



Observations and models of

oceanic macroturbulence:

meet the new bias same as the old bias

Baylor Fox-Kemper (Brown U.)

with

Brodie Pearson (Brown), Scott D. Bachman (NCAR), Frank O. Bryan (NCAR), Jenna Pearson (Brown), Valentin Resseguier (L@b SCALIAN)

AGU Nonlinear Geophysics, 12/13/18, 9AM

Sponsors: NSF (OCE 1350795), ONR (N00014-17-1-2963), CARTHE



Old Bias—Reynolds Avg.—LowRes

- Questionable eddy parameterizations
- Not much data to assess them
- Diversity of approaches, no cross-evaluation
- Unclear relationship of key impacts to params.

New Bias—Large Eddy Sims. (LES)

- Questionable subgrid parameterizations
- Not much data to assess them
- Diversity of approaches, no cross-evaluation
- Unclear relationship of key impacts to params.

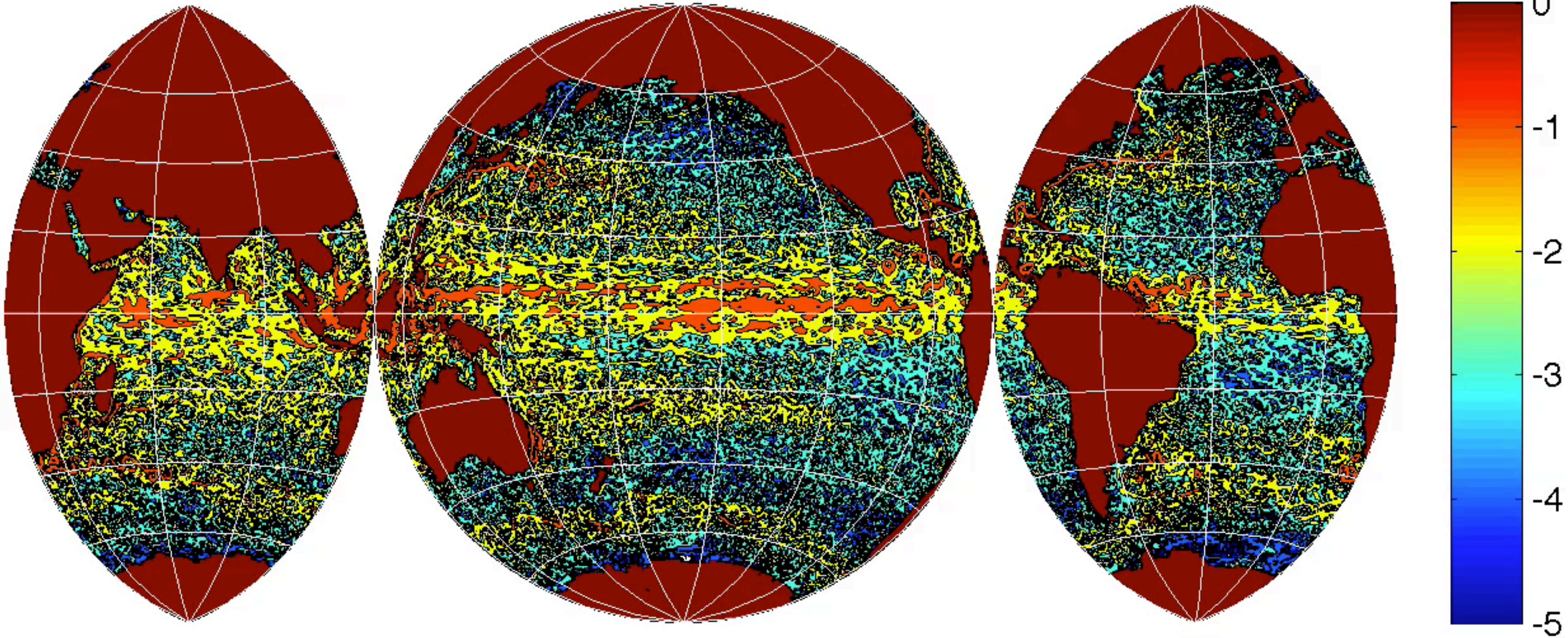
Largest (Mesoscale) Ocean Eddies are Small vs. Earth



Regional Studies—Model & Obs—

Like CARTHE LASER good for exploring

AVISO: $\log_{10}(0.5 (u^2 + v^2))$ on 19940101

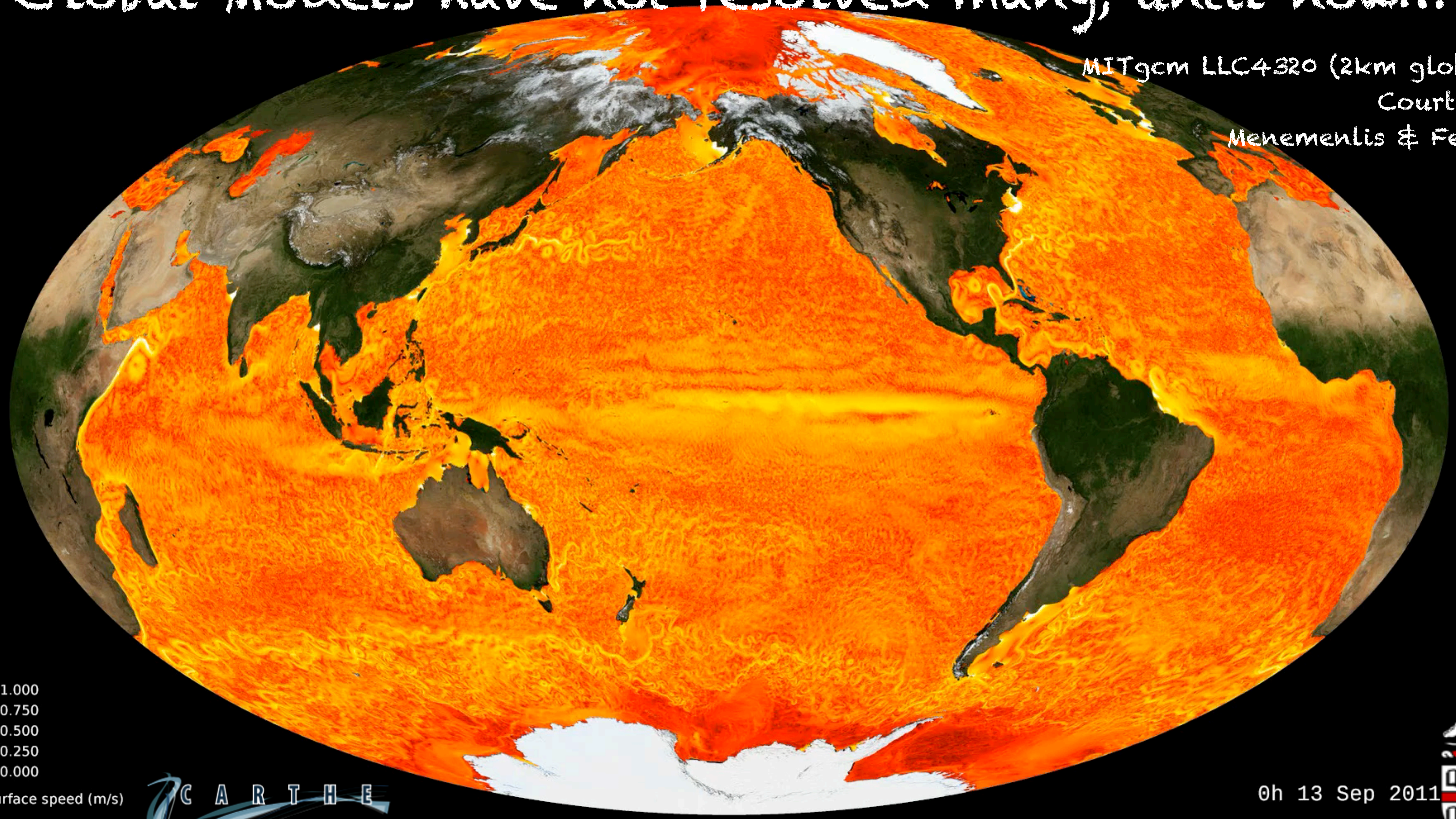


Global Models have not resolved many, until now...

