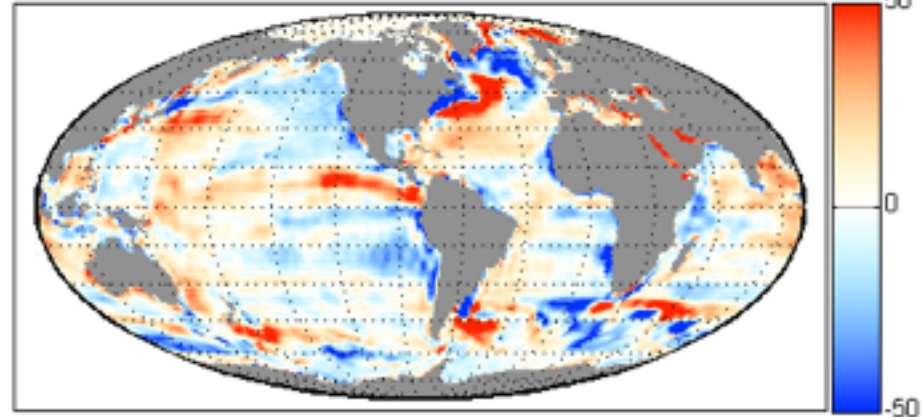
Not just abstract--Errors vs. Large & Yeager (04, Data)

Mean of 1986-2005 CORE Q_{es} (W/m^2)

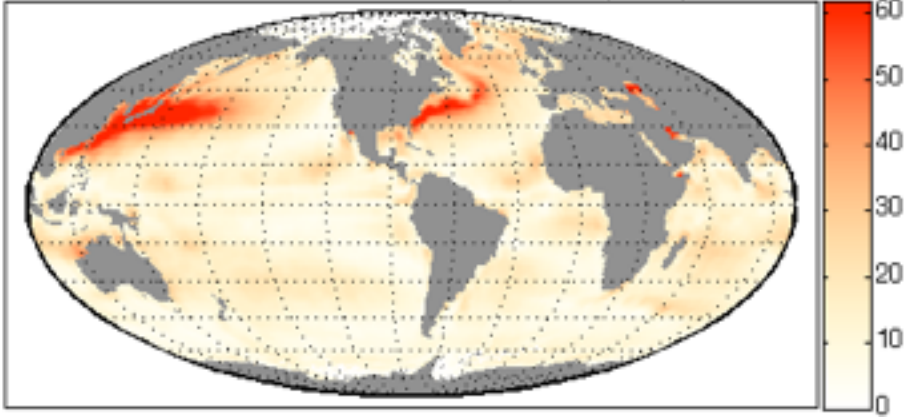


Mean

1986-2005 CCSM4-CORE Q_{es} bias, mean:1.5, rms:23 (W/m^2)

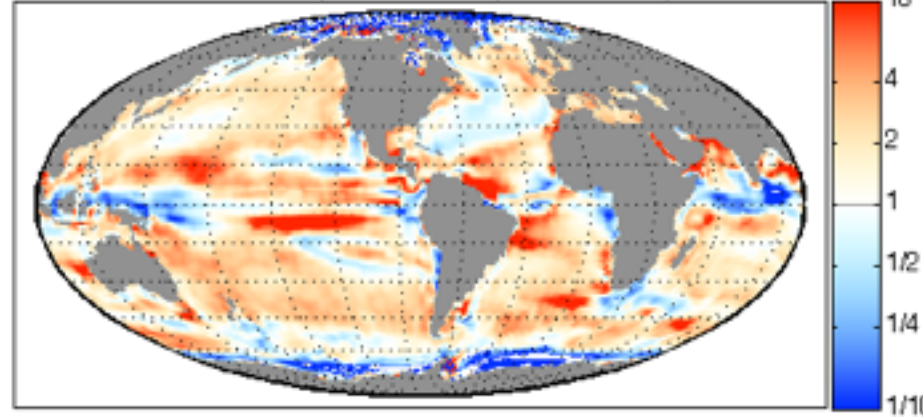


St. Dev. of CORE annual evaporation (W/m^2)

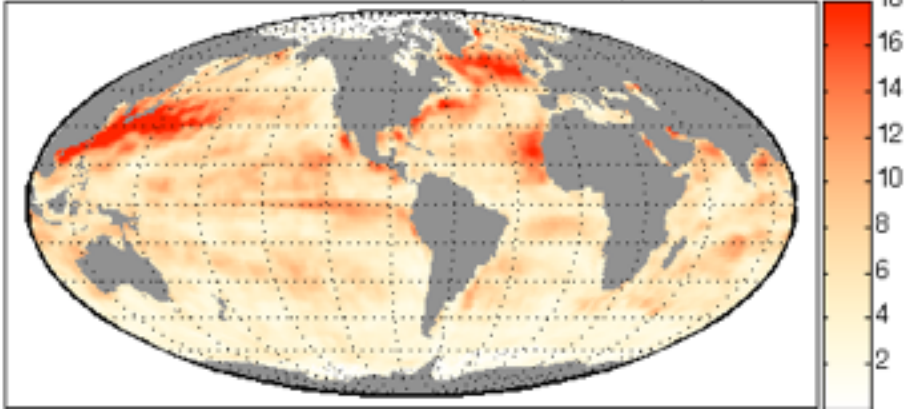


Annual
9-15mo

Variance ratio (CCSM4/CORE) of annual evaporation

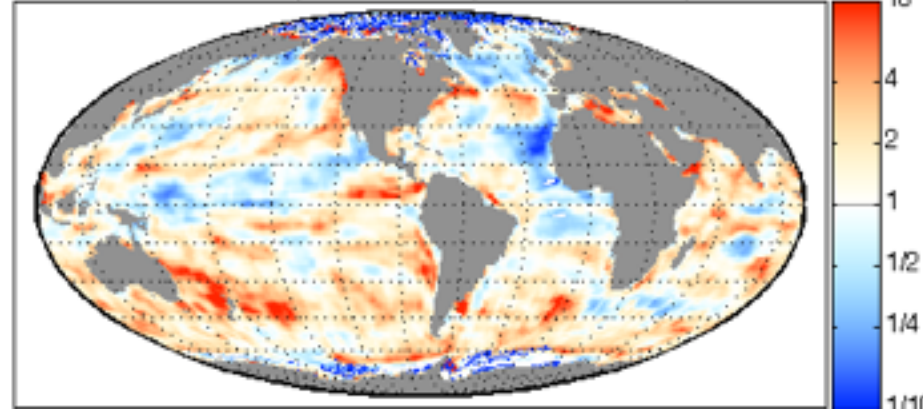


St. Dev. of CORE interannual evaporation (W/m^2)



Interannual
2-7yr

Variance ratio (CCSM4/CORE) of interannual evaporation



Biases and Variance Errors

- Mean Biases are familiar: WBC, Upwelling, Deep Convection, ITCZ
- Annual errors are *larger & more significant* than interannual
- Annual=Fast=Mixed Layer; Global extent!
- Continental vs. Maritime

S. C. Bates, B. Fox-Kemper, S. R. Jayne, W. G. Large, S. Stevenson, and S. G. Yeager. Mean biases, variability, and trends in air-sea fluxes and SST in the CCSM4. *Journal of Climate*, 2012. Submitted.

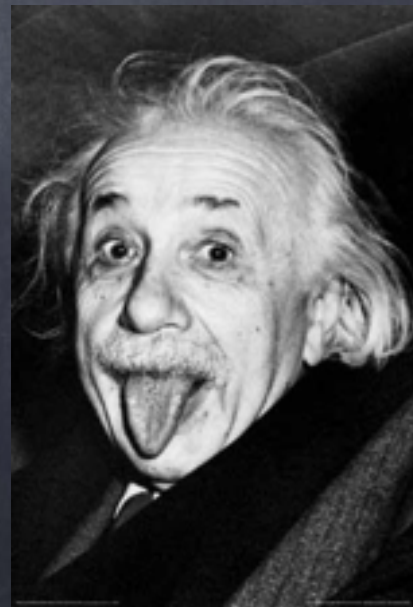
Results

- Biases in climate model on annual to interannual timescales can be attributed (partly) to
 - Submesoscale mixed layer eddy restratification
 - Langmuir turbulence mixing
 - Mesoscale eddy mixing
- We have been improving parameterizations
- But much work remains--observational and paleo data validation is still crucial, but not yet accurate or sufficient...

Parameterizations

- Anyone who doesn't take truth seriously in small matters cannot be trusted in large ones either.

- --Albert Einstein



Different Uses, Different Needs

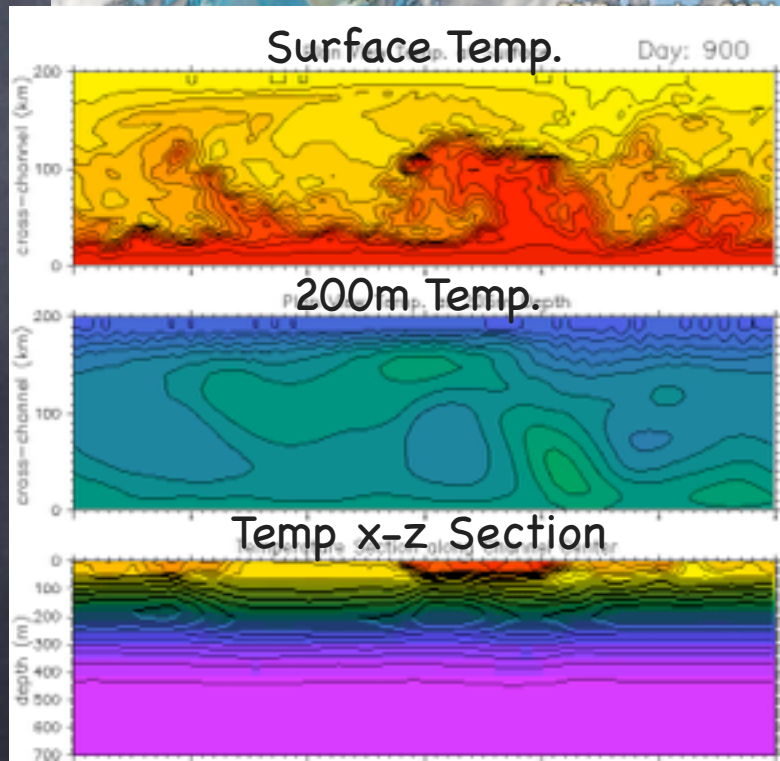
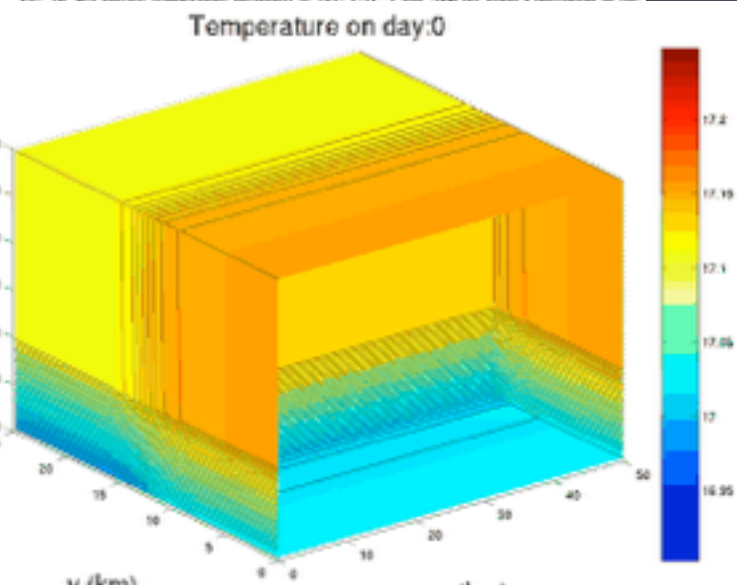
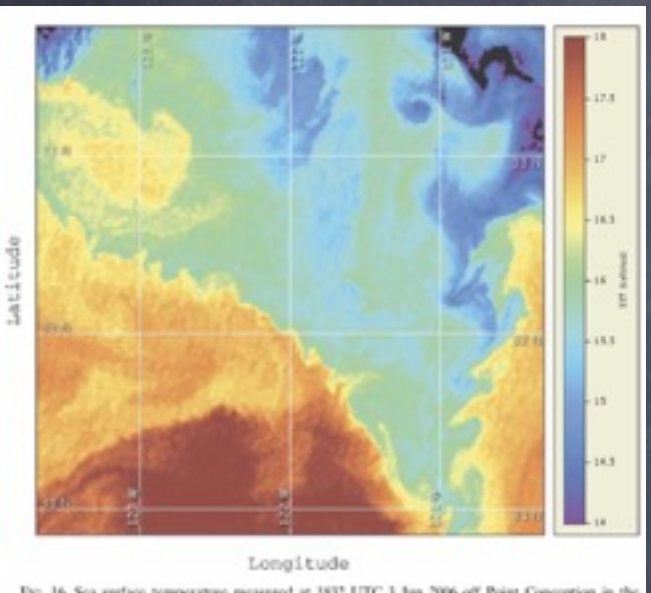
- **MORANS** (e.g., CESM; >50km)
- Mesoscale Ocean Reynolds-Averaged Navier-Stokes
- No small-scale instabilities resolved, all instabilities to be parameterized
- **MOLES = SMORANS** (e.g., grid 5–50km)
- Mesoscale Ocean Large Eddy Simulation
- Submesoscale Ocean Reynolds-Averaged Navier-Stokes
- Same Resolution, Different Parameterizations!
- **SMOLES = BLORANS** (e.g., grid 100m–1km)
- Submesoscale Ocean Reynolds-Averaged Navier-Stokes
- Boundary Layer Ocean Reynolds-Averaged Navier-Stokes
- **BLOLES** (e.g., grid 1–5m)
- Boundary Layer Ocean Large Eddy Simulation

10 km

The Character of the Submesoscale

(Capet et al., 2008)

- Fronts
- Eddies
- $Ro=O(1)$
- $Ri=O(1)$
- near-surface
- 1-10km, days



Eddy processes often
 baroclinic instability
 (Boccaletti et al '07,
 Haine & Marshall '98).

Mixed Layer Eddy Restratification

Estimating eddy buoyancy/density fluxes:

$$\overline{\mathbf{u}'b'} \equiv \Psi \times \nabla \bar{b}$$

A submeso eddy-induced overturning:

$$\Psi = \frac{C_e H^2 \mu(z)}{|f|} \nabla \bar{b} \times \hat{\mathbf{z}}$$

in ML only:

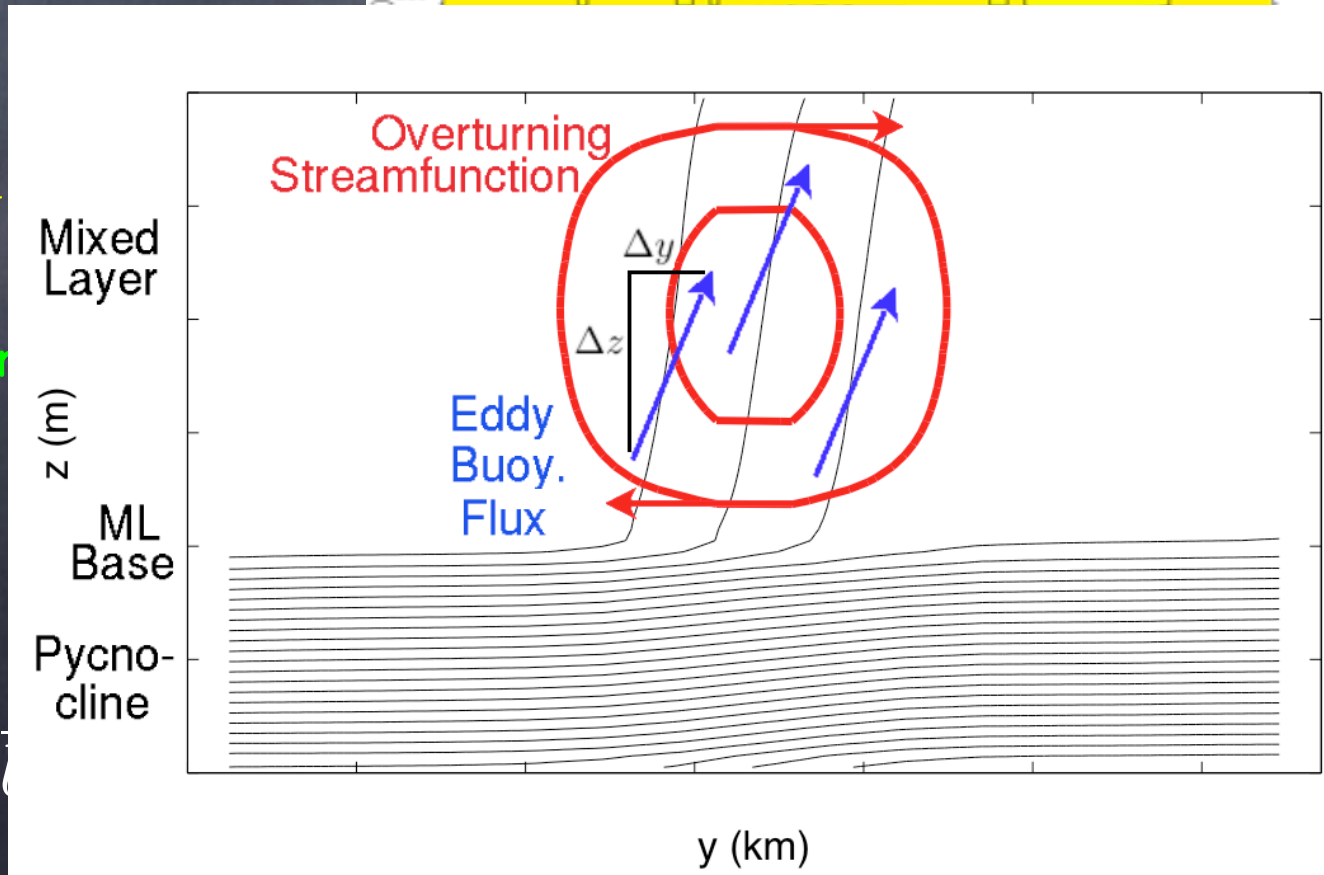
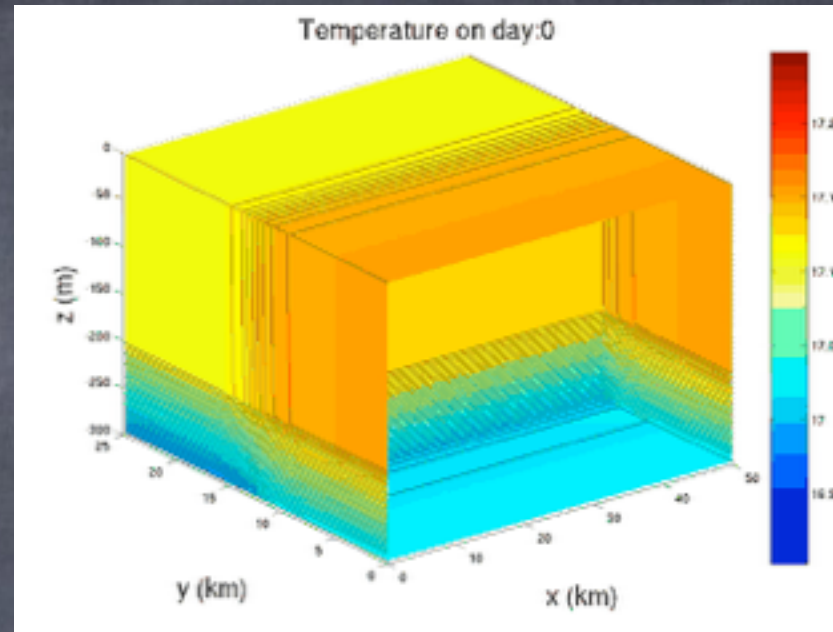
$$\mu(z) = 0 \text{ if } z < -H$$