MITgem LLC4320 (2km global)

Courtesy:

Menemenlis & Fenty



1.000
0.750
0.500
0.250
0.000

Surface speed (m/s)



0h 13 Sep 2011



Absent realistic global models,
We studied "Cascade" Scalings



3D: Richardson/Kolmogorov/Smagorinsky/Corrsin

$$E \propto \epsilon^{2/3} \ell^{5/3}, \quad S_2 \propto \epsilon^{2/3} r^{2/3}, \quad \epsilon \propto \nu \alpha^2, \quad \nu = \text{Pr} \kappa \propto \Delta x^2 |\alpha| \propto \epsilon^{1/3} \ell^{4/3}$$

2D: Barnier/Kraichnan/Leith

$$E \propto \eta^{2/3} \ell^3, \quad S_2 \propto \eta^{2/3} r^2, \quad \eta \propto \nu (\nabla \omega)^2, \quad \nu \propto \Delta x^3 |\nabla \omega| \propto \eta^{1/3} \ell^2, \quad \kappa \propto ?$$

Quasigeostrophy: Barnier/Charney/QGLEith

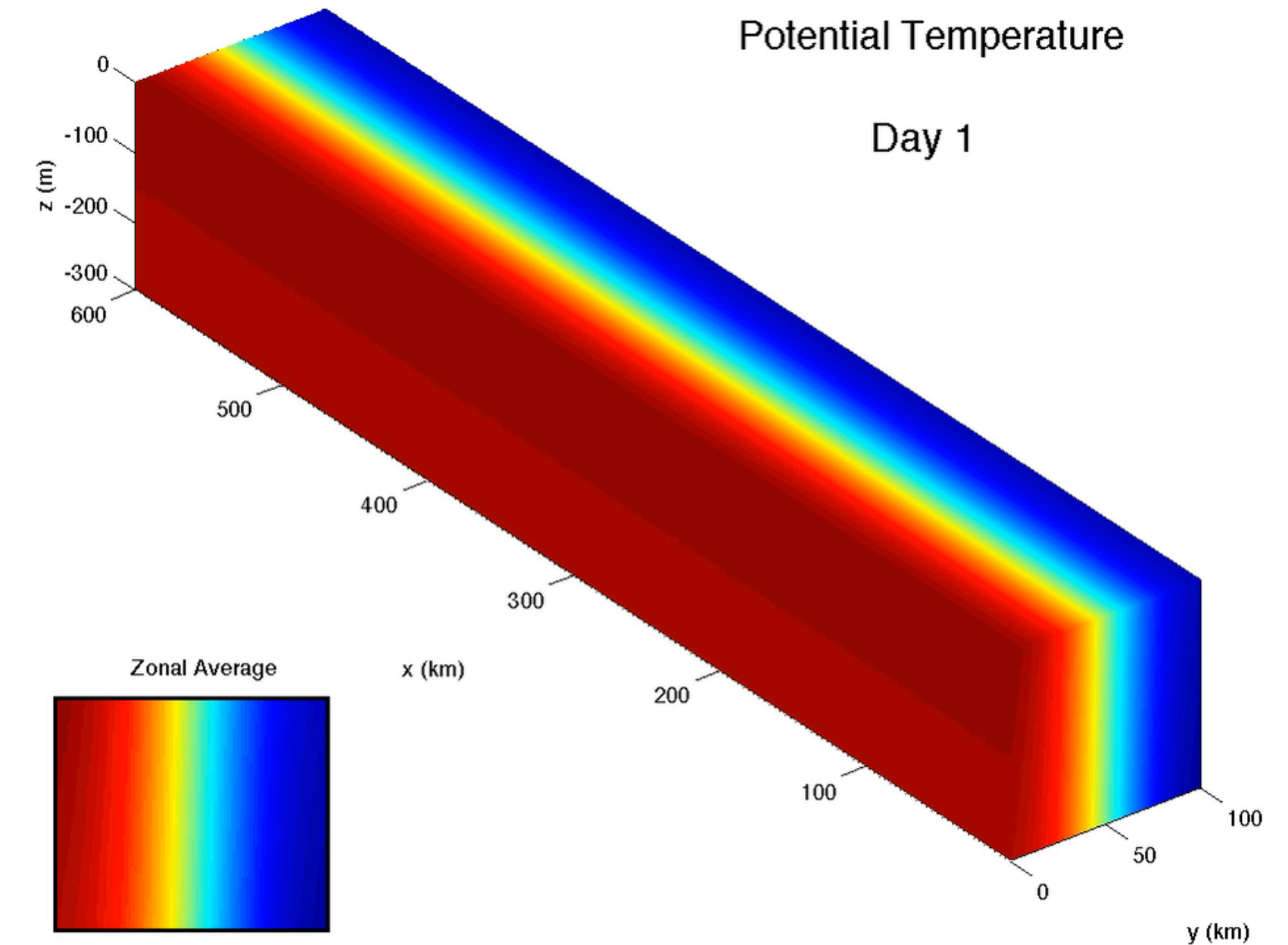
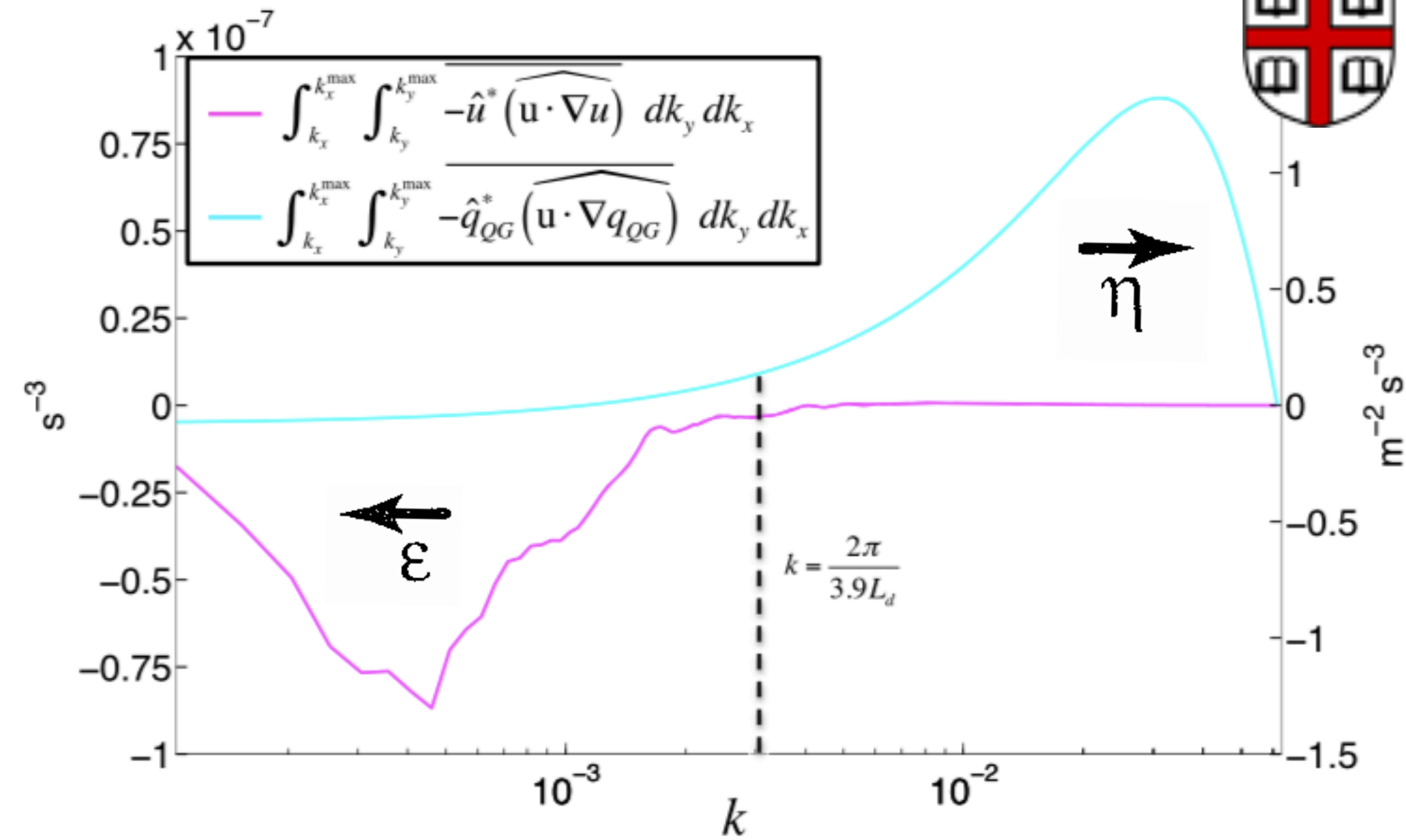
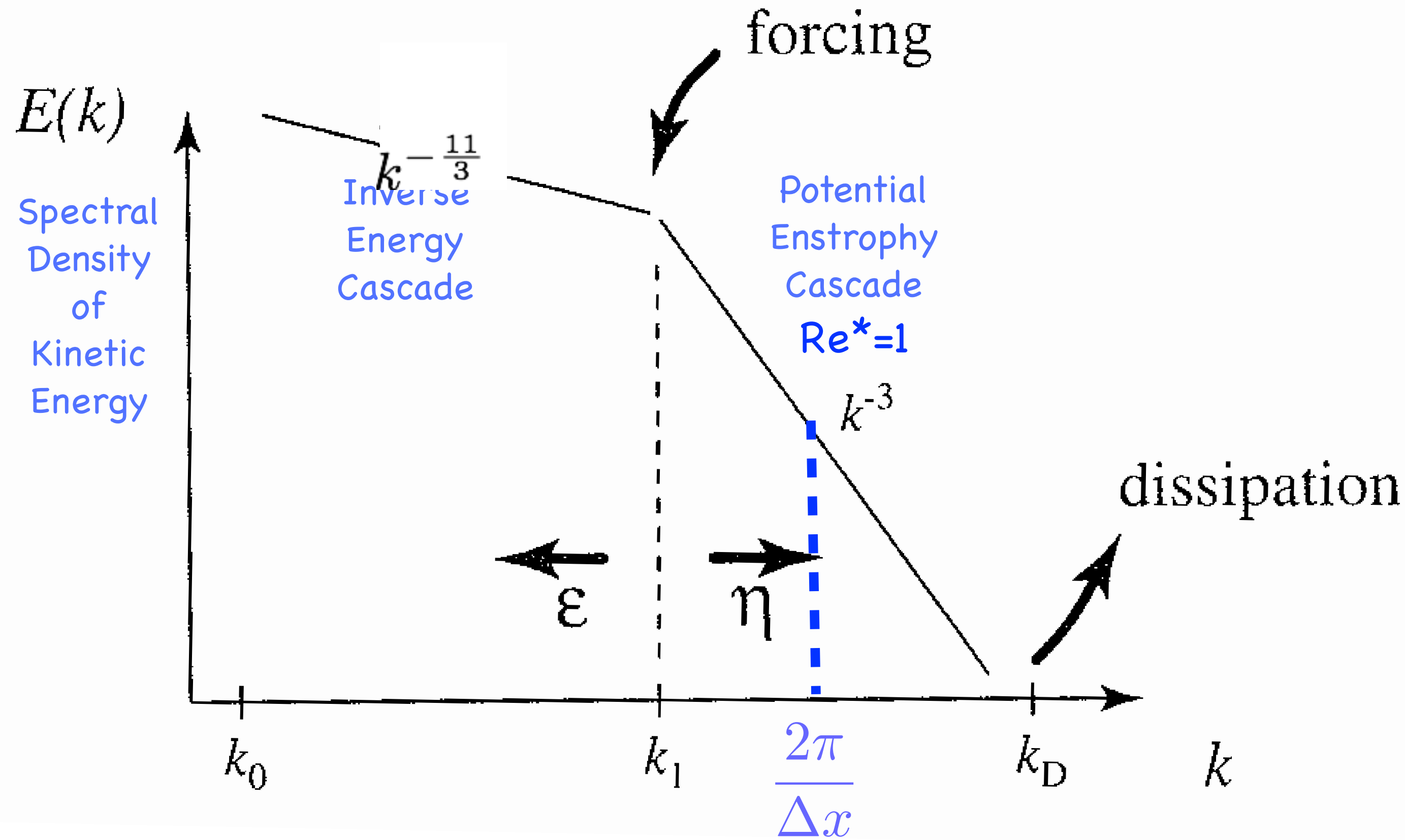
SQG?

$$E \propto \eta^{2/3} \ell^3, \quad S_2 \propto \eta^{2/3} r^2, \quad \eta \propto \nu (\nabla q)^2, \quad \nu = \kappa_{Redi} = k_{GM} \propto \Delta x^3 |\nabla q| \propto \eta^{1/3} \ell^2$$

Submesoscale: McWilliams/?/?F-K?

$$E \propto \ell^2, \quad S_2 \propto r^1, \quad d/dt(PE + KE) = ??, \quad \nu = ?, \quad \kappa = ?$$

QG Turbulence: Pot'l Enstrophy cascade (potential vorticity²)

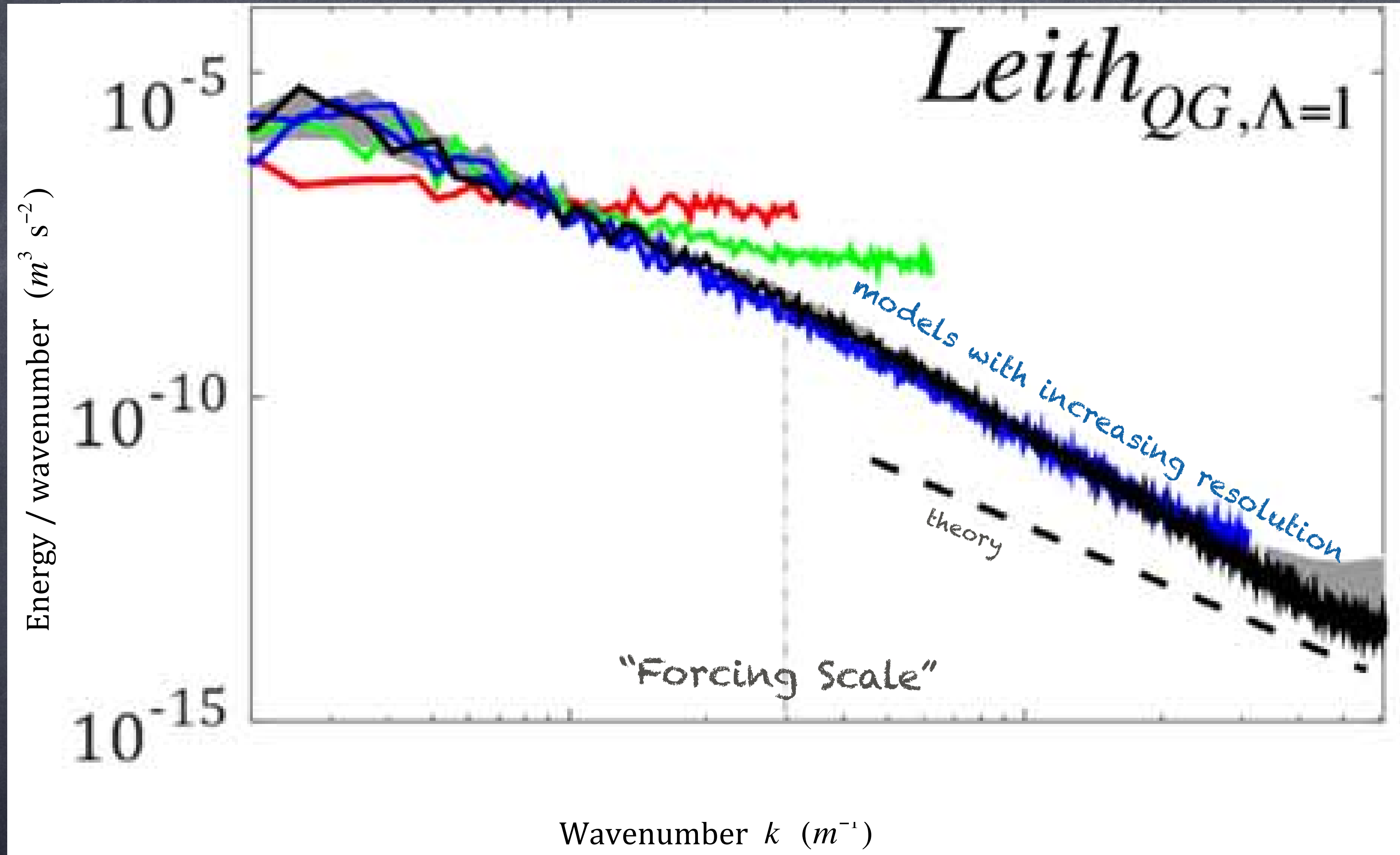


S. D. Bachman, B. Fox-Kemper, and B. Pearson. A scale-aware subgrid model for quasigeostrophic turbulence. *Journal of Geophysical Research-Oceans*, 122:1529-1554, March 2017.

BFK, D. D. Holm, W. Pan and V. Resseguier. Data-driven versus self-similar parameterizations for Stochastic Lie Transport and Location Uncertainty. In preparation.

Where does ocean energy go?