For a consistently restratifying

$$\overline{w'b'} \propto \frac{H^2}{|f|} |\nabla_H \bar{b}|^2$$

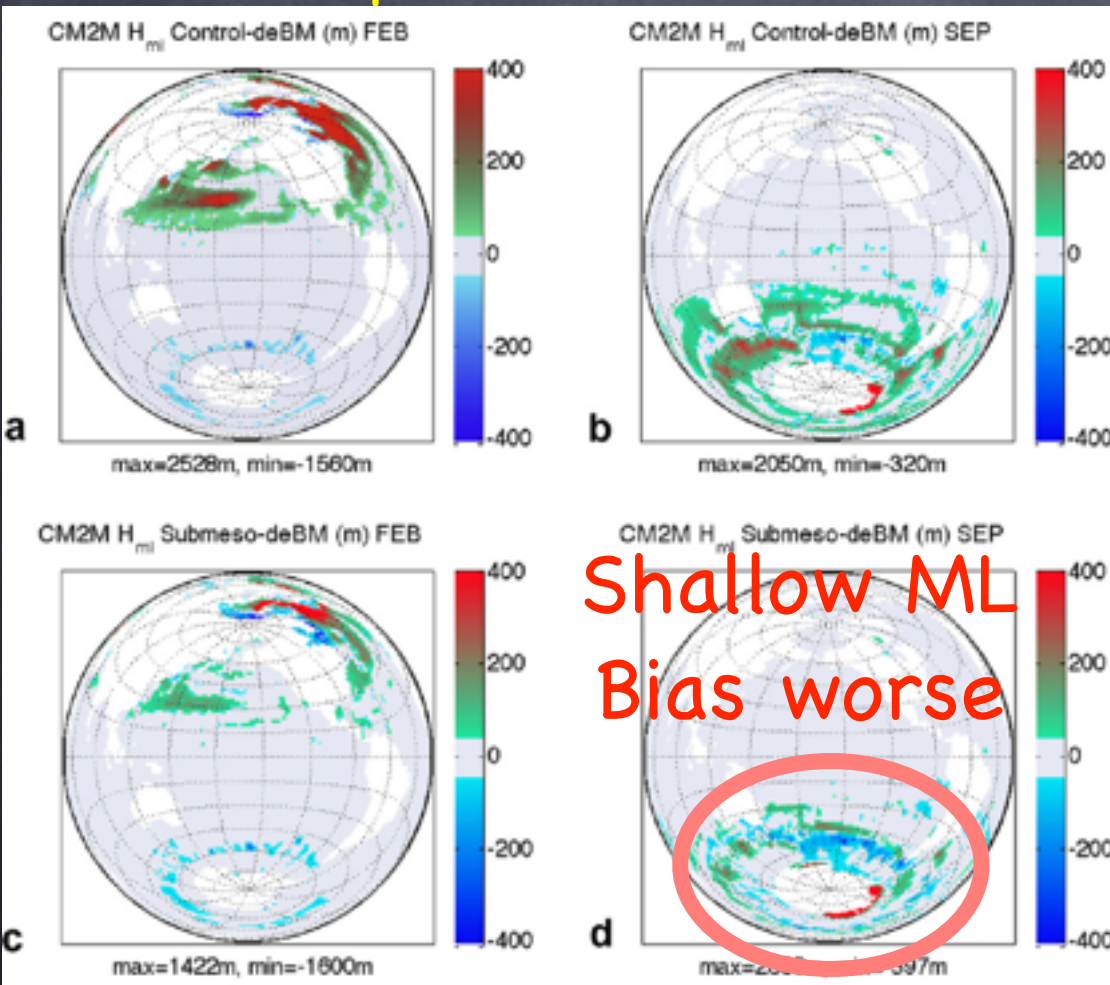
and horizontally downgradient

$$\overline{\mathbf{u}'_H b'} \propto \frac{-H^2 \frac{\partial \bar{b}}{\partial z}}{|f|} \nabla_H \bar{b}$$



Physical Sensitivity of Ocean Climate to Submesoscale Eddy Restratification:

MLE implemented in CCSM (NCAR), CM2M & CM2G (GFDL)



Shallow ML
Bias worse

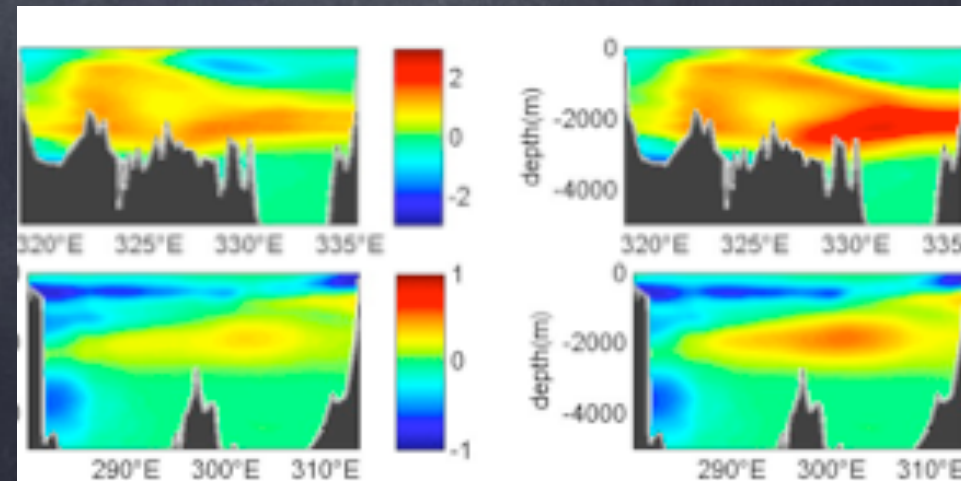
Bias
w/o
MLE

NO RETUNING
NEEDED!!!

Improves CFCs
(water masses)

Bias with MLE

Bias w/o MLE



Deep ML Bias reduced

B. Fox-Kemper, G. Danabasoglu, R. Ferrari, S. M. Griffies, R. W. Hallberg, M. M. Holland, M. E. Maltrud, S. Peacock, and B. L. Samuels.

Parameterization of mixed layer eddies. III: Implementation and impact in global ocean climate simulations. *Ocean Modelling*, 39:61-78, 2011.

Sensitivity of Climate to Submeso: AMOC & Cryosphere Impacts

May Stabilize AMOC

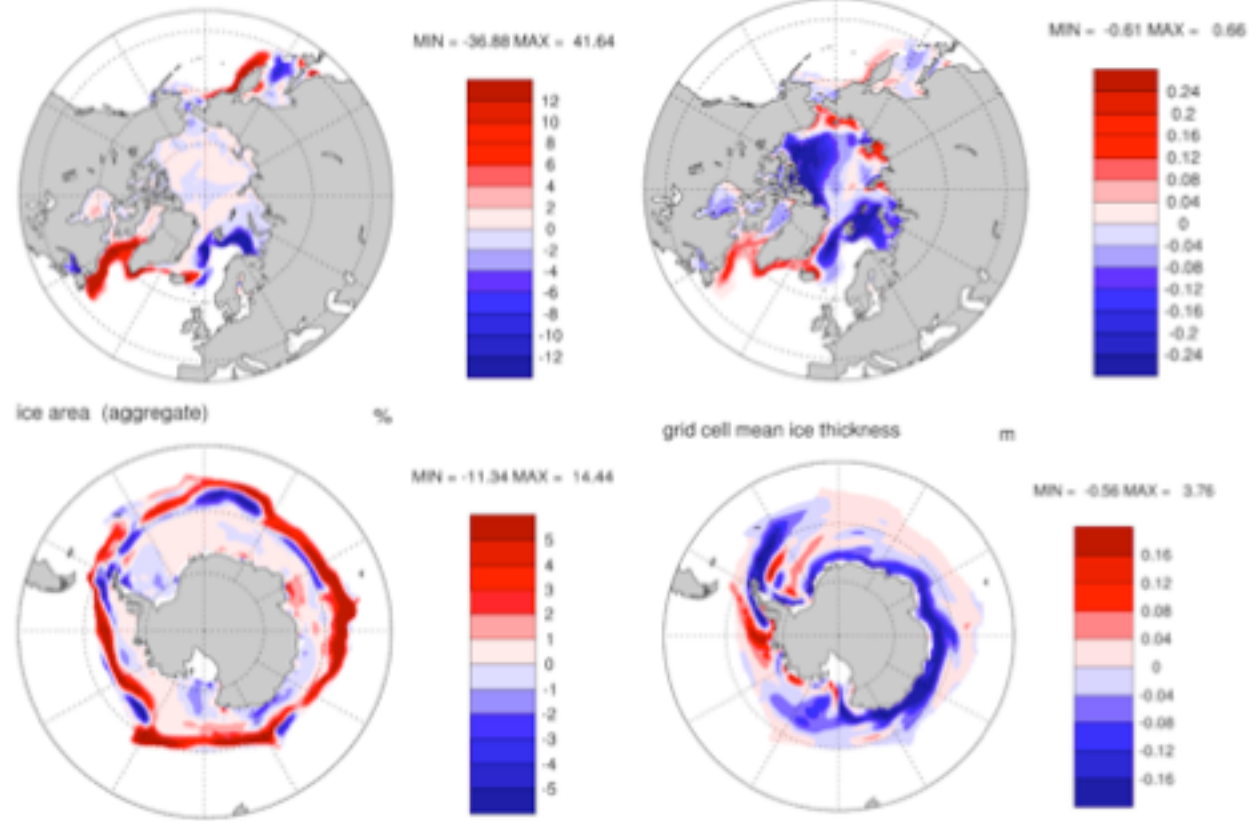


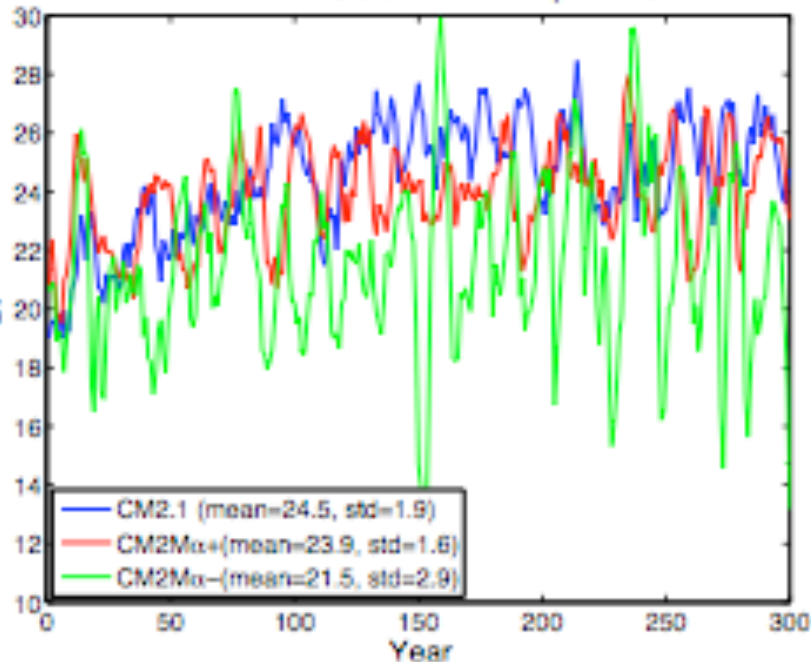
Figure 10: Wintertime sea ice sensitivity to introduction of MLE parameterization (CCSM⁺ minus CCSM⁻): January to March Northern Hemisphere a) ice area and b) thickness and July to September Southern Hemisphere c) ice area and d) thickness.

Affects sea ice

NO RETUNING
NEEDED!!!

These are impacts:
bias change unknown

Maximum AMOC at 45n in coupled MOM



Langmuir Turbulence Parameterizations

- On a list of the 50 most important things to fix in the ocean model, Langmuir is number 51.
 - --Bill Large

The Character of

the Langmuir Scale

- Near-surface
- Langmuir Cells & Langmuir Turb.
- $Ro \gg 1$
- $Ri < 1$: Nonhydro
- 10–100m
- 10s to mins
- $w, u = O(10\text{cm/s})$
- Stokes drift
- Eqtns: Craik–Leibovich
- PARAMS IN DEVELOPMENT!

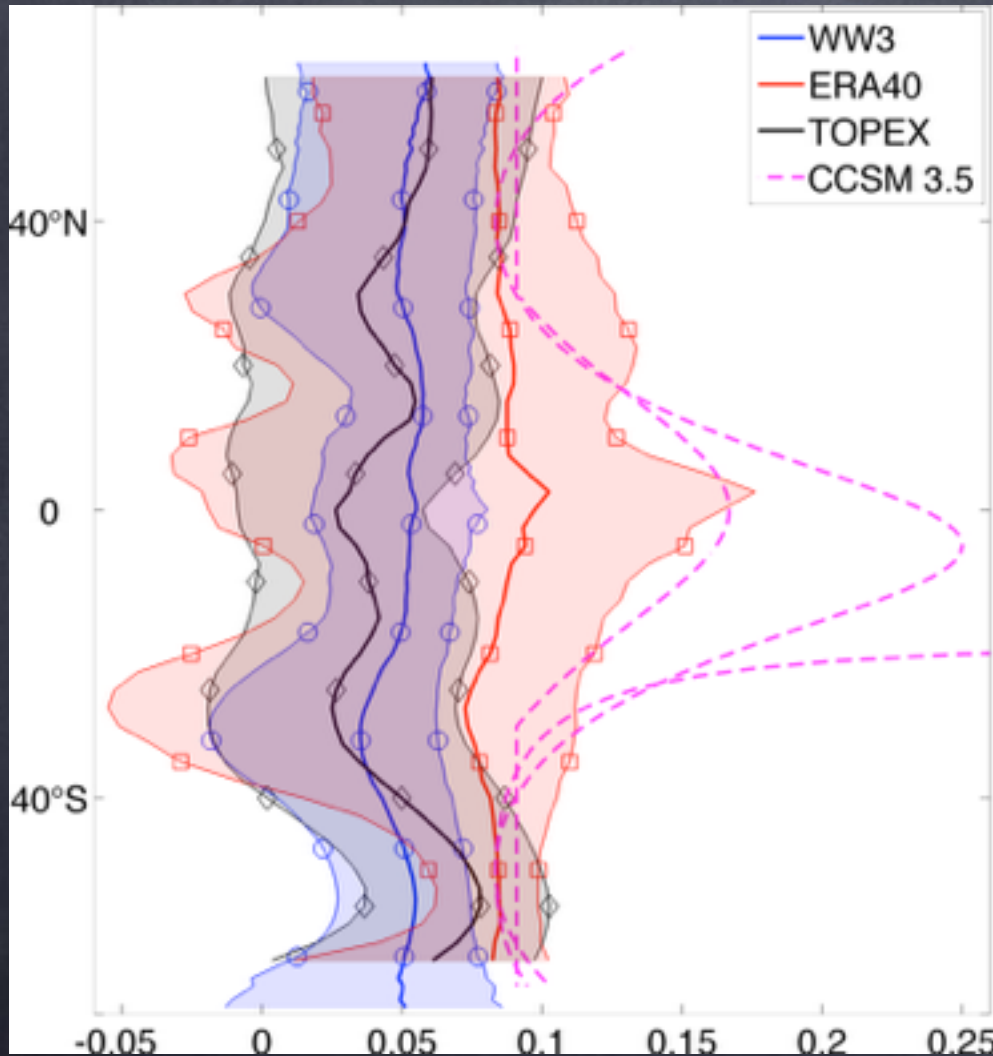
Image: NPR.org,
Deep Water
Horizon Spill

image:
Leibovich, 83



Figure 1a. Illustration of Langmuir circulations showing notation used in this review and surface and subsurface motions.

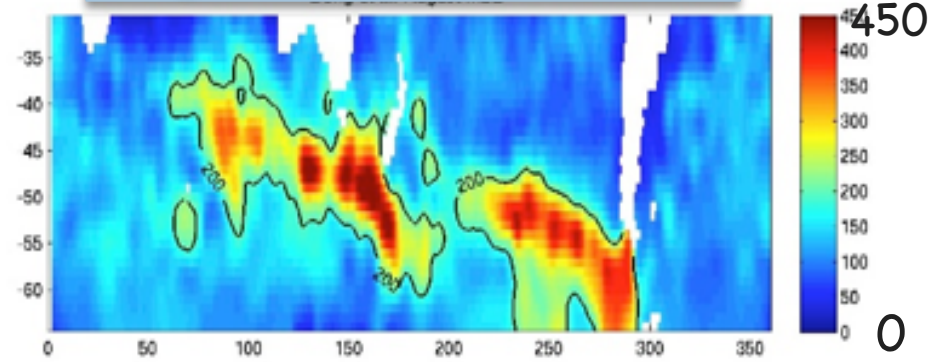
Langmuir Mixing Estimate from Climatology (Wind->Wave)



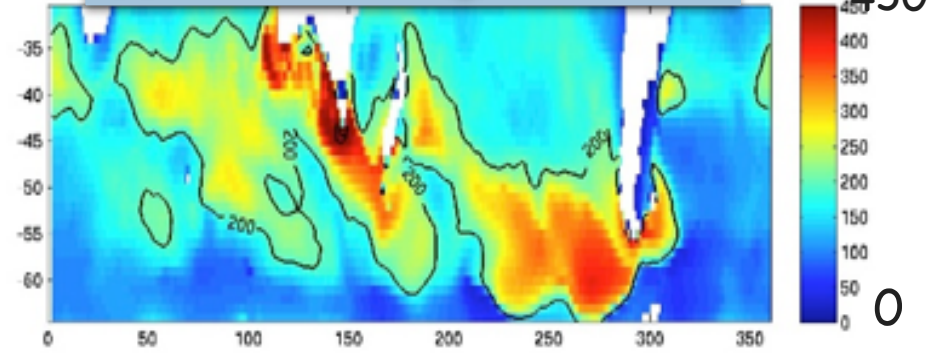
La^2

UNDERESTIMATES WAVE IMPACT

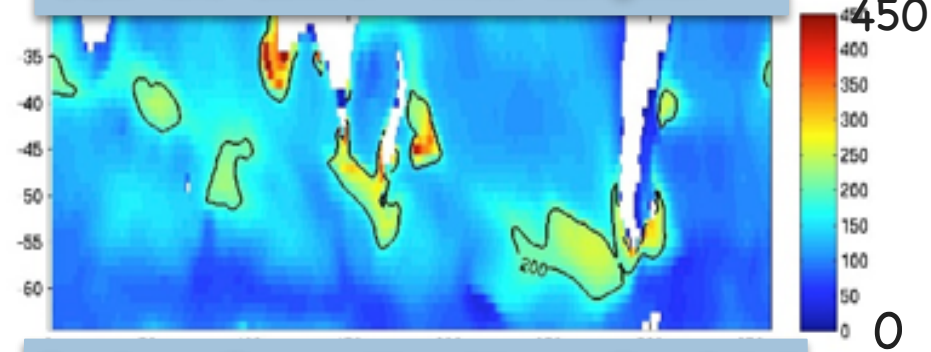
Dong et al. Observations



CCSM3.5 with Langmuir



CCSM3.5 Control without Langmuir

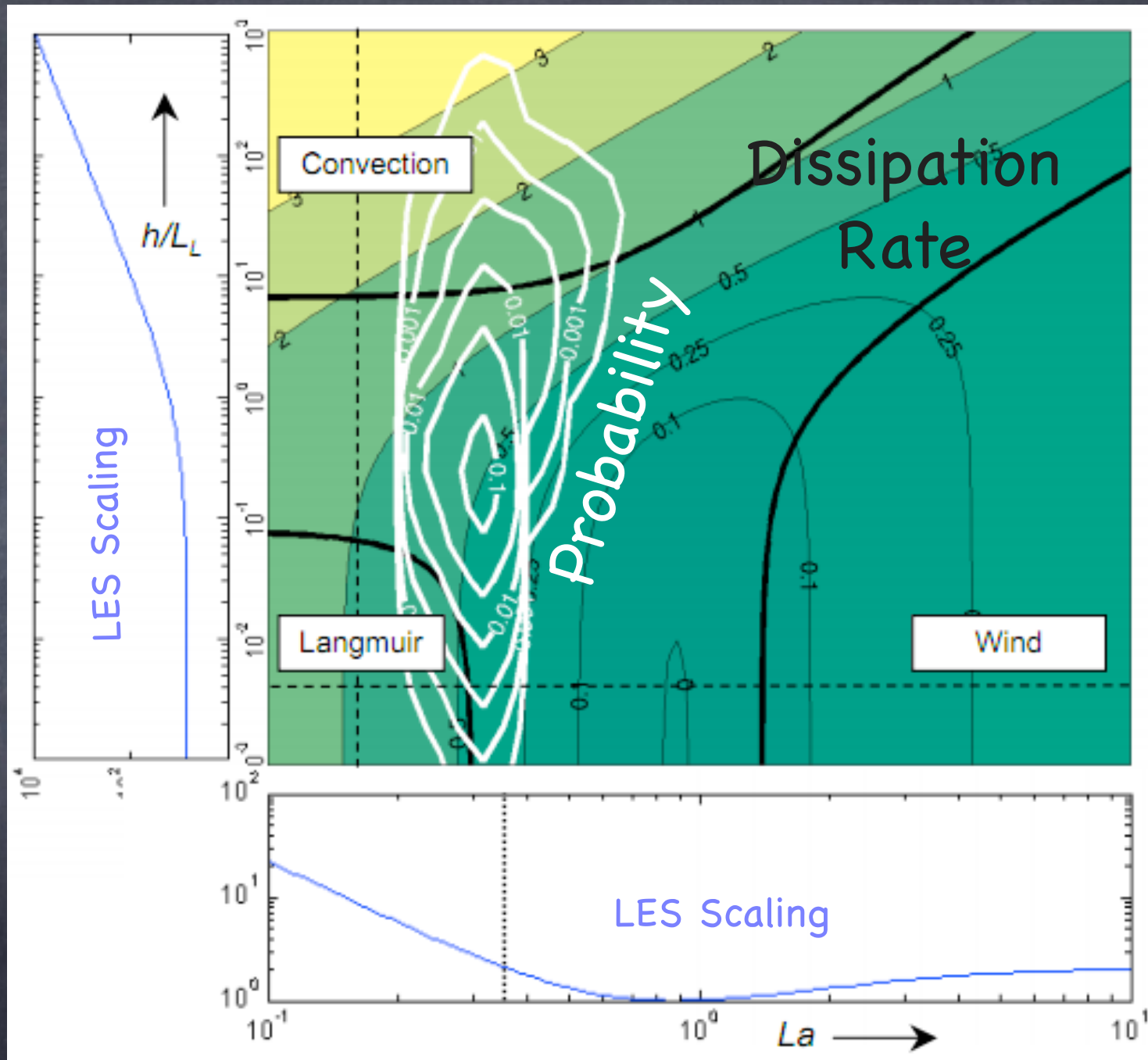


Southern Ocean Mixed Layer Depth (m)

Crude estimate of the effect of Langmuir mixing in a forward ESM on MLD (m)

Data + LES,
 Southern Ocean
 mixing energy:
 Langmuir (Stokes-
 drift-driven) and
 Convective

But, how well do
 we know Stokes
 drift?
 (Turb. Lang. # = La
 = u^*/u_s)



S.E. Belcher, A.A.L.M. Grant, K.E. Hanley, B. Fox-Kemper, L. Van Roekel, P.P. Sullivan, W.G. Large, A. Brown, A. Hines, D. Calvert, A. Rutgersson, H. Petterson, J. Bidlot, P.A.E.M. Janssen, and J.A. Polton. A global perspective on mixing in the ocean surface boundary layer. *Geophysical Research Letters*, 2011. In revision.

How well do we know Stokes Drift?

Reanalysis vs wave model

Altimetry vs wave model

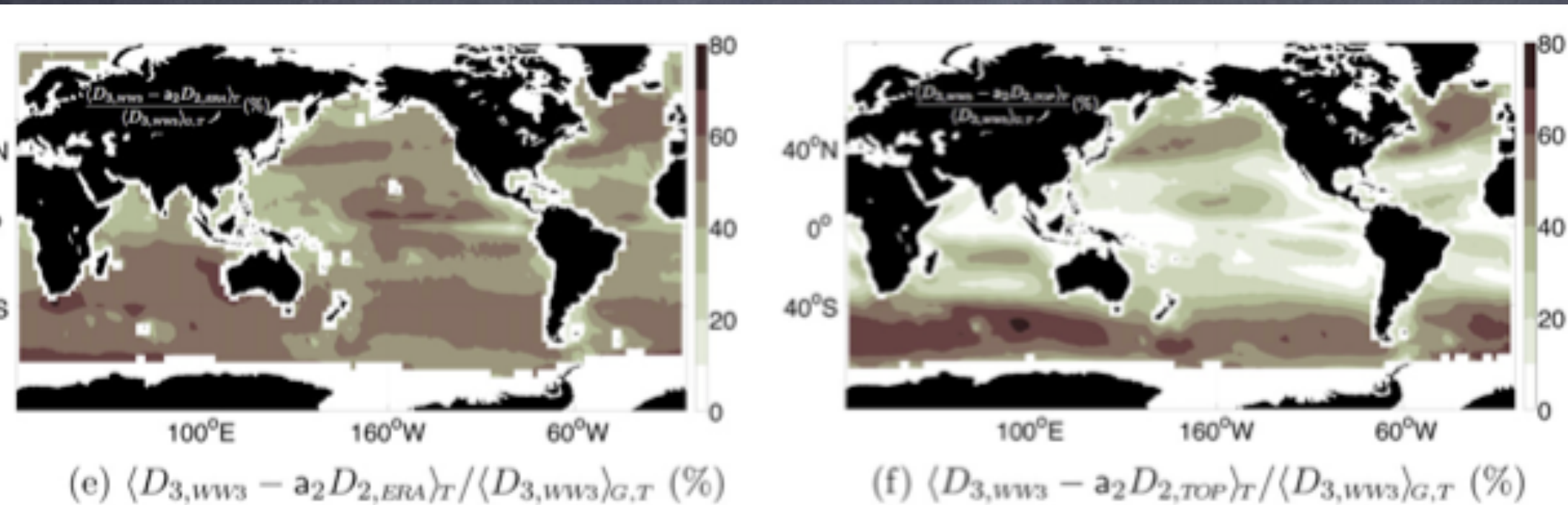
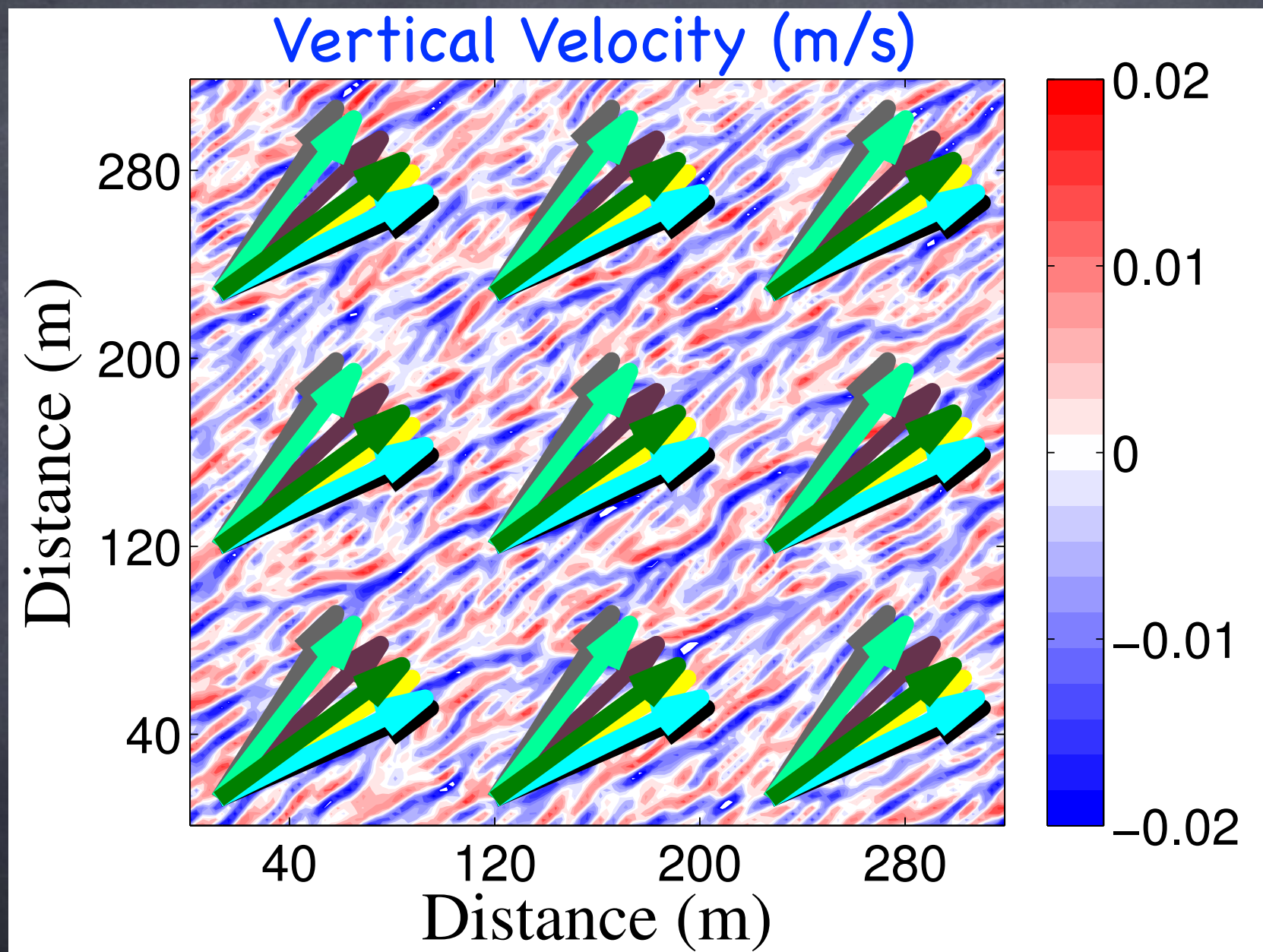


Fig. 4. D_2 Comparison of ERA40 reanalysis and TOPEX satellite data with WW3 using eight year means (1994–2001).

Within a factor of 2.

Assuming full-development (e.g., McWilliams & Restrepo, 1999) is worse

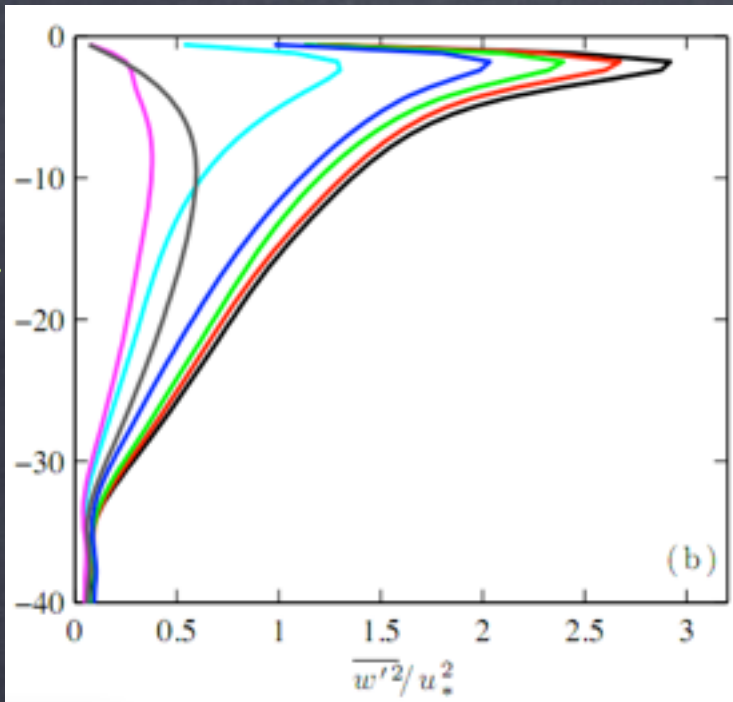
Real World Forcing: Misaligned Wind & Waves



L. Van Roekel, B. Fox-Kemper, P. P. Sullivan, P. E. Hamlington, and S. R. Haney. The form and orientation of Langmuir cells for misaligned winds and waves. *Journal of Geophysical Research-Oceans*, 2012. In press.

$\langle w'^2 \rangle$

depth



Generalized Turbulent Langmuir No.,
Projection of u^* , u_s into Langmuir Direction

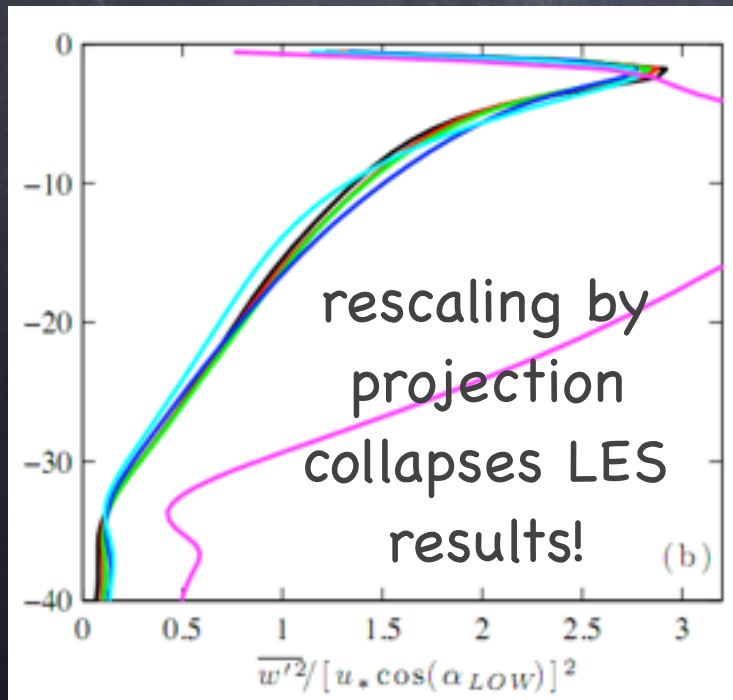
$$\frac{\langle \overline{w'^2} \rangle_{ML}}{u_*^2} = 0.6 \cos^2(\alpha_{LOW}) [1.0 + (3.1 La_{proj})^{-2} + (5.4 La_{proj})^{-4}],$$

$$La_{proj}^2 = \frac{|u_*| \cos(\alpha_{LOW})}{|u_s| \cos(\theta_{ww} - \alpha_{LOW})},$$

$$\alpha_{LOW} \approx \tan^{-1} \left(\frac{\sin(\theta_{ww})}{\frac{u_*}{u_s(0)\kappa} \ln \left(\left| \frac{H_{ML}}{z_1} \right| \right) + \cos(\theta_{ww})} \right)$$