Spectrally speaking



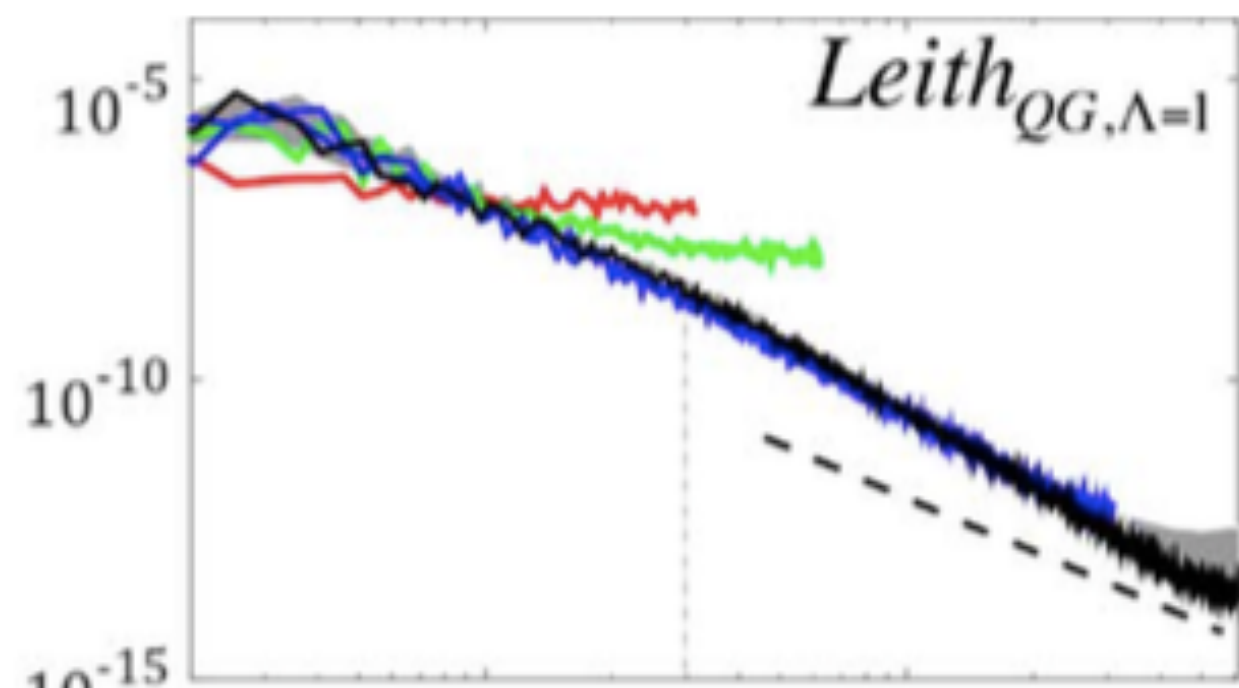
S. D. Bachman, B. Fox-Kemper, and B. Pearson, 2017: A scale-aware subgrid model for quasi-geostrophic turbulence. *Journal of Geophysical Research—Oceans*, 122:1529–1554. URL <http://dx.doi.org/10.1002/2016JC012265>.

Where does ocean energy go?

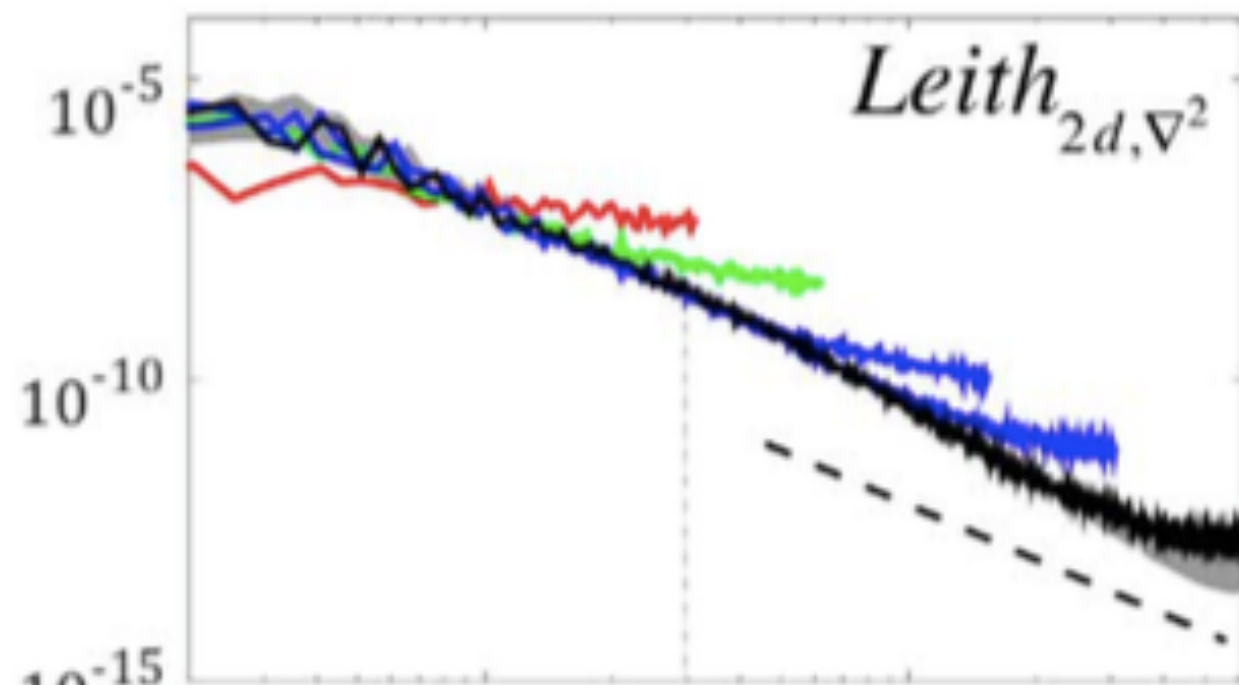
Spectrally speaking



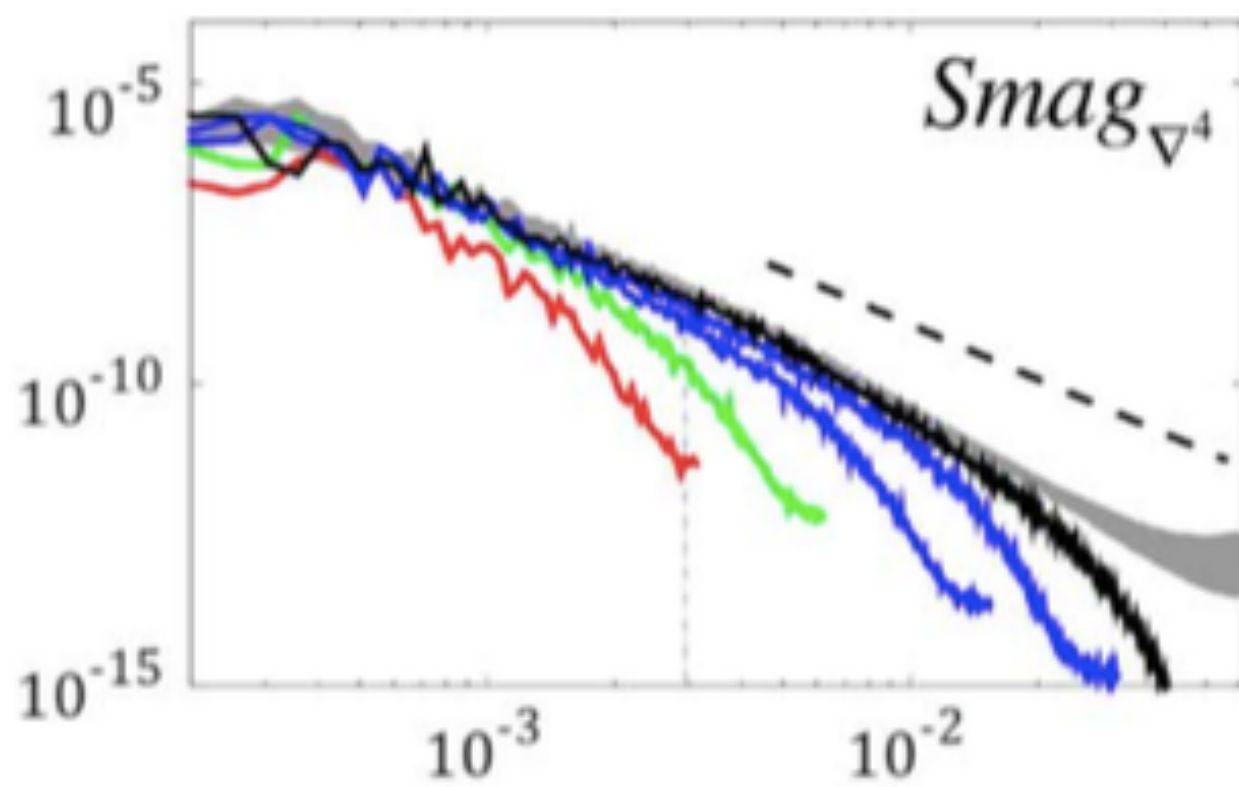
Energy / wavenumber ($m^3 s^{-2}$)



QG Leith:
Just Right!