rescaled $\langle w'^2 \rangle$

depth

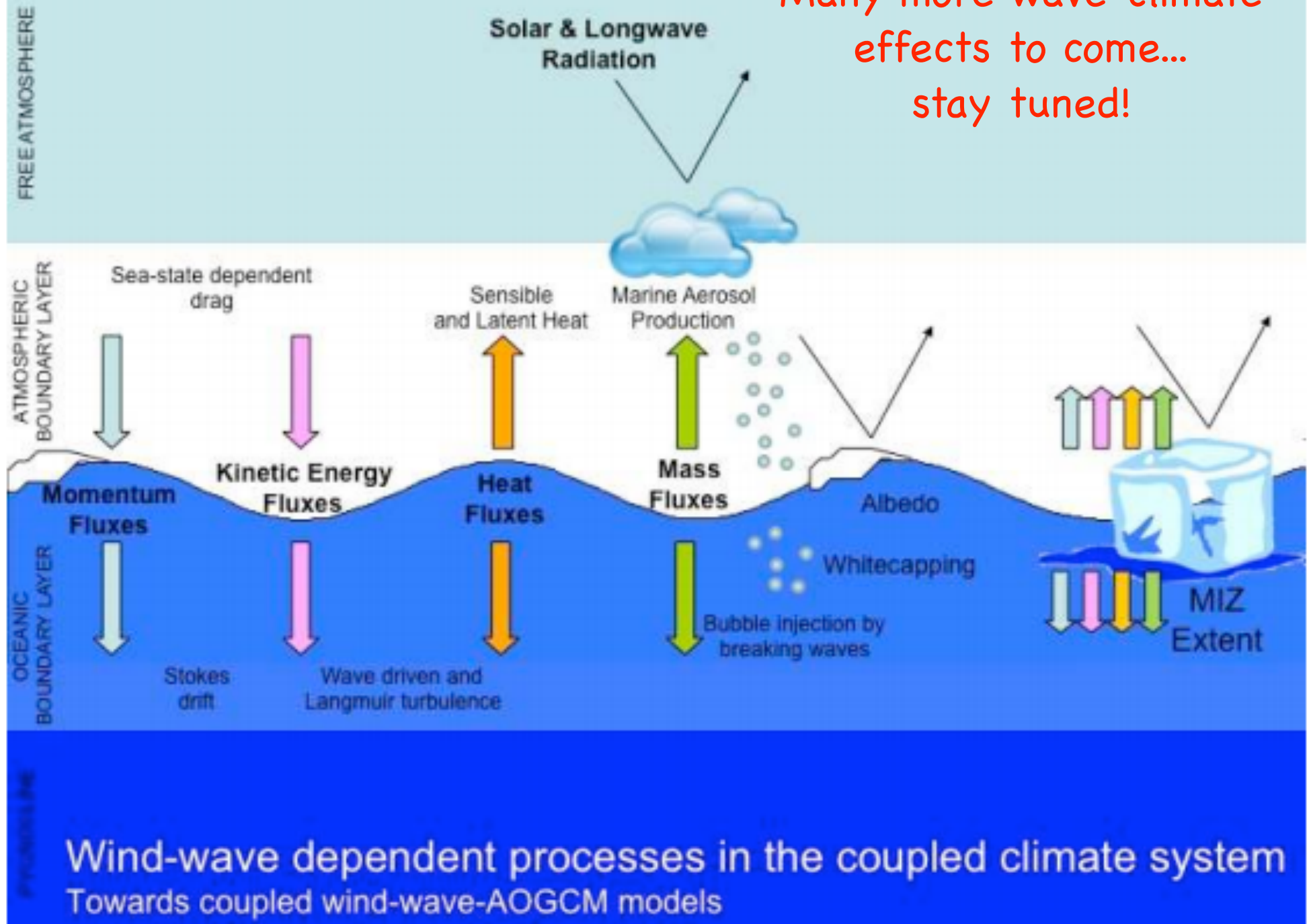


rescaling by
projection
collapses LES
results!

A theory for LC
direction!

L. Van Roekel, B. Fox-Kemper, P. P. Sullivan, P. E. Hamlington, and S. R. Haney. The form and orientation of Langmuir cells for misaligned winds and waves. *Journal of Geophysical Research-Oceans*, 2012. In press.

Many more wave-climate effects to come... stay tuned!



Coupling between Langmuir and Submeso?



- Together?

- Separate?



Wind and wave
forced, dying
submeso filament

$$\overline{Ro} \approx 0.1$$

$$\overline{Ri} < 1$$

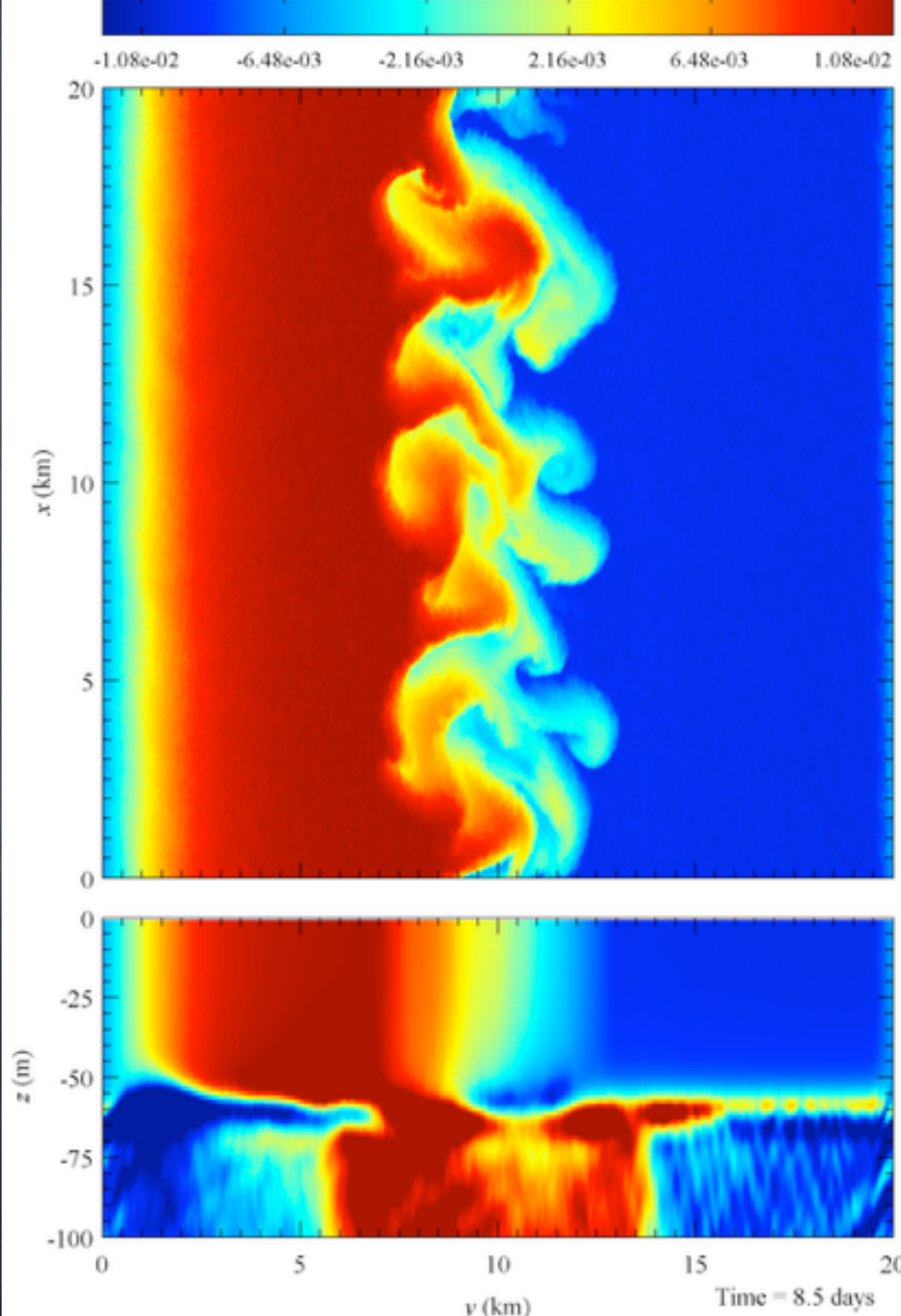
$$La_t \approx 0.3$$

Computational parameters:

Domain size: 20km x 20km x
-160m

Grid points: 4096 x 4096 x 128

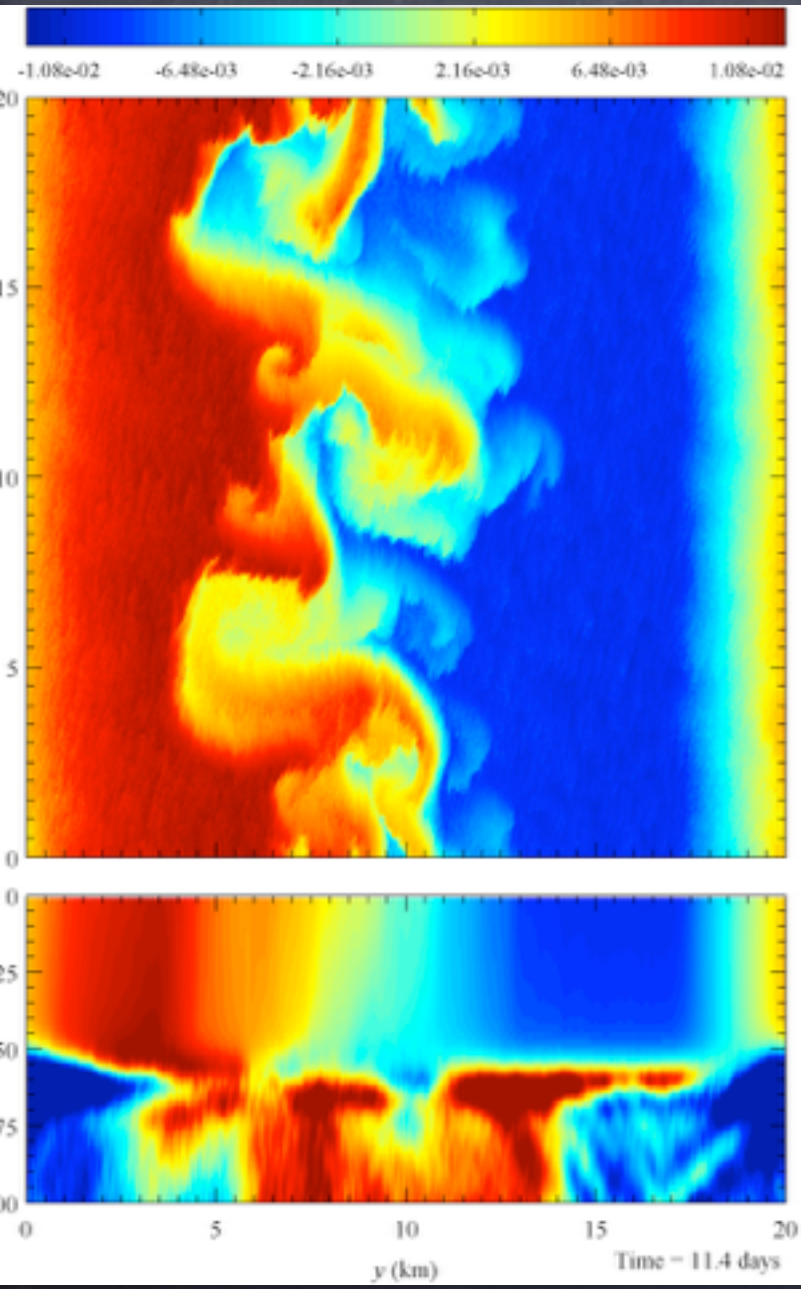
Resolution: 5m x 5m x -1.25m



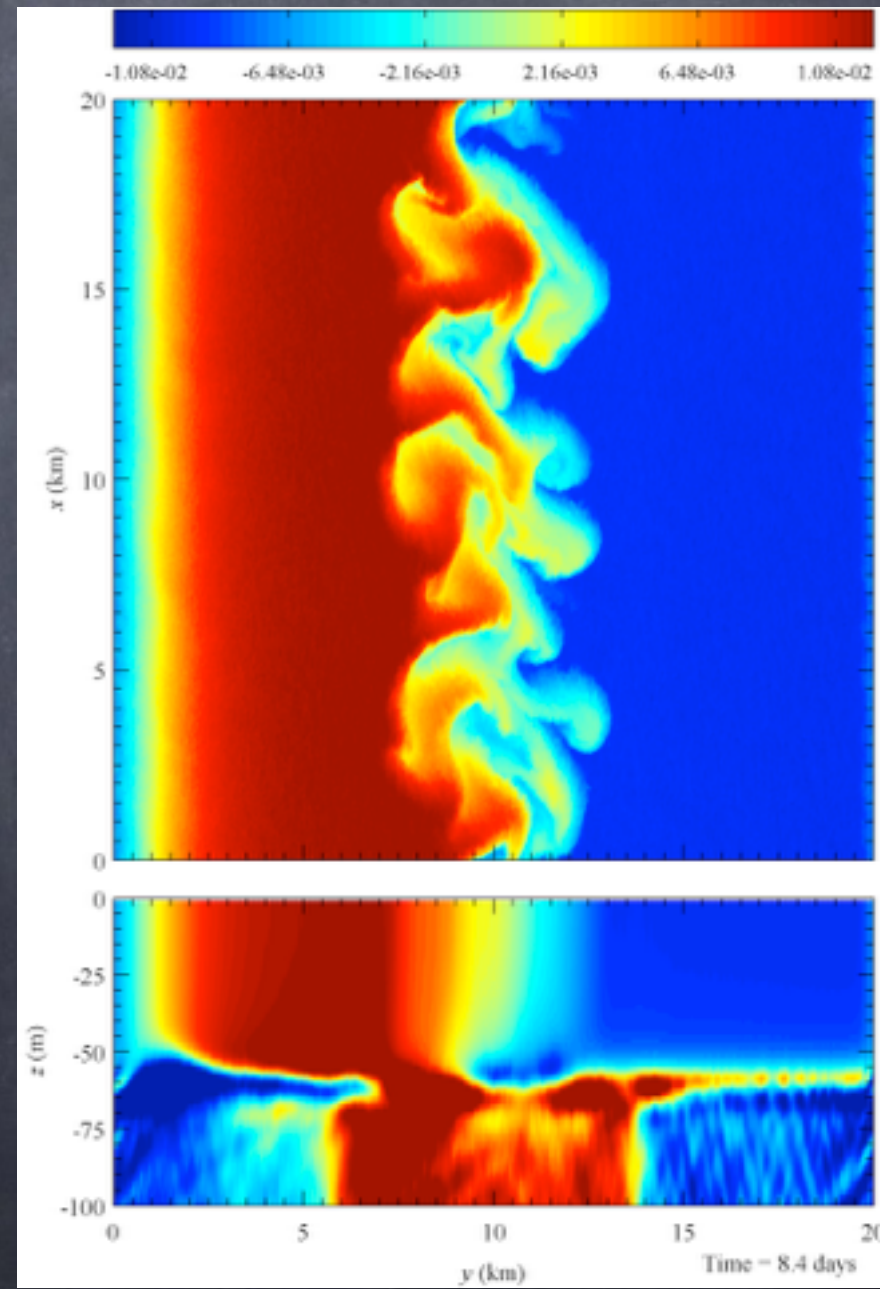
Coupling between

Langmuir and Submeso?

Wind Only



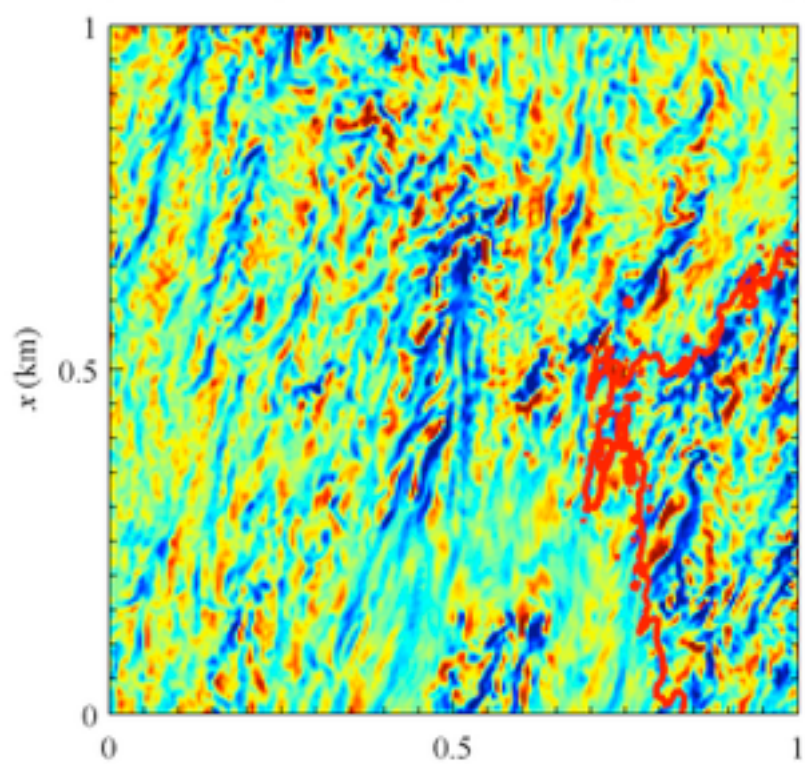
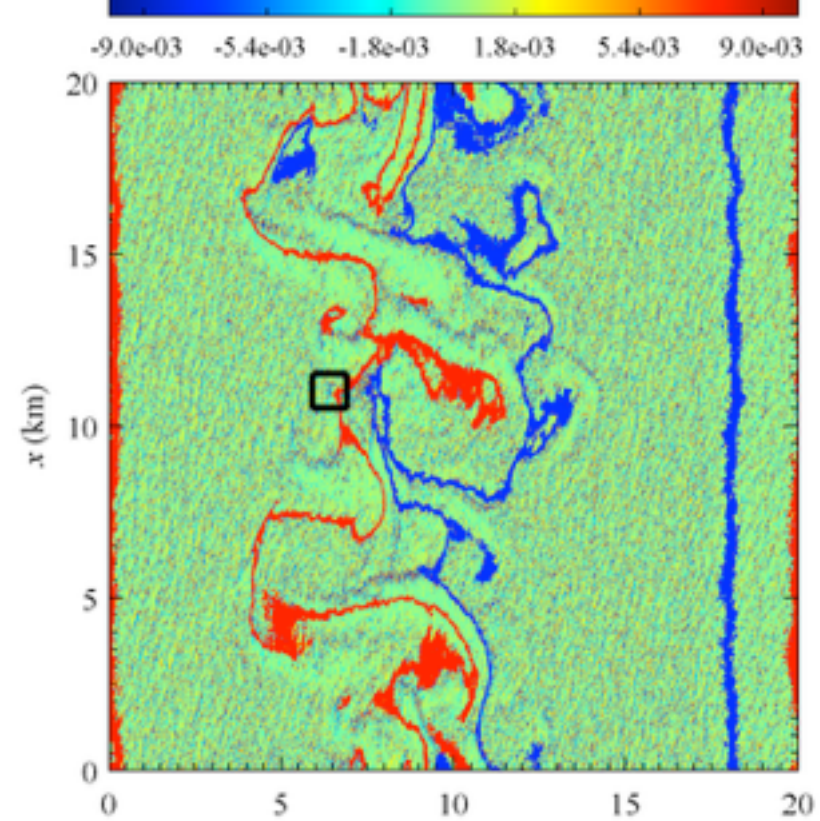
Stokes & Wind



2 runs:
Both spindown
of submesoscale
filament

Right -->
Stokes & Wind

<-- Left
Wind Only

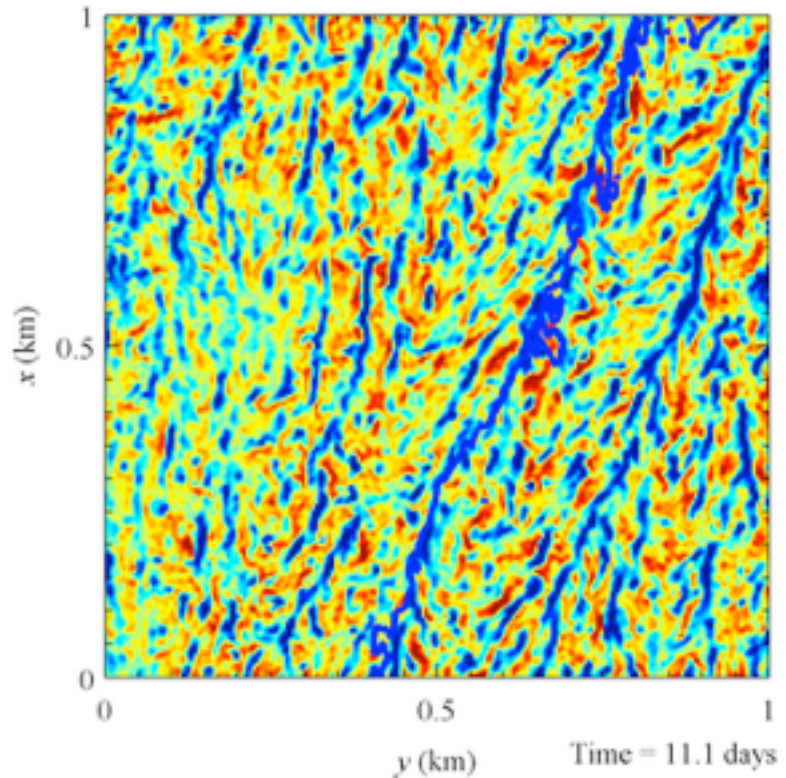
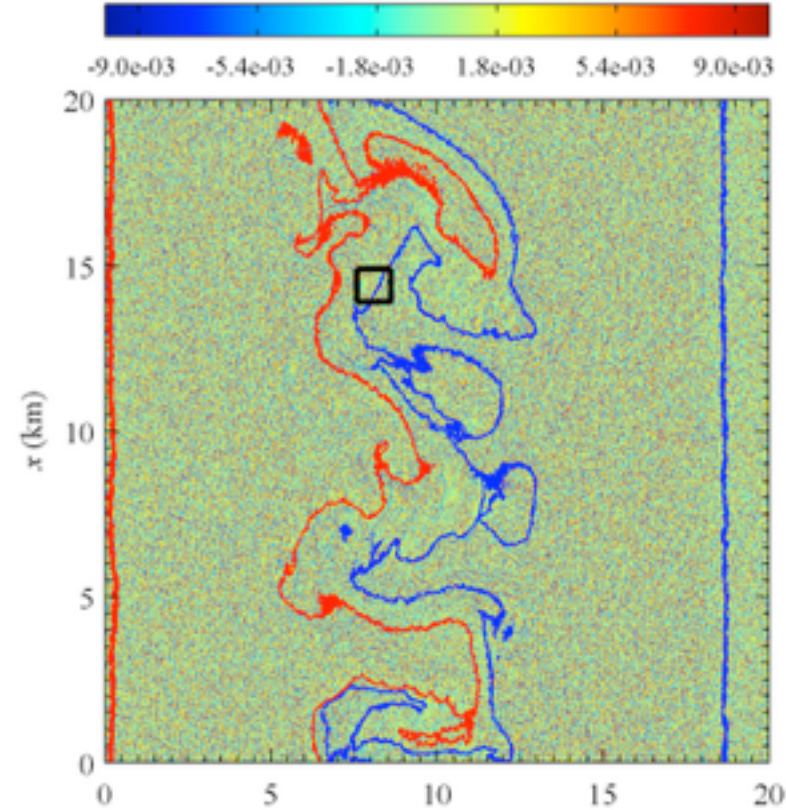


Coupling between Langmuir and Submeso?

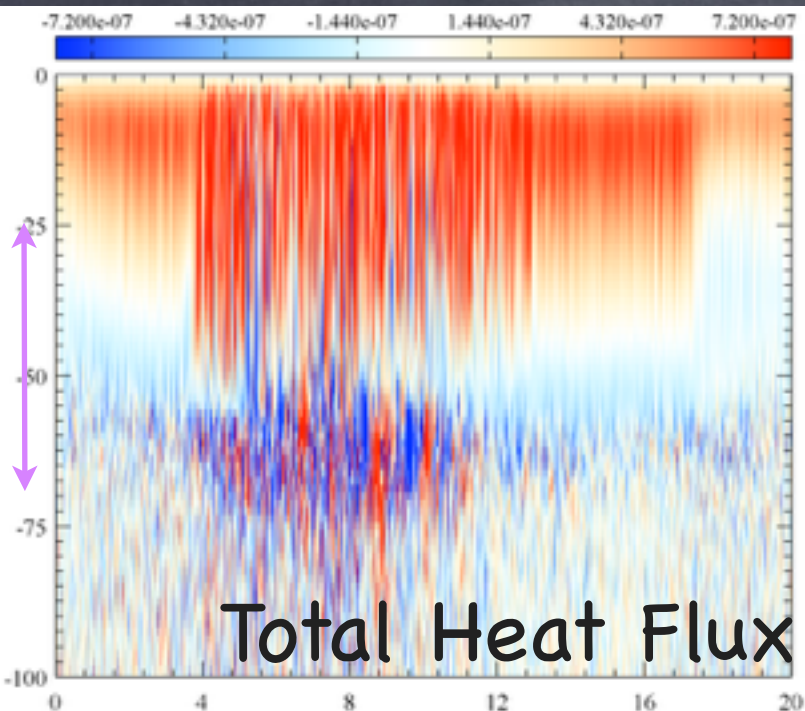
2 runs:
Both spindown
of submesoscale
filament

Right -->
Stokes & Wind

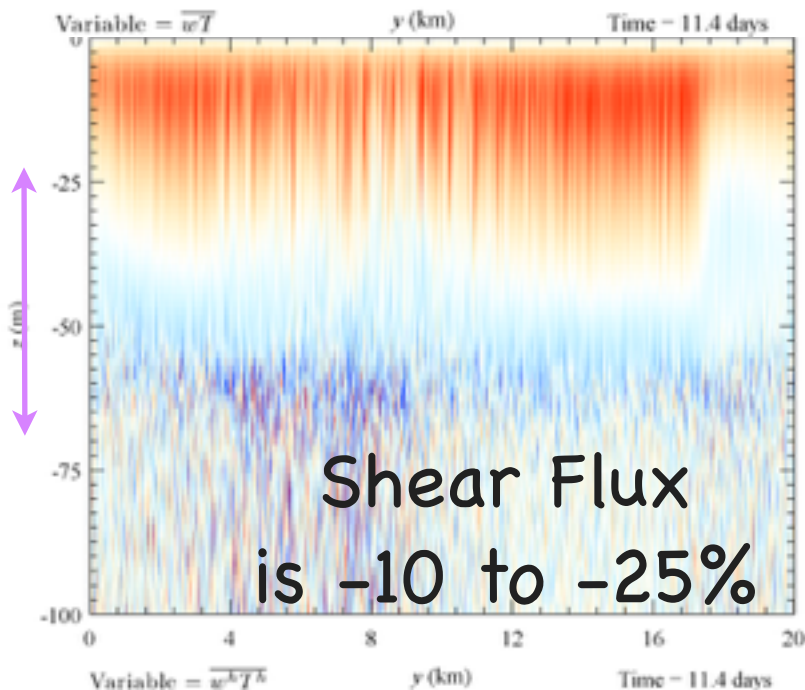
-- Left
Wind Only



Heat $\langle wT \rangle$. Upper=Total, Lower=small-scales only



Total Heat Flux



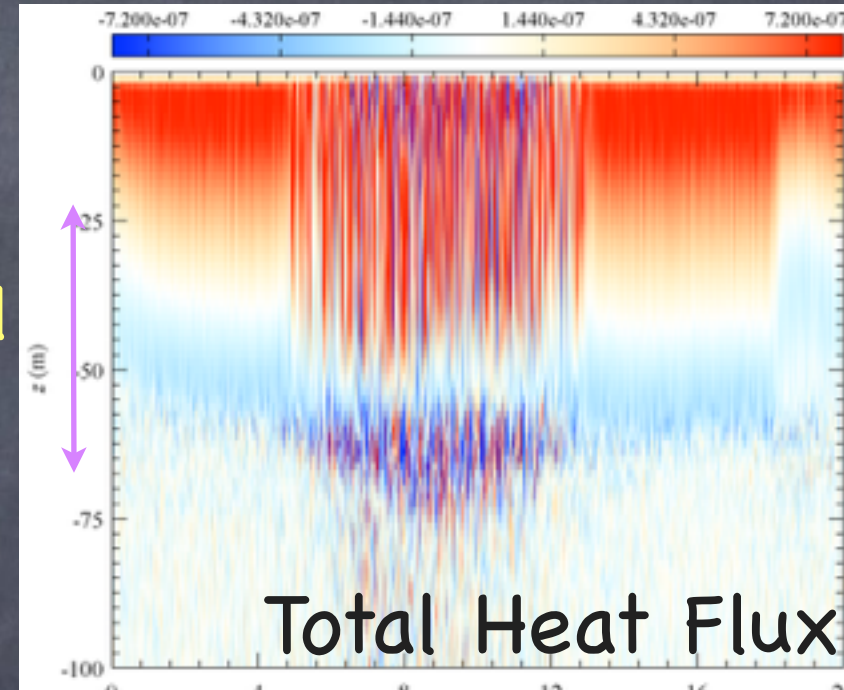
Shear Flux
is -10 to -25%

Coupling
between
Langmuir and
Submeso?

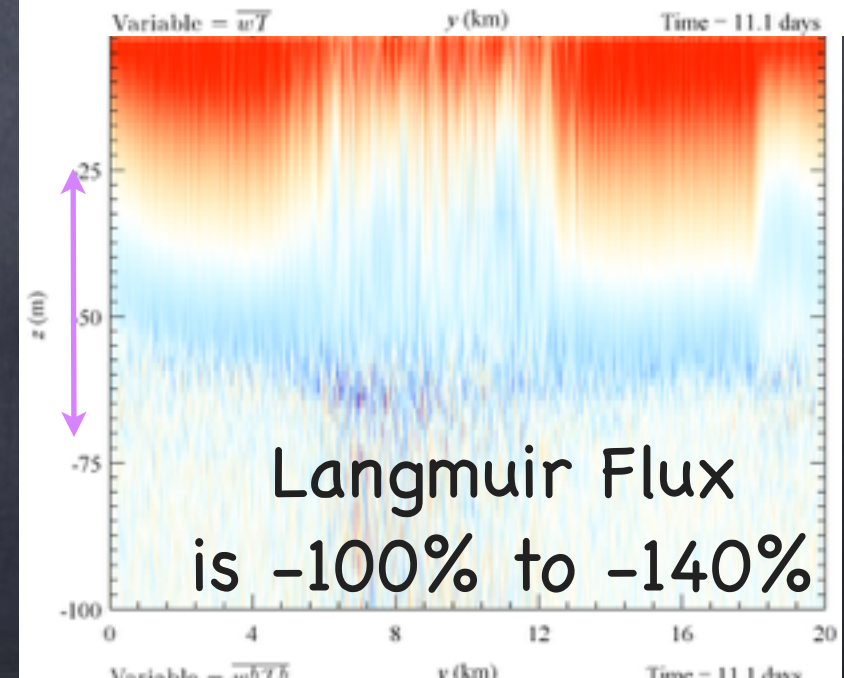
2 runs:
Both spindown
of submesoscale
filament

Right -->
Stokes & Wind

<-- Left
Wind Only

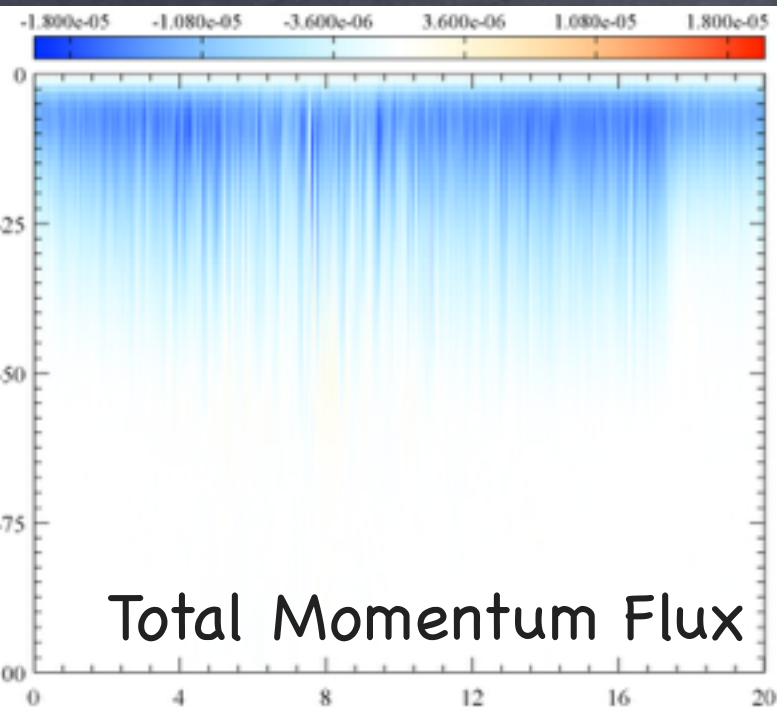


Total Heat Flux

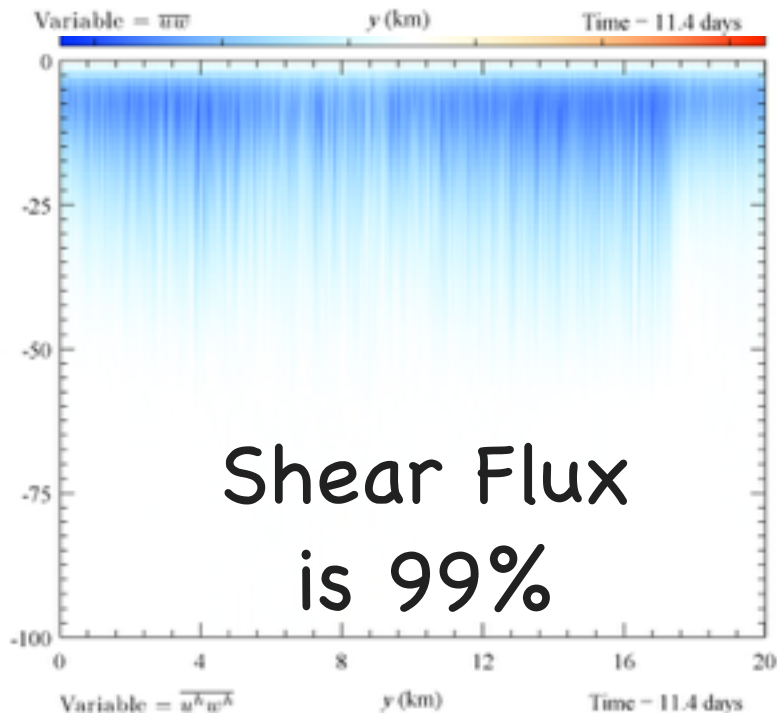


Langmuir Flux
is -100% to -140%

Momentum: $\langle uw \rangle$. Upper=Total, Lower=small-scales



Total Momentum Flux



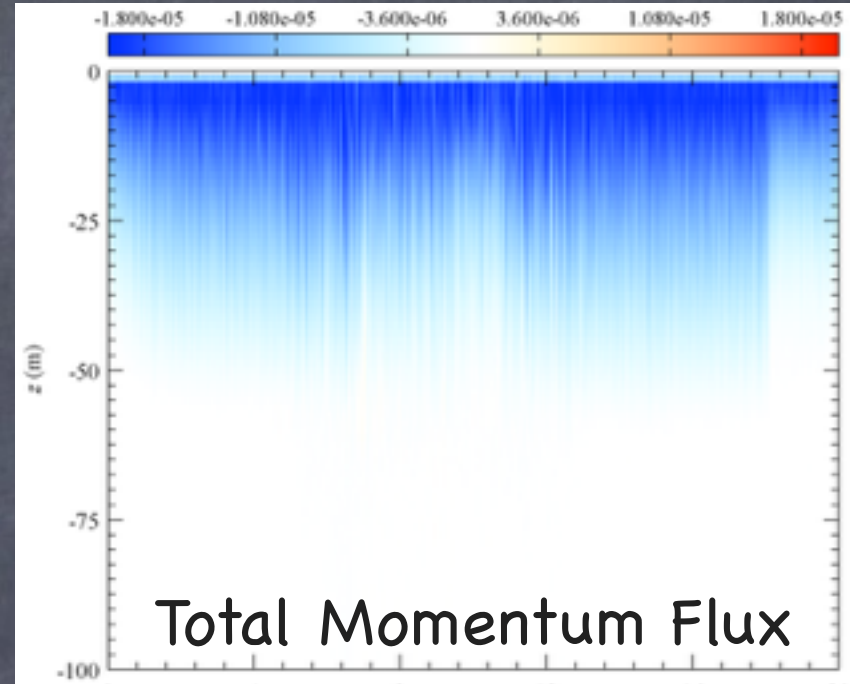
Shear Flux
is 99%

Coupling
between
Langmuir and
Submeso?