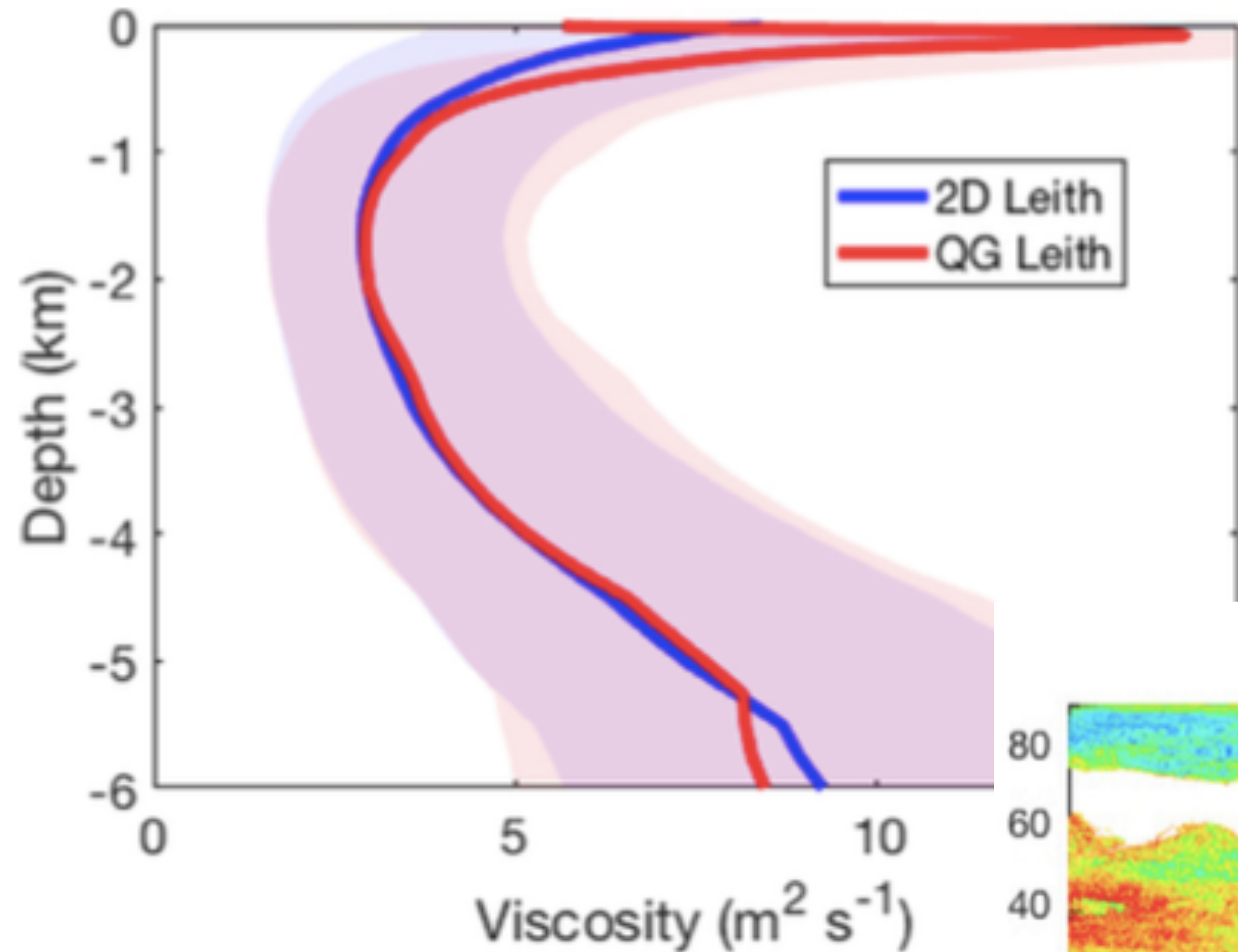


2D Leith:
Too Noisy

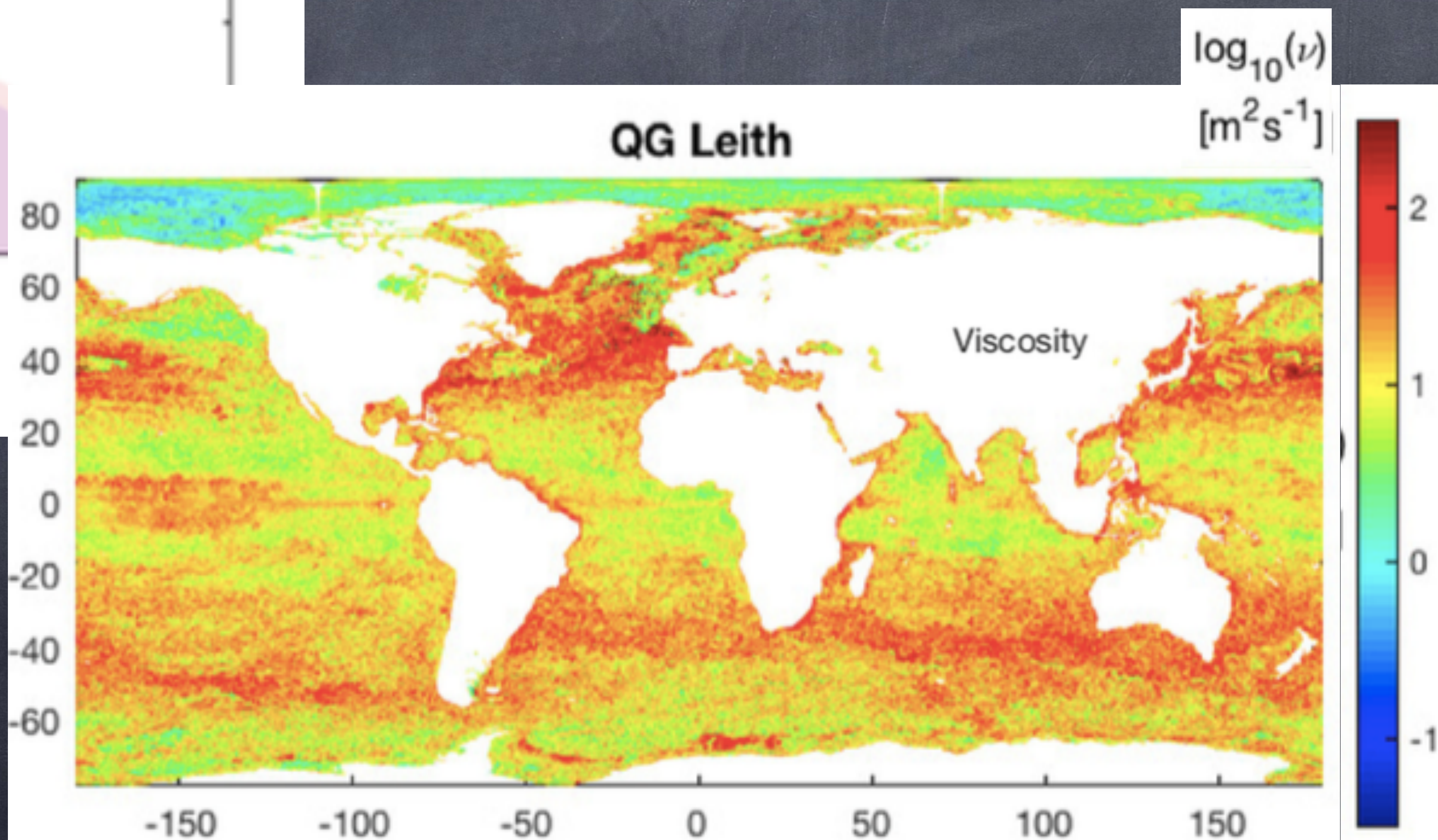


3D Smagorinsky:
Too Smooth

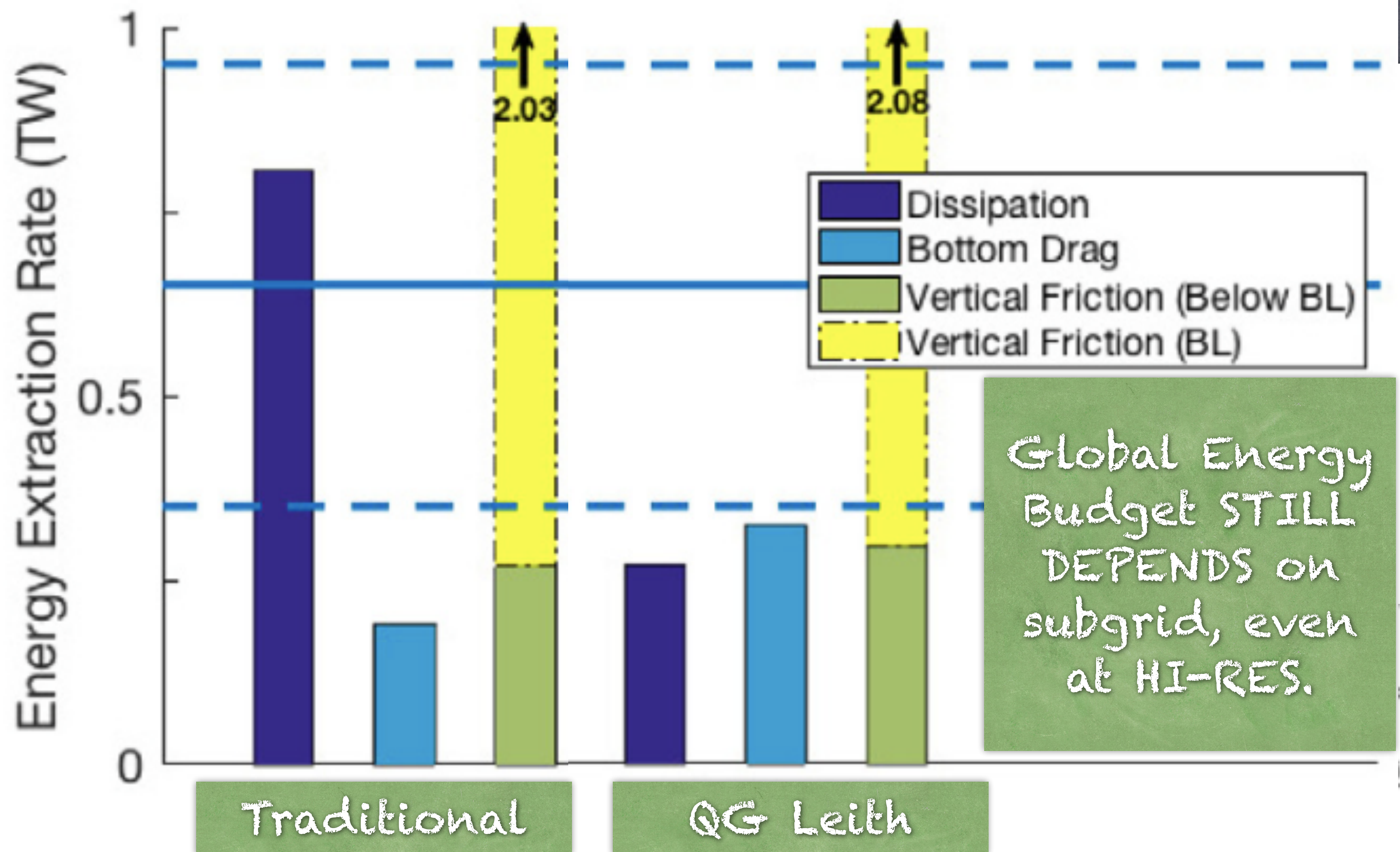




QG Leith:
Works OK in an idealized flow:
Let's try it in a realistic, global
model!

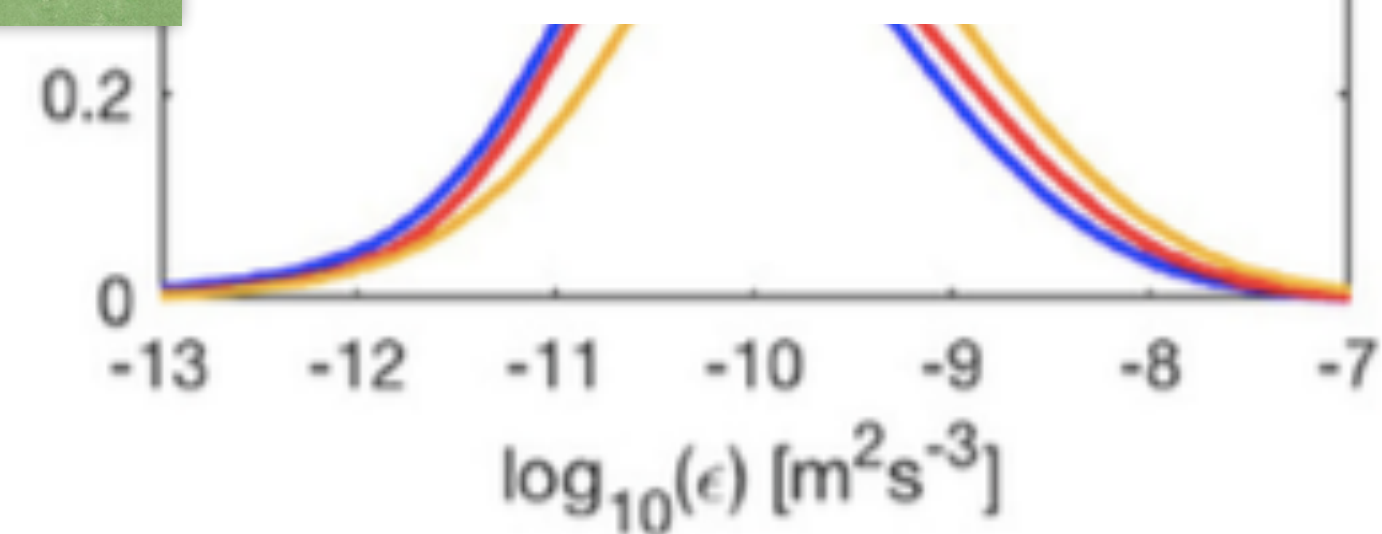


B. Pearson, BFK, S. D. Bachman, and F. O. Bryan, 2017: Evaluation of scale-aware subgrid mesoscale eddy models in a global eddy-rich model. *Ocean Modelling*, 115:42–58.