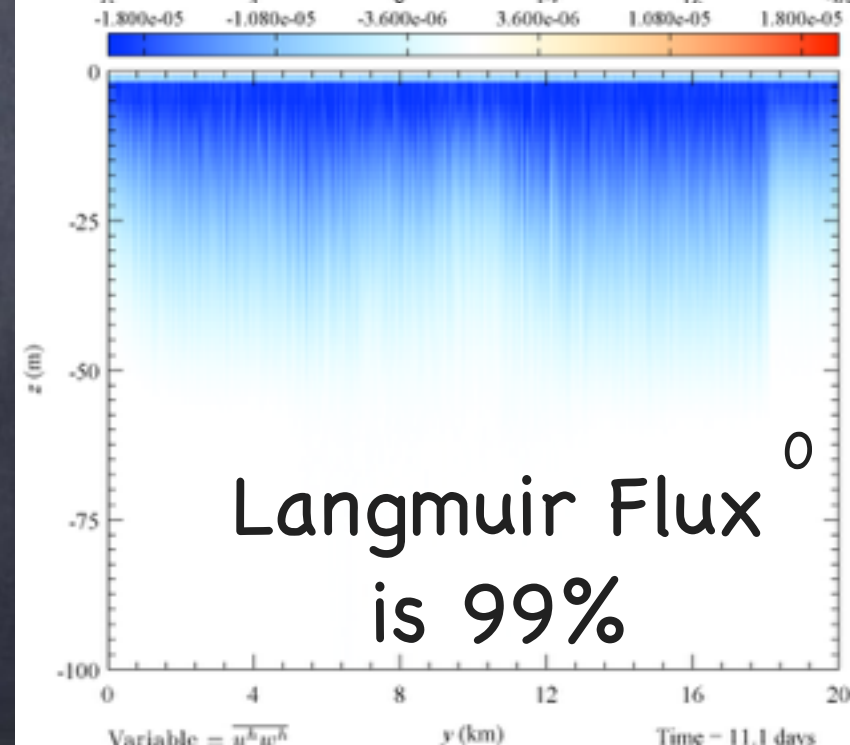
2 runs:
Both spindown
of submesoscale
filament

Right -->
Stokes & Wind

<-- Left
Wind Only



Total Momentum Flux



Langmuir Flux⁰
is 99%

Mesoscale Parameterizations

- Researchers have already cast much darkness on this subject and if they continue their investigations we shall soon know nothing at all about it.

• --Mark Twain

The Character of the Mesoscale

← 100 km



(Capet et al., 2008)

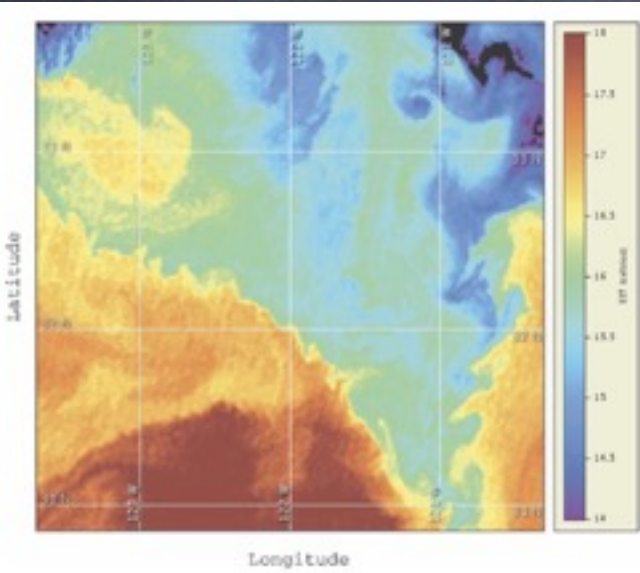
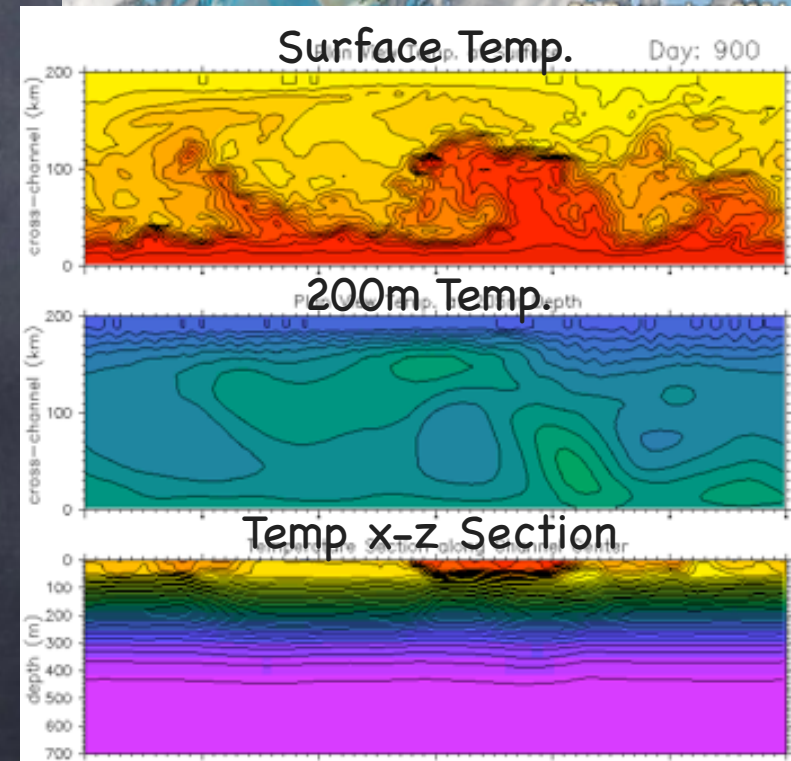


FIG. 16. Sea surface temperature measured at 1832 UTC 3 Jun 2006 off Point Conception in the California Current from CoastWatch (<http://coastwatch.pfeg.noaa.gov>). The fronts between recently upwelled water (i.e., 15°–16°C) and offshore water (>17°C) show submesoscale instabilities with wavelengths around 30 km (right front) or 15 km (left front). Images for 1 day earlier and 4 days later show persistence of the instability events.

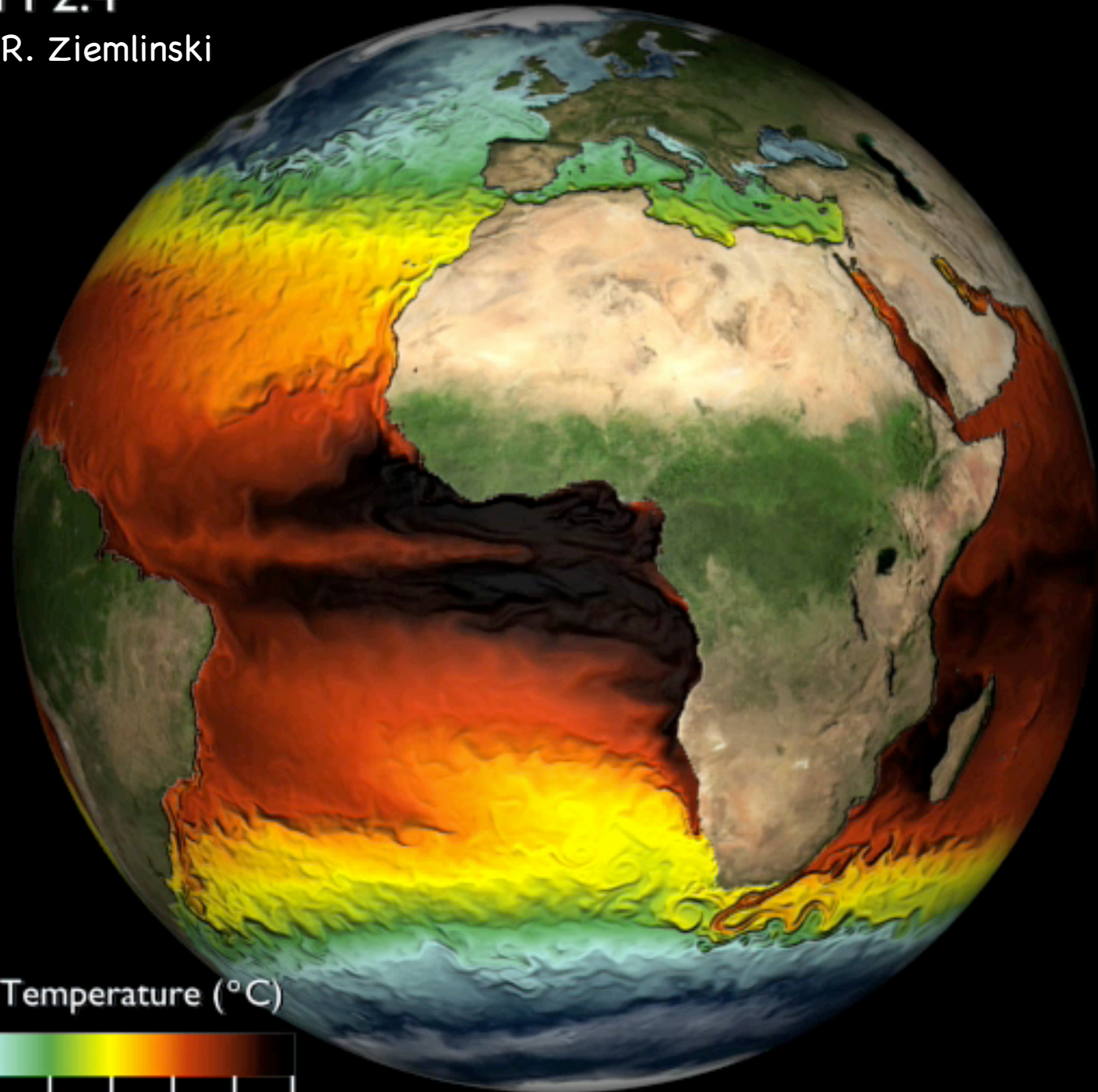
- Boundary Currents
- Eddies
- $Ro=O(0.1)$
- $Ri=O(1000)$
- Full Depth
- Eddies strain to produce Fronts
- 100km, months

Eddy processes mainly **baroclinic & barotropic instability**. Parameterizations of baroclinic instability (GM, Visbeck...).

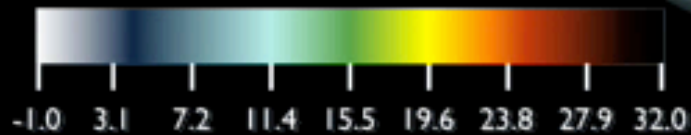


GFDL CM 2.4

Movie Credit: R. Ziemlinski



Sea Surface Temperature ($^{\circ}\text{C}$)



Need a Natural, Mesoscale Eddy Environment to Test Out:

$$\overline{\mathbf{u}'\tau'} = -\mathbf{M}\nabla\bar{\tau}$$

$$\begin{bmatrix} \overline{u'\tau'} \\ \overline{v'\tau'} \\ \overline{w'\tau'} \end{bmatrix} = - \begin{bmatrix} M_{xx} & M_{xy} & M_{xz} \\ M_{yx} & M_{yy} & M_{yz} \\ M_{zx} & M_{zy} & M_{zz} \end{bmatrix} \begin{bmatrix} \bar{\tau}_x \\ \bar{\tau}_y \\ \bar{\tau}_z \end{bmatrix}$$

3 equations/tracer

9 unknowns (\mathbf{M} components)

BY USING 3 or MORE TRACERS, can determine \mathbf{M} !!

(a la Plumb & Mahlman '87, Bratseth '98)

No assumptions about symmetry required.

$$\overline{\mathbf{u}'\tau'} = -\mathbf{M}\nabla\bar{\tau}$$

Sym Part=Anisotropic* Redi

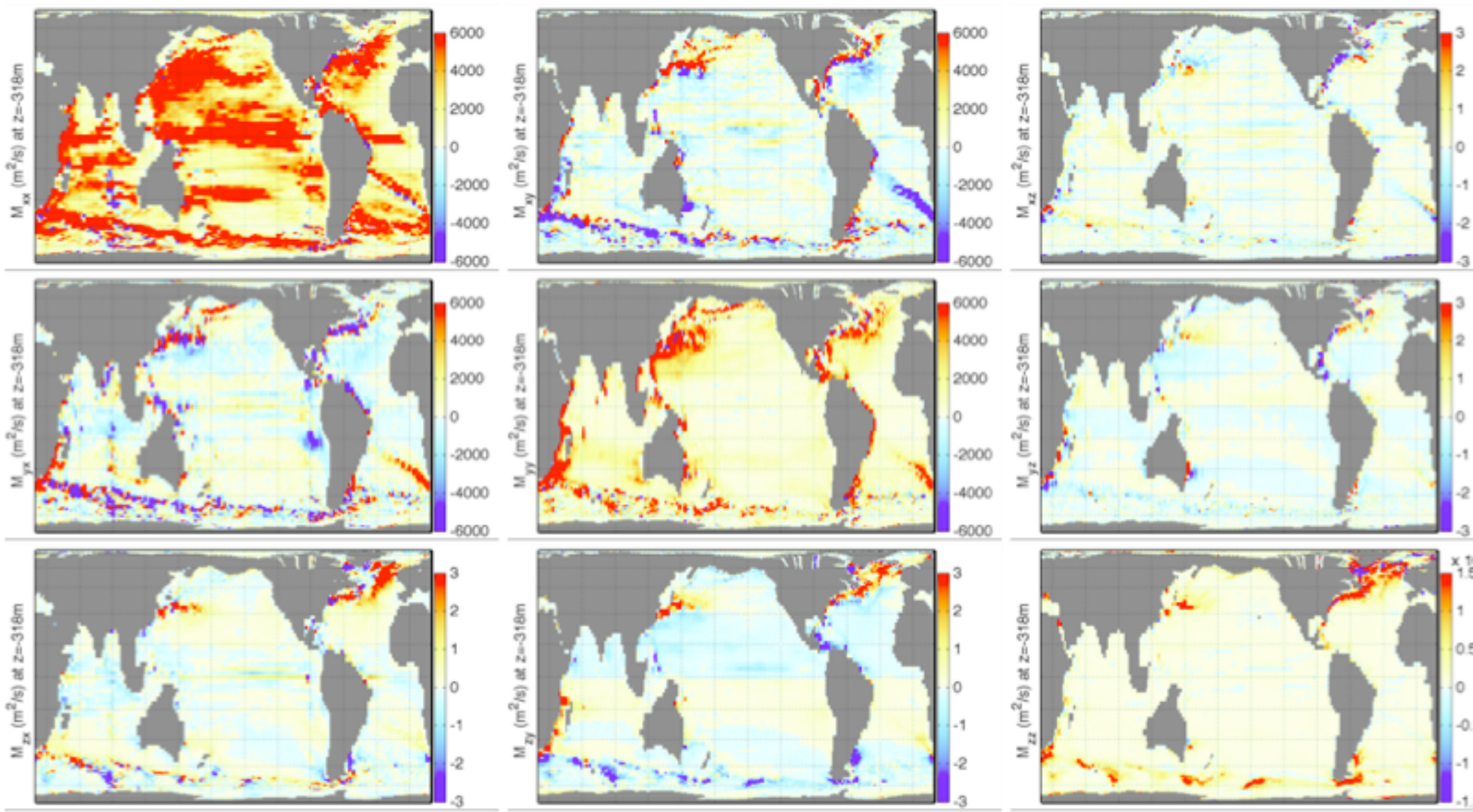
$$\begin{bmatrix} \overline{u'\tau'} \\ \overline{v'\tau'} \\ \overline{w'\tau'} \end{bmatrix} = - \begin{bmatrix} K_{xx} & K_{xy} & \hat{x}\cdot\mathbf{K}\cdot\tilde{\nabla}\mathbf{z} \\ K_{yx} & K_{yy} & \hat{y}\cdot\mathbf{K}\cdot\tilde{\nabla}\mathbf{z} \\ \hat{x}\cdot\mathbf{K}\cdot\tilde{\nabla}\mathbf{z} & \hat{y}\cdot\mathbf{K}\cdot\tilde{\nabla}\mathbf{z} & \tilde{\nabla}\mathbf{z}\cdot\mathbf{K}\cdot\tilde{\nabla}\mathbf{z} \end{bmatrix} \begin{bmatrix} \bar{\tau}_x \\ \bar{\tau}_y \\ \bar{\tau}_z \end{bmatrix}$$

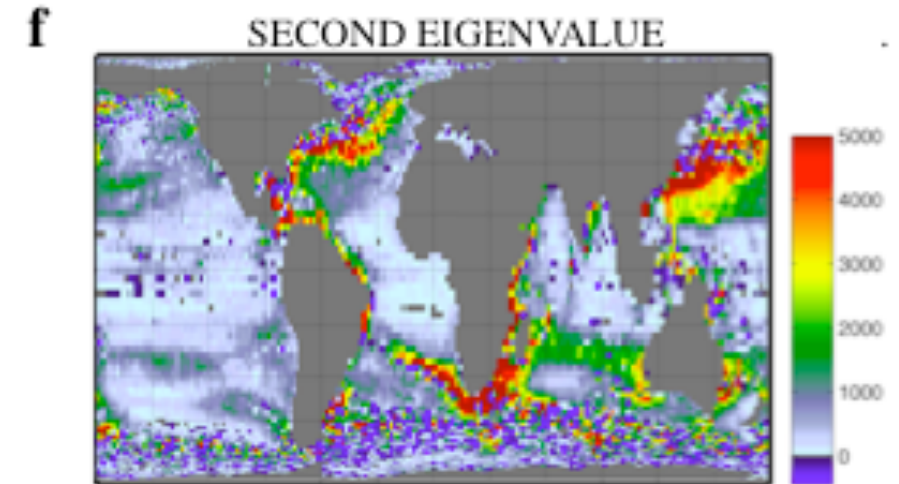
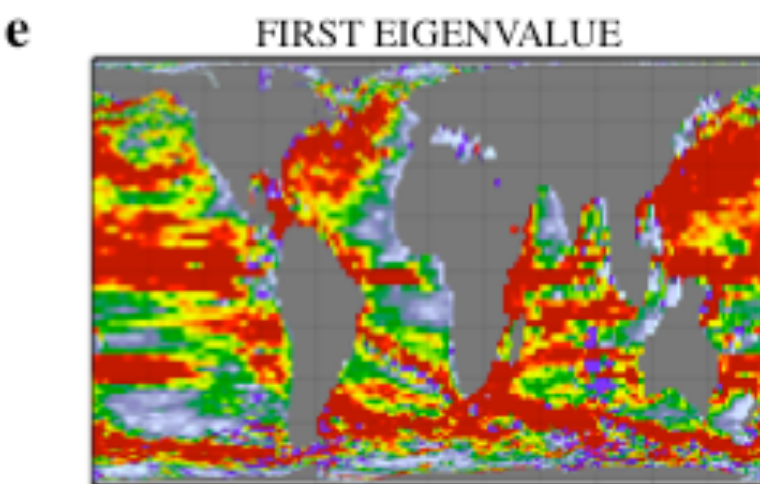
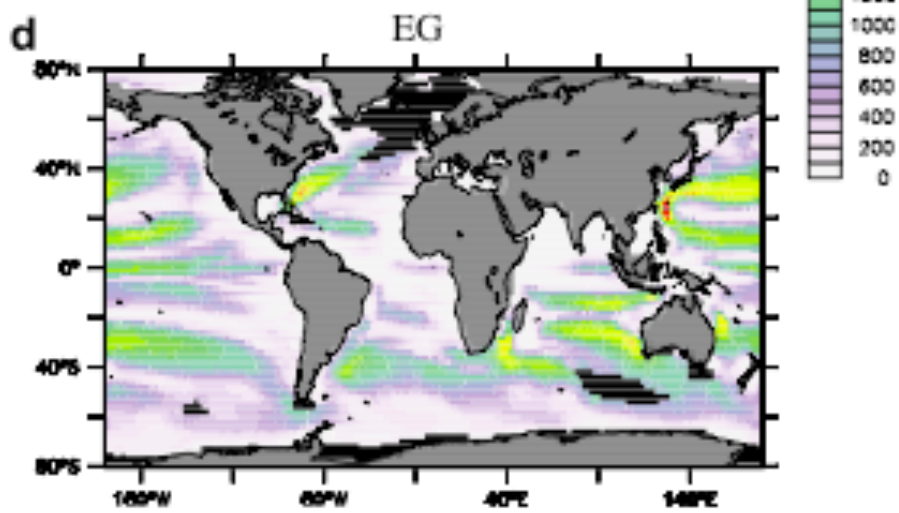
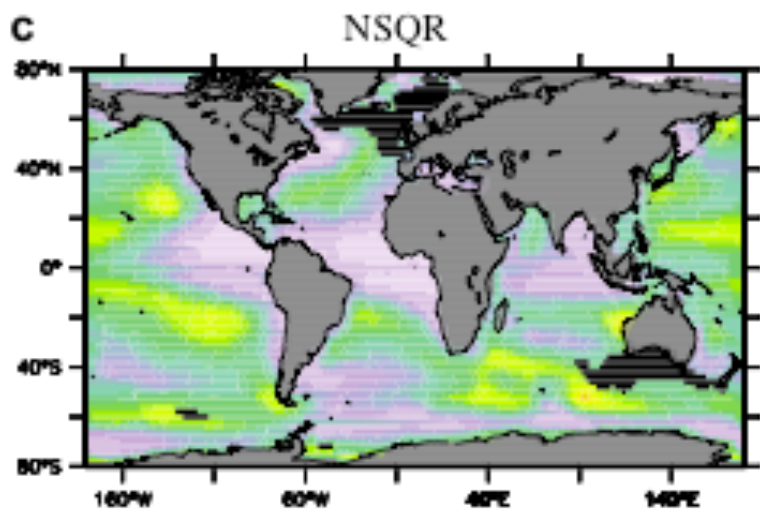
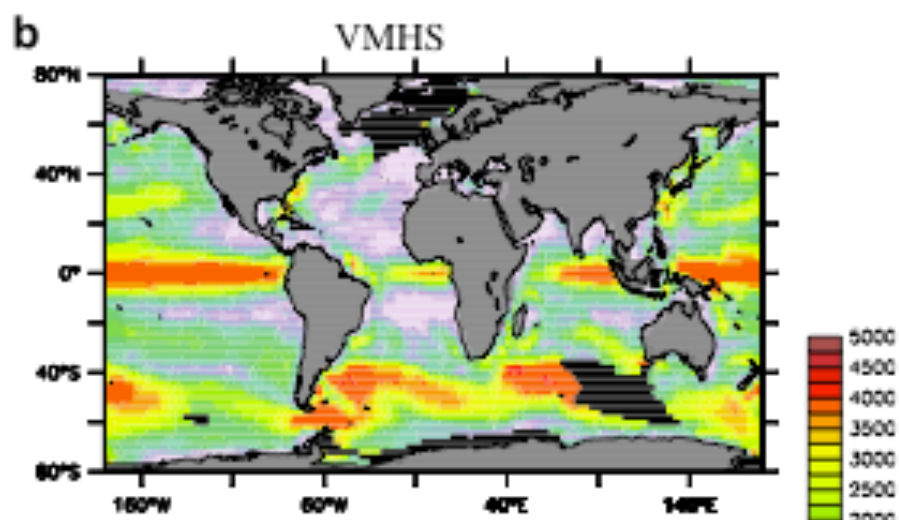
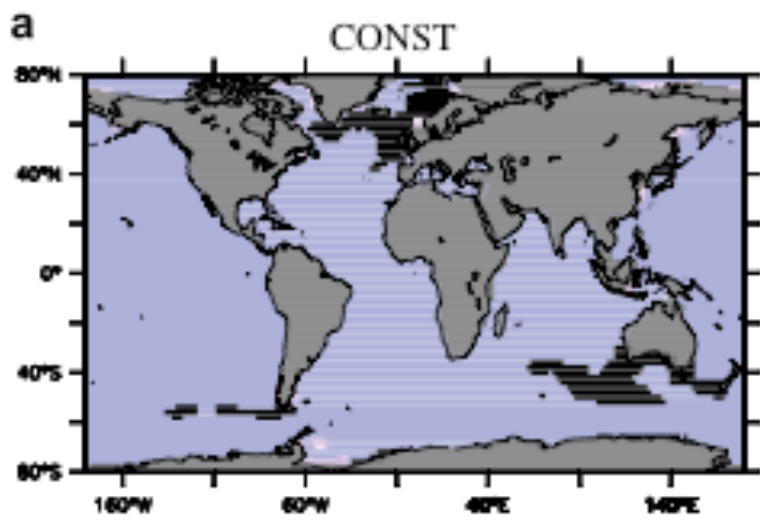
AntiSym Part=Anisotropic* GM

$$\begin{bmatrix} \overline{u'\tau'} \\ \overline{v'\tau'} \\ \overline{w'\tau'} \end{bmatrix} = - \begin{bmatrix} 0 & 0 & -\hat{x}\cdot\mathbf{K}\cdot\tilde{\nabla}\mathbf{z} \\ 0 & 0 & -\hat{y}\cdot\mathbf{K}\cdot\tilde{\nabla}\mathbf{z} \\ \hat{x}\cdot\mathbf{K}\cdot\tilde{\nabla}\mathbf{z} & \hat{y}\cdot\mathbf{K}\cdot\tilde{\nabla}\mathbf{z} & 0 \end{bmatrix} \begin{bmatrix} \bar{\tau}_x \\ \bar{\tau}_y \\ \bar{\tau}_z \end{bmatrix}$$

Yellow \mathbf{K} 'are' horizontal stirring & mixing

$$\begin{bmatrix} \overline{u'\tau'} \\ \overline{v'\tau'} \\ \overline{w'\tau'} \end{bmatrix} = - \begin{bmatrix} M_{xx} & M_{xy} & M_{xz} \\ M_{yx} & M_{yy} & M_{yz} \\ M_{zx} & M_{zy} & M_{zz} \end{bmatrix} \begin{bmatrix} \overline{\tau}_x \\ \overline{\tau}_y \\ \overline{\tau}_z \end{bmatrix}$$

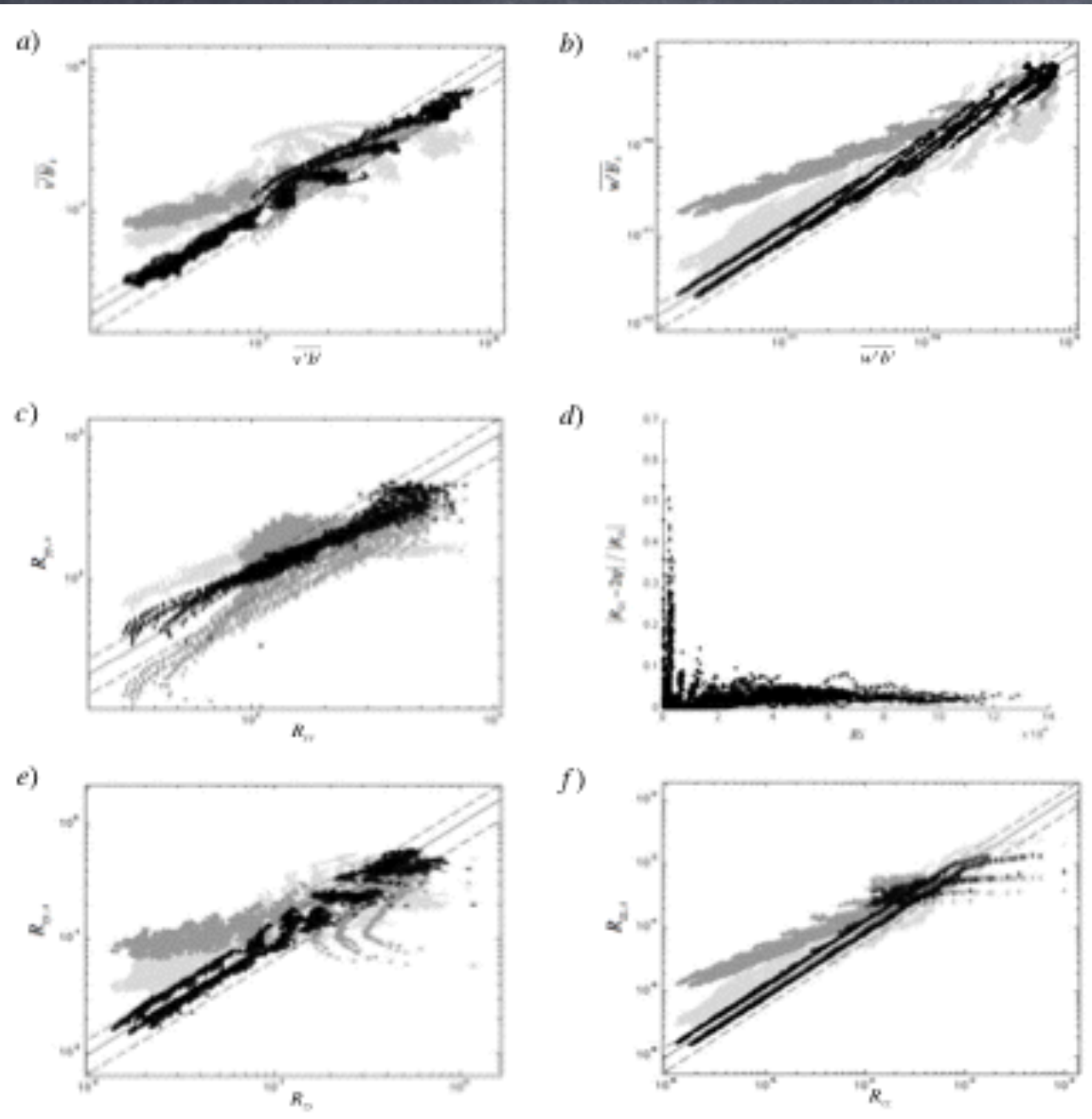




State of the art parameterizations
don't do very well!

Do better in idealized setting (Eady):

Bachman & F-K, OSM

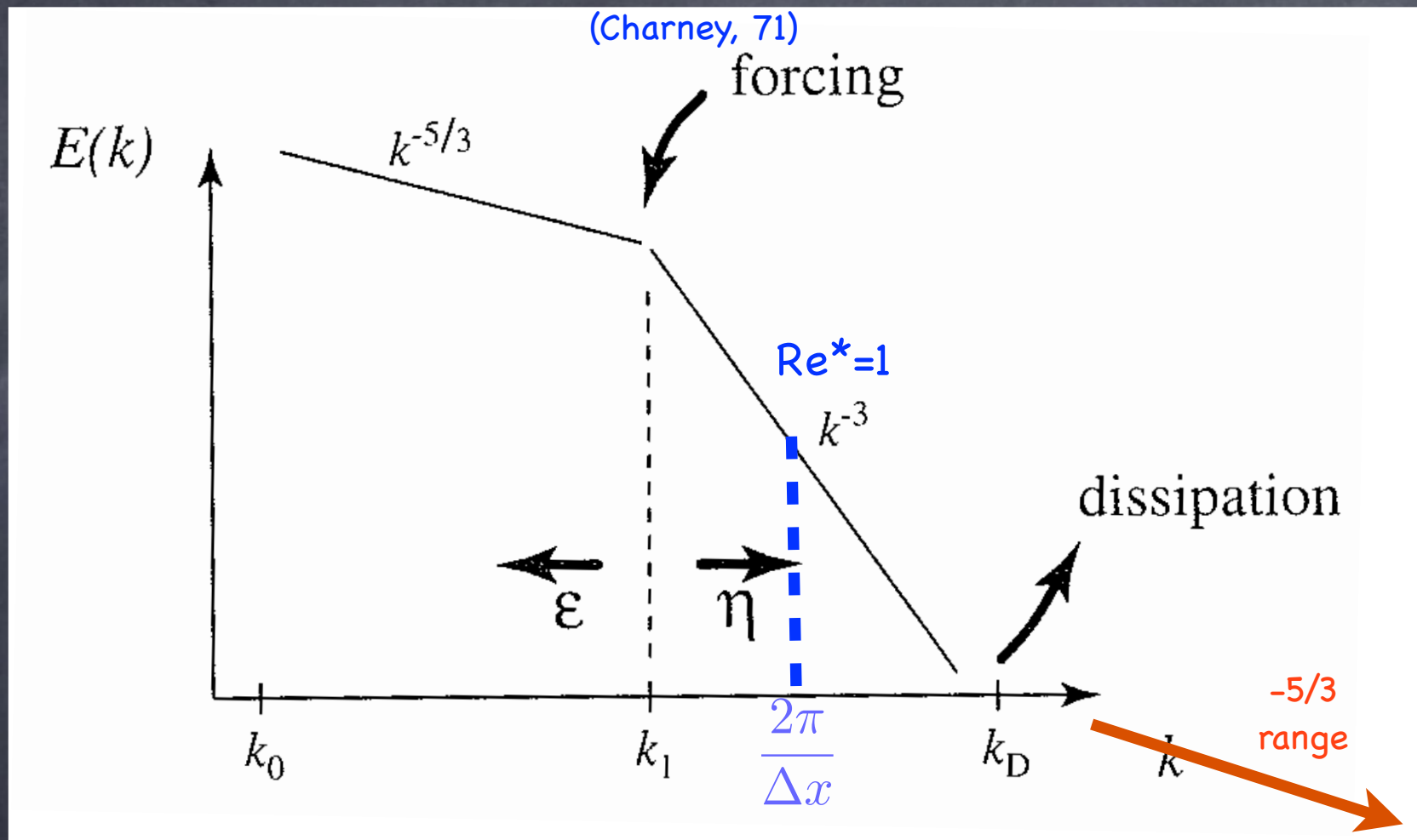


Eddy buoyancy
fluxes scaled
to within few %

GM $k = \text{Redi } k$
to within few %

All advective and
diffusive scaling
behaviors known

MOLES Turbulence Like Pot'l Enstrophy cascade, but divergent

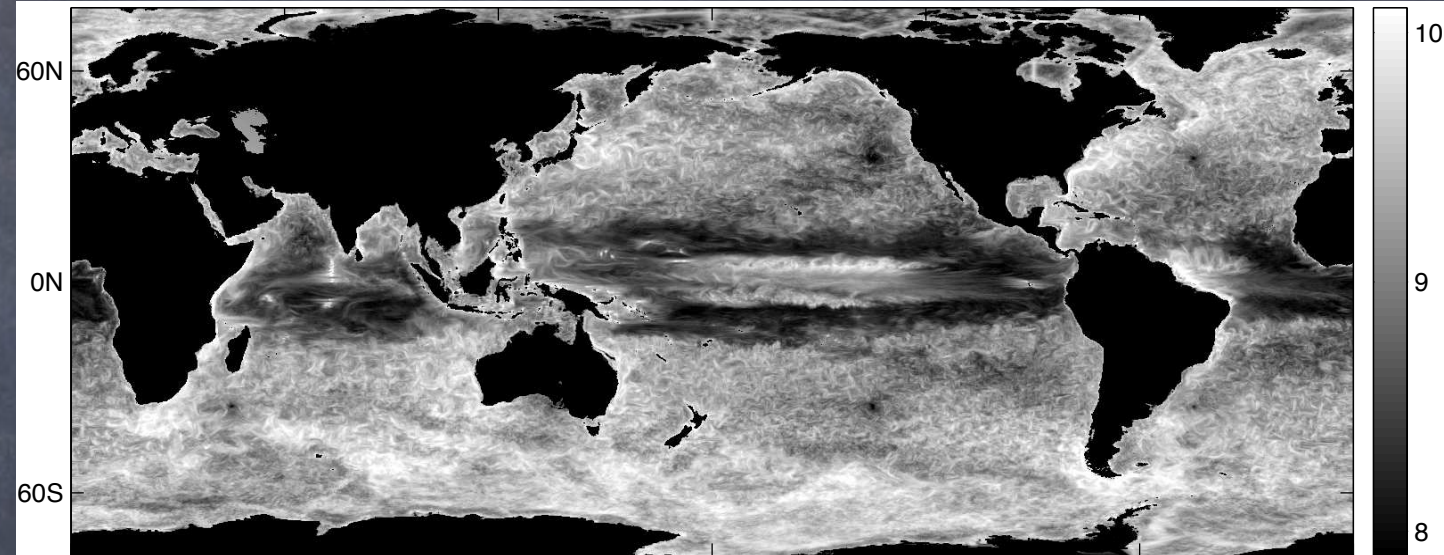


2008: F-K & Menemenlis Revise Leith Viscosity Scaling, So that diverging, vorticity-free, modes are also damped

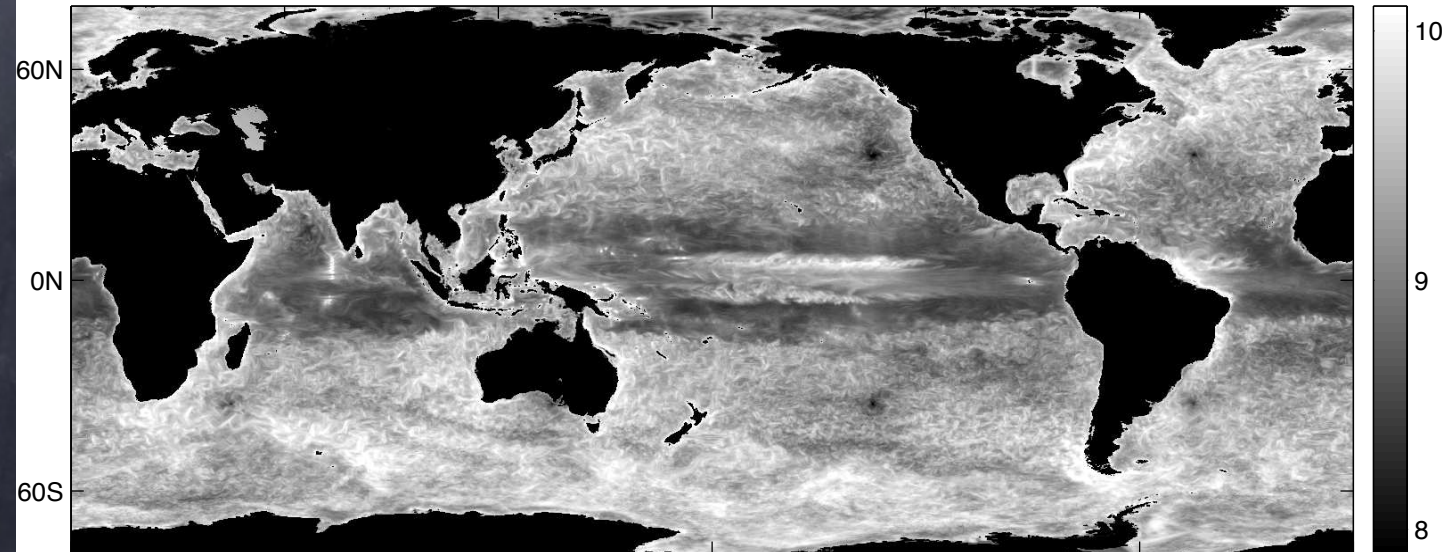
$$\nu_* = \left(\frac{\Delta x}{\pi}\right)^3 \sqrt{\Lambda^6 |\nabla_h q_{2d}|^2 + \Lambda_d^6 |\nabla_h (\nabla_h \cdot \mathbf{u}_*)|^2}$$

Makes viscosity a bit bigger, especially near Eq.