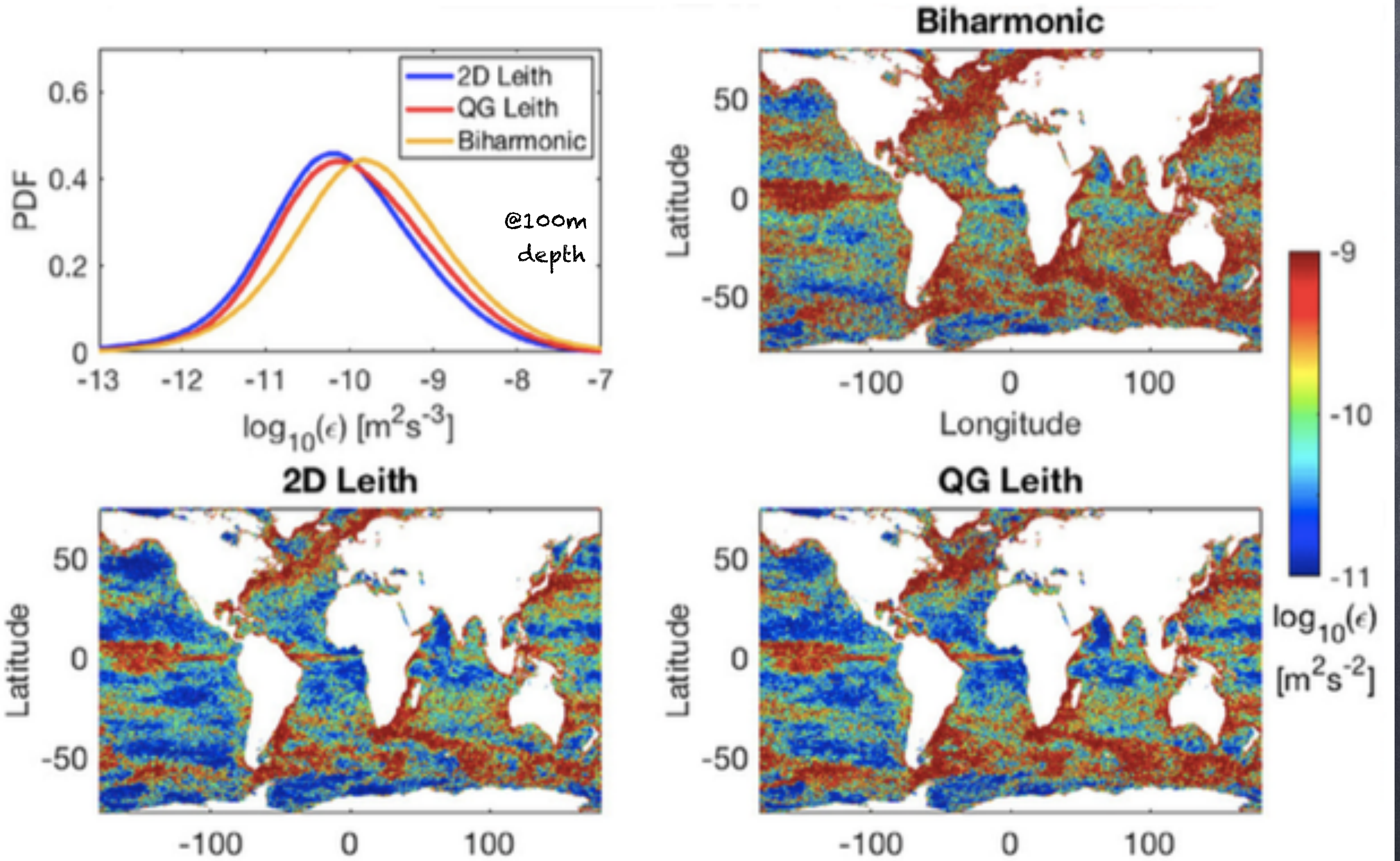


(most in upper 200m)

B. Pearson, BFK, S. D. Bachman, and F. O. Bryan, 2017: Evaluation of scale-aware subgrid mesoscale eddy models in a global eddy-rich model. *Ocean Modelling*, 115:42–58.



Energy Dissipation is Approx. Lognormally distributed—