Leith



F-K&M



But matters a lot for stability!

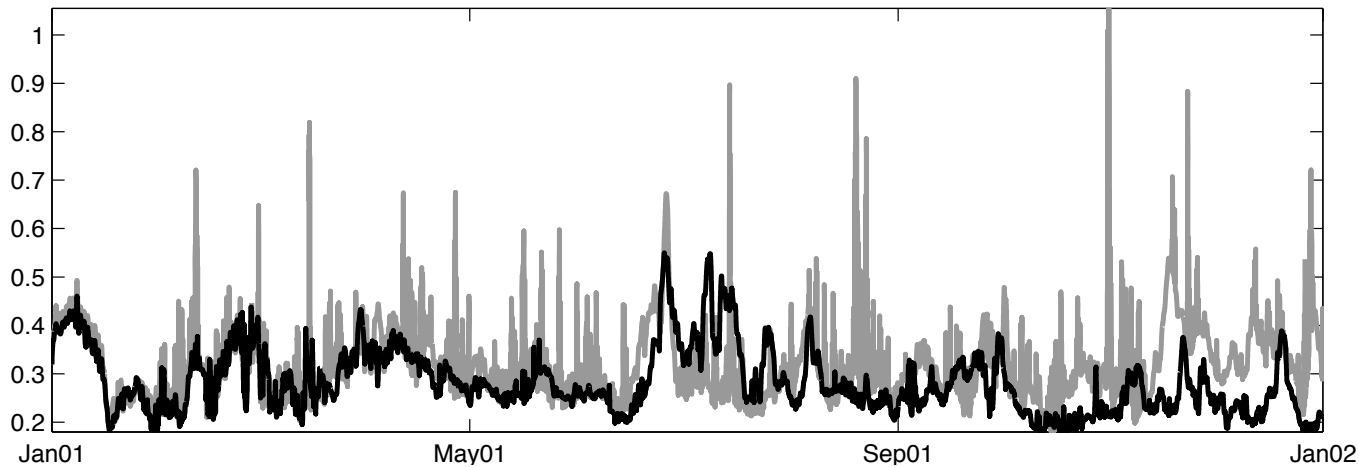
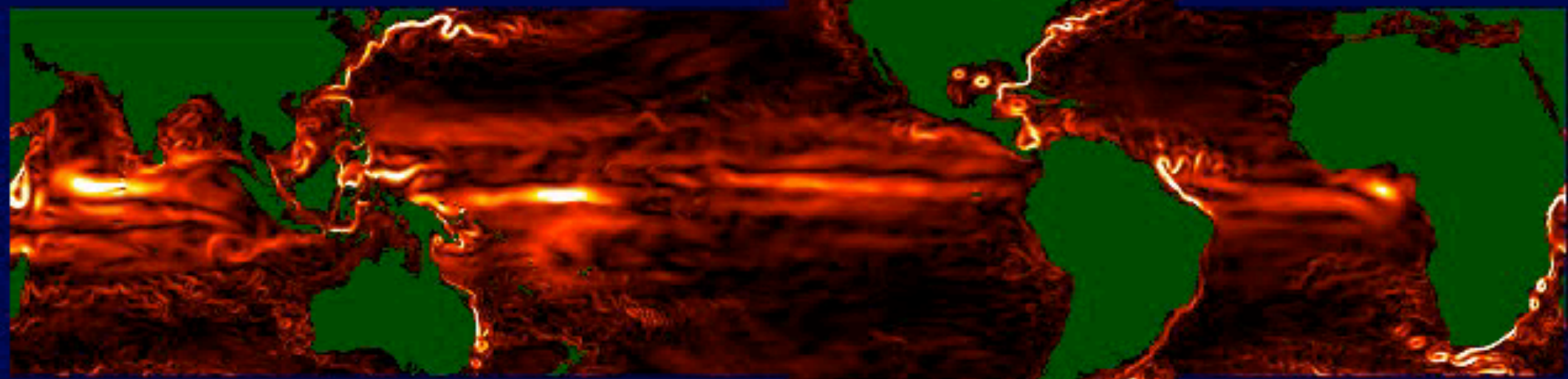


Figure 4. Maximum Courant number, $w\Delta t/\Delta z$, for vertical advection. Gray line is from the *LeithOnly* integration and black line is from the *LeithPlus* integration.



It works here!
Even with irregular grid!

**|v|@15m
m/s**



Jan

1993

But, do cascades exist in the ocean?

McCaffrey & F-K, OSM

Structure Function Results

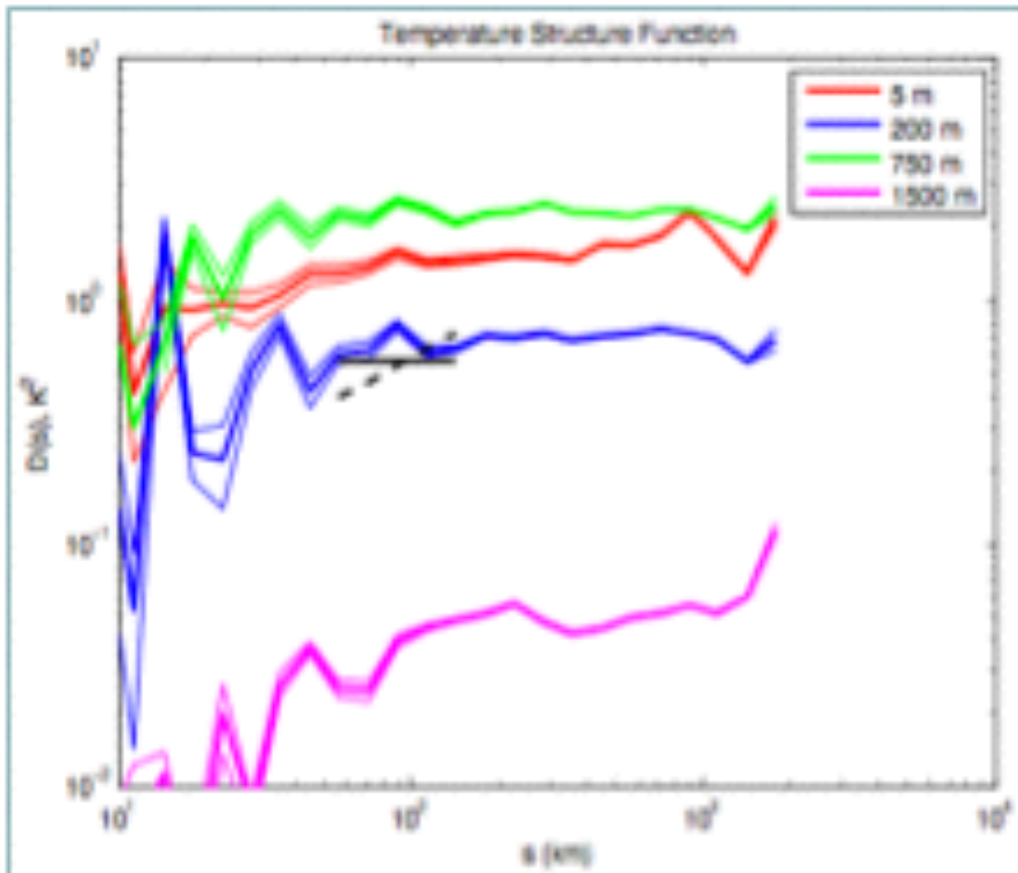


Figure 3: Structure function in south central Atlantic for 5, 200, 750, and 1500m. Also included are two black lines showing spectral slopes of 2/3 (dashed) and 0 (solid).

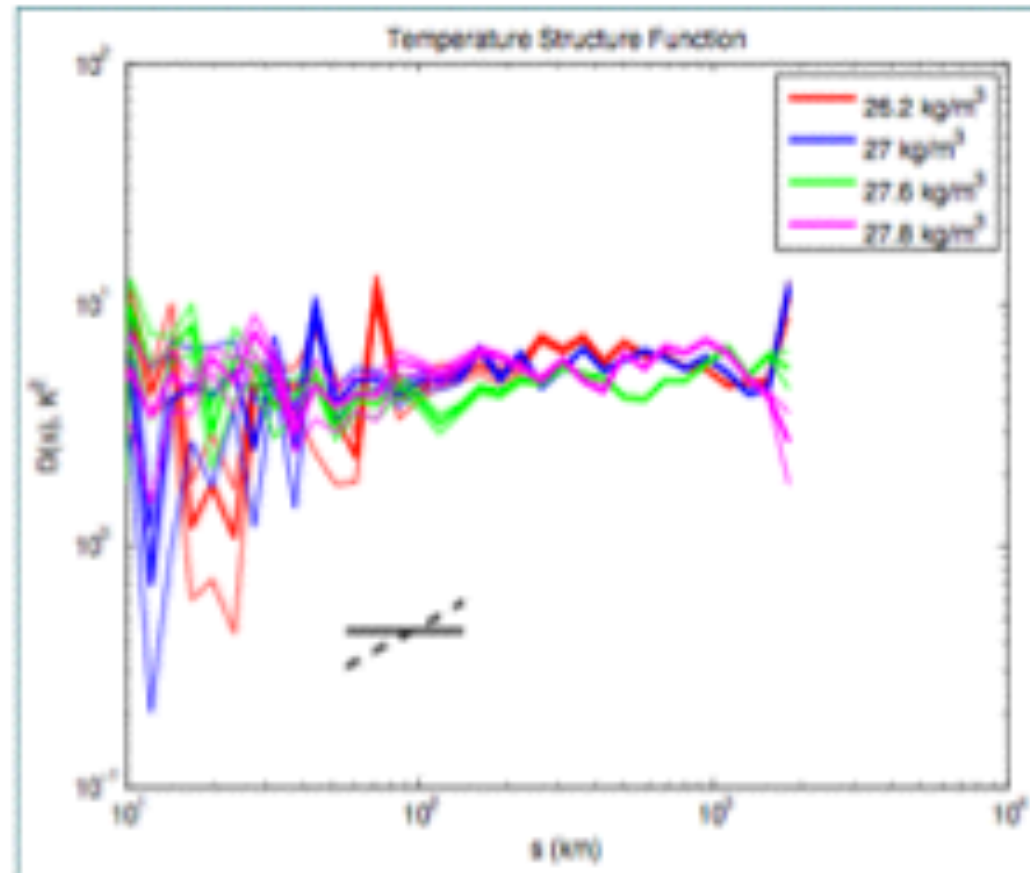
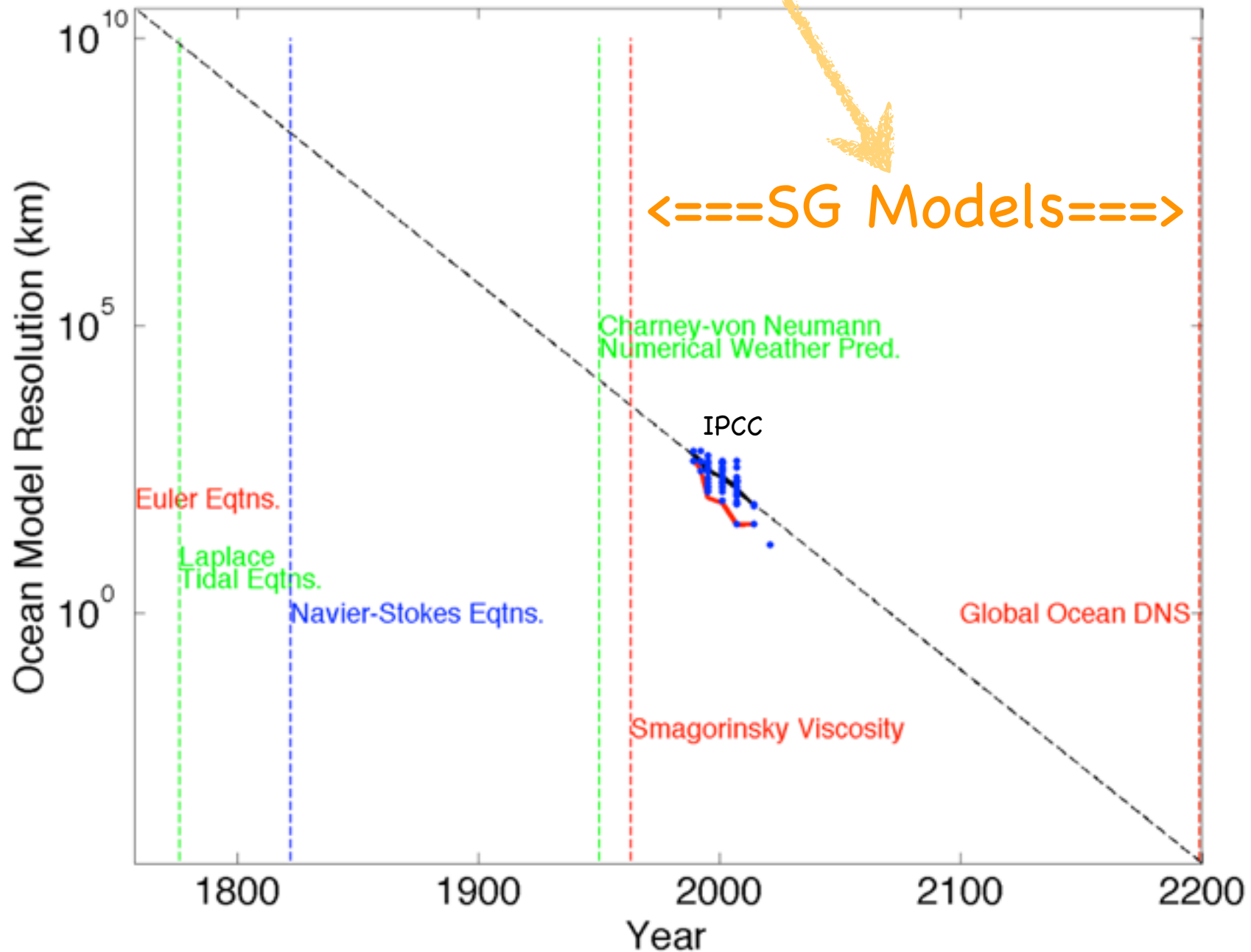


Figure 4: Structure function in the south central Atlantic for 26.2, 27, 27.6 and 27.8 kg/m³. Also included are two black lines showing spectral slopes of 2/3 (dashed) and 0 (solid).

Extrapolate for historical perspective: The Golden Era of Subgrid Modeling is Now!



Results

- Biases in climate model on annual to interannual timescales can be attributed (partly) to
 - Submesoscale mixed layer eddy restratification
 - Langmuir turbulence mixing
 - Mesoscale eddy mixing
- We have been improving parameterizations
- But much work remains--observational and paleo data validation is still crucial, but can't forecast...

All papers at: fox-kemper.com/research

B. Fox-Kemper, R. Lumpkin, and F. O. Bryan. Lateral Transport in the Ocean Interior. Siedler, Church, Gould, & Griffies, ed. *Ocean Circulation and Climate*, 2012, submitted.

B. Fox-Kemper, G. Danabasoglu, R. Ferrari, S. M. Griffies, R. W. Hallberg, M. M. Holland, M. E. Maltrud, S. Peacock, and B. L. Samuels. Parameterization of mixed layer eddies. III: Implementation and impact in global ocean climate simulations. *Ocean Modelling*, 39:61-78, 2011.

A. Webb and B. Fox-Kemper. Wave spectral moments and Stokes drift estimation. *Ocean Modelling*, 40(3-4):273-288, 2011

L. Van Roekel, B. Fox-Kemper, P. P. Sullivan, P. E. Hamlington, and S. R. Haney. The form and orientation of Langmuir cells for misaligned winds and waves. *Journal of Geophysical Research-Oceans*, 2012. In press.

S. C. Bates, B. Fox-Kemper, S. R. Jayne, W. G. Large, S. Stevenson, and S. G. Yeager. Mean biases, variability, and trends in air-sea fluxes and SST in the CCSM4. *Journal of Climate*, 2012. Submitted.

L. Cavaleri, B. Fox-Kemper, and M. Hemer. Wind waves in the coupled climate system. *Bulletin of the American Meteorological Society*, 2012. In press.

Climate Forecasts (IPCC/CMIP Runs) have a very coarse ocean gridscale (>100km)