AND knows where the Gulf Stream is!



Energy Dissipation Stats are Self-Similar

A (weak)
dissipation of
energy
with pot'l
enstrophy
cascade

...

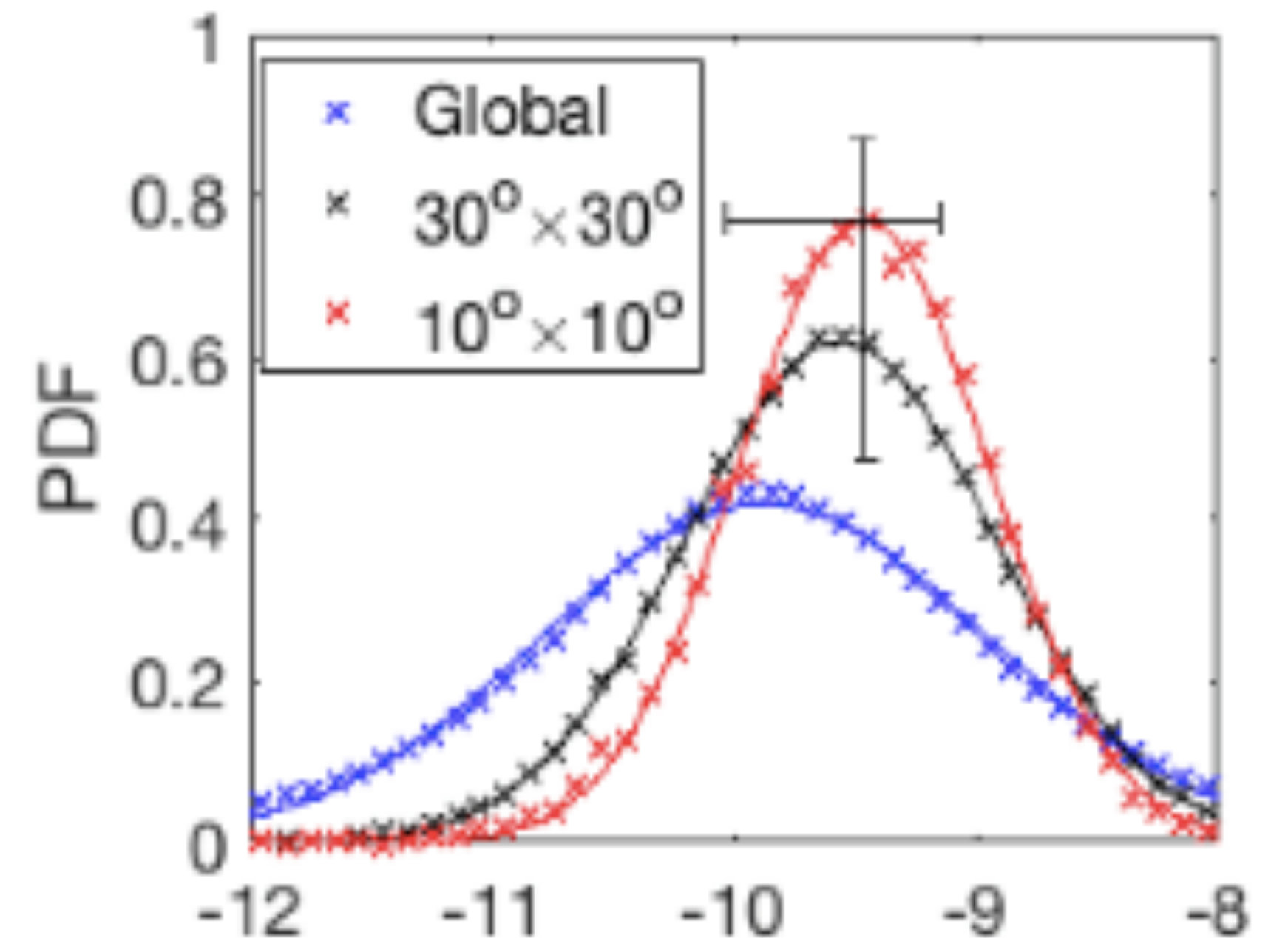
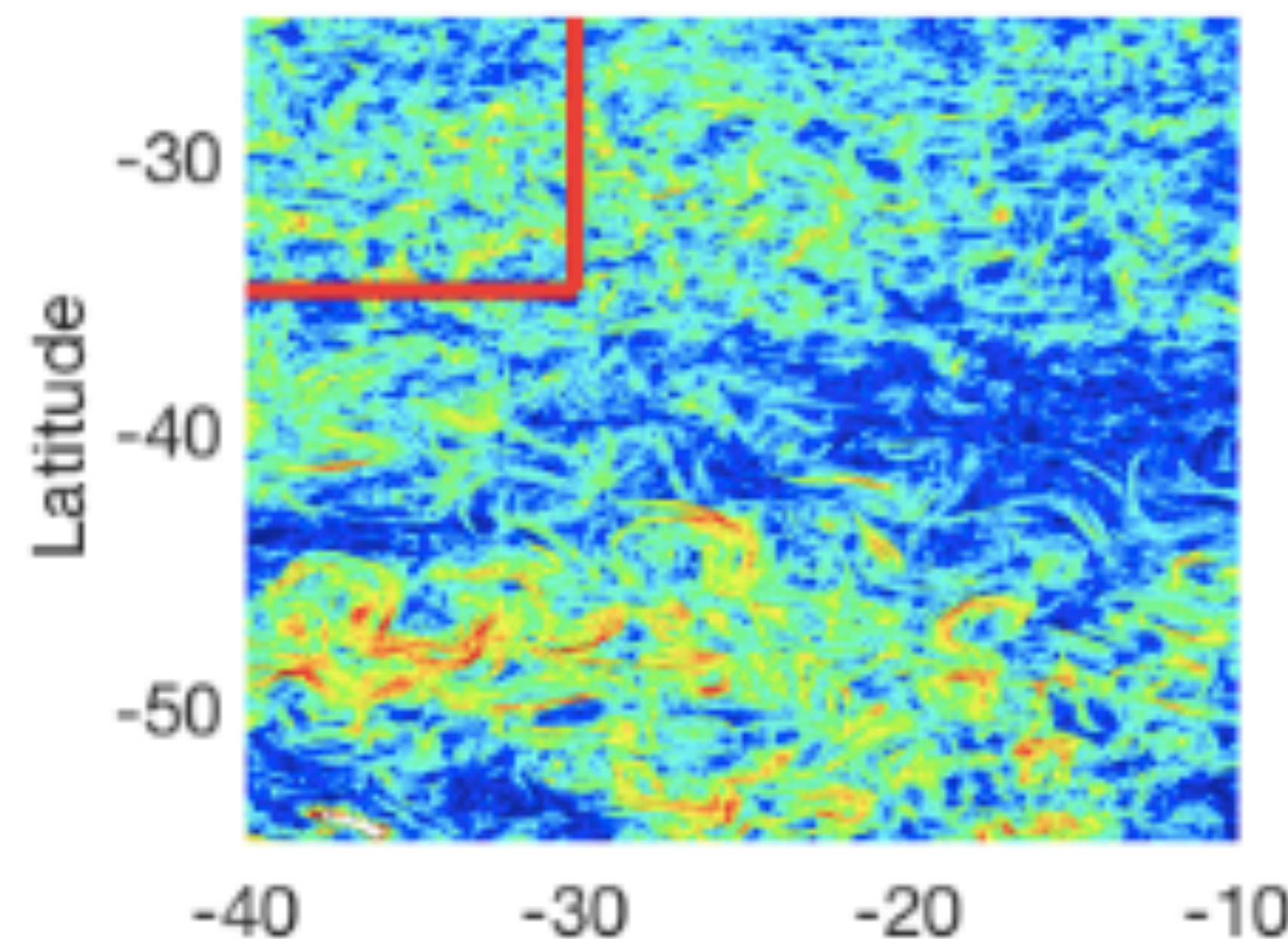
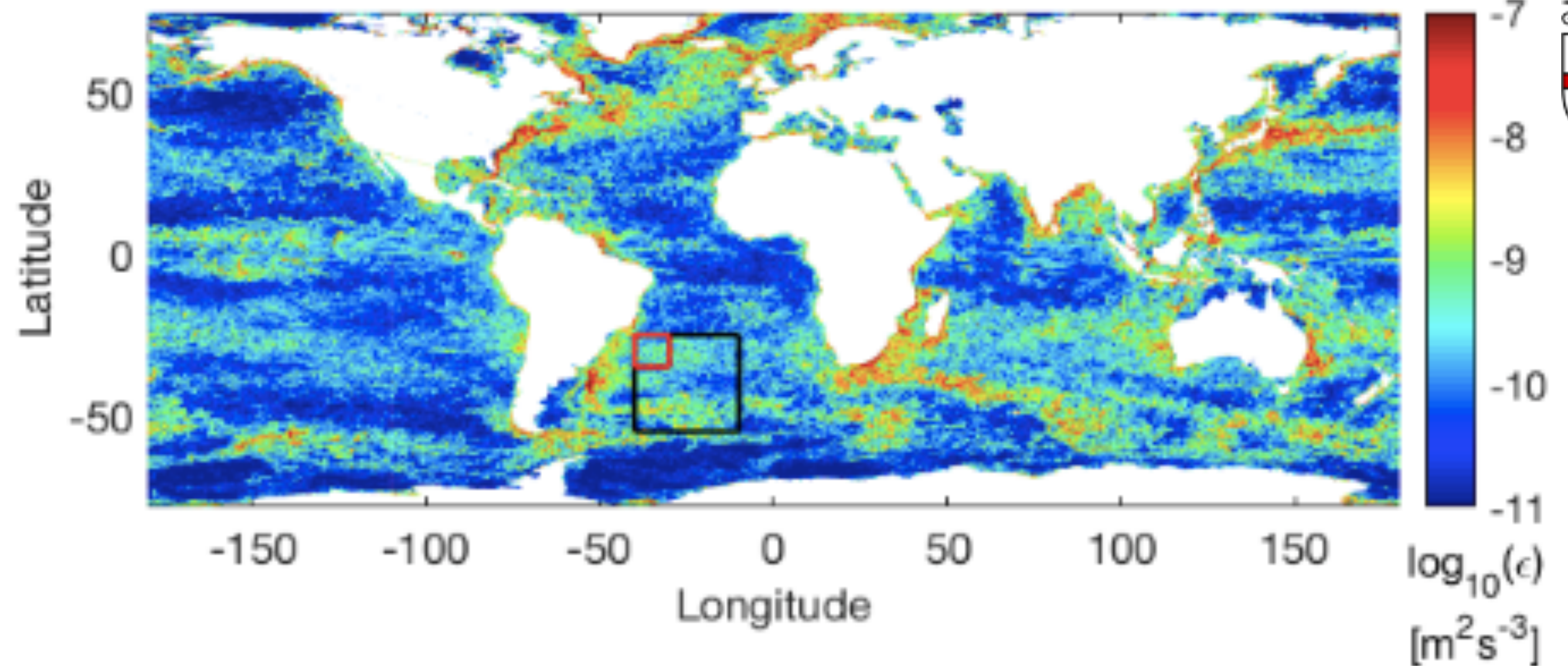
approx.
lognormally
distributed

(super-Yaglom '66)

...

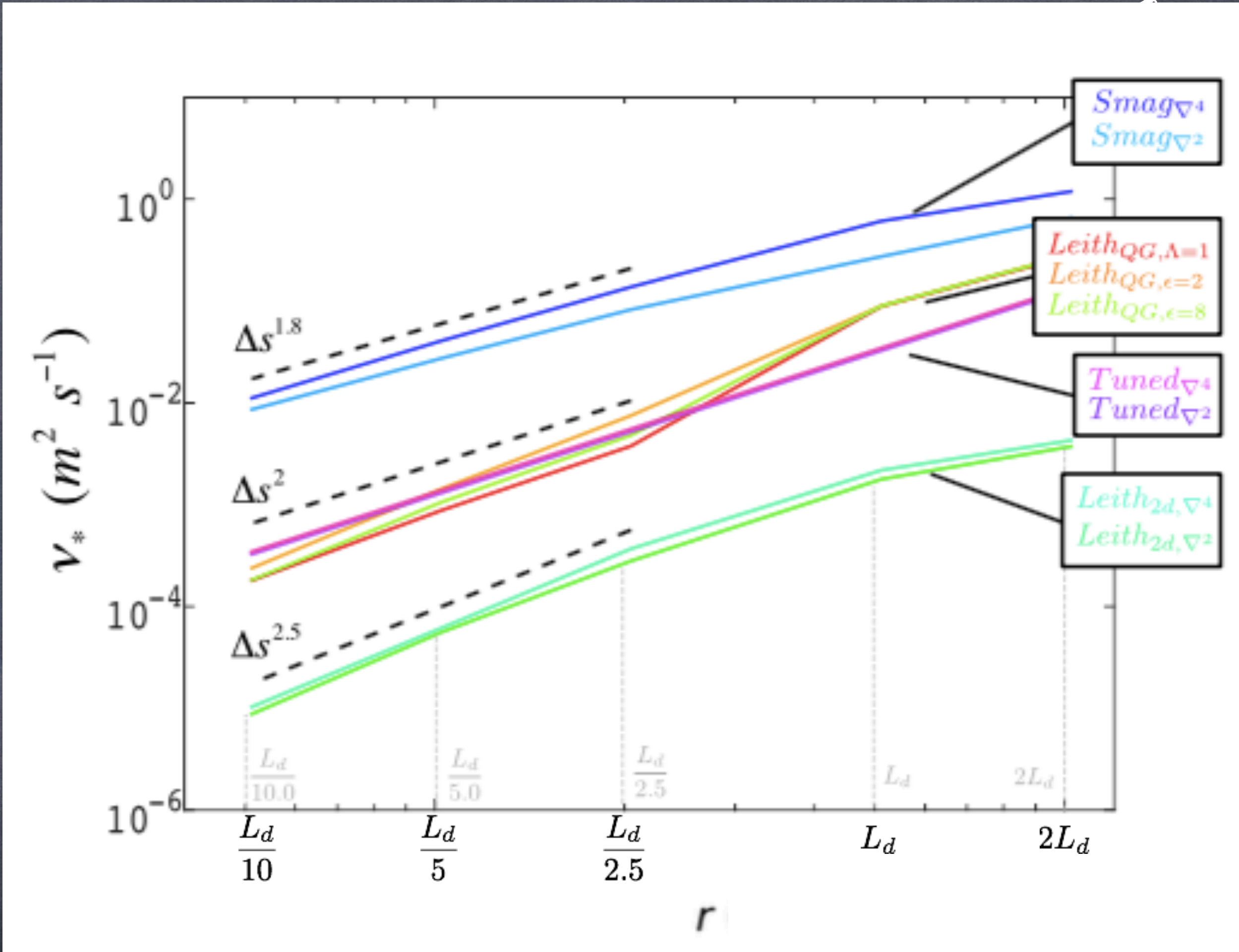
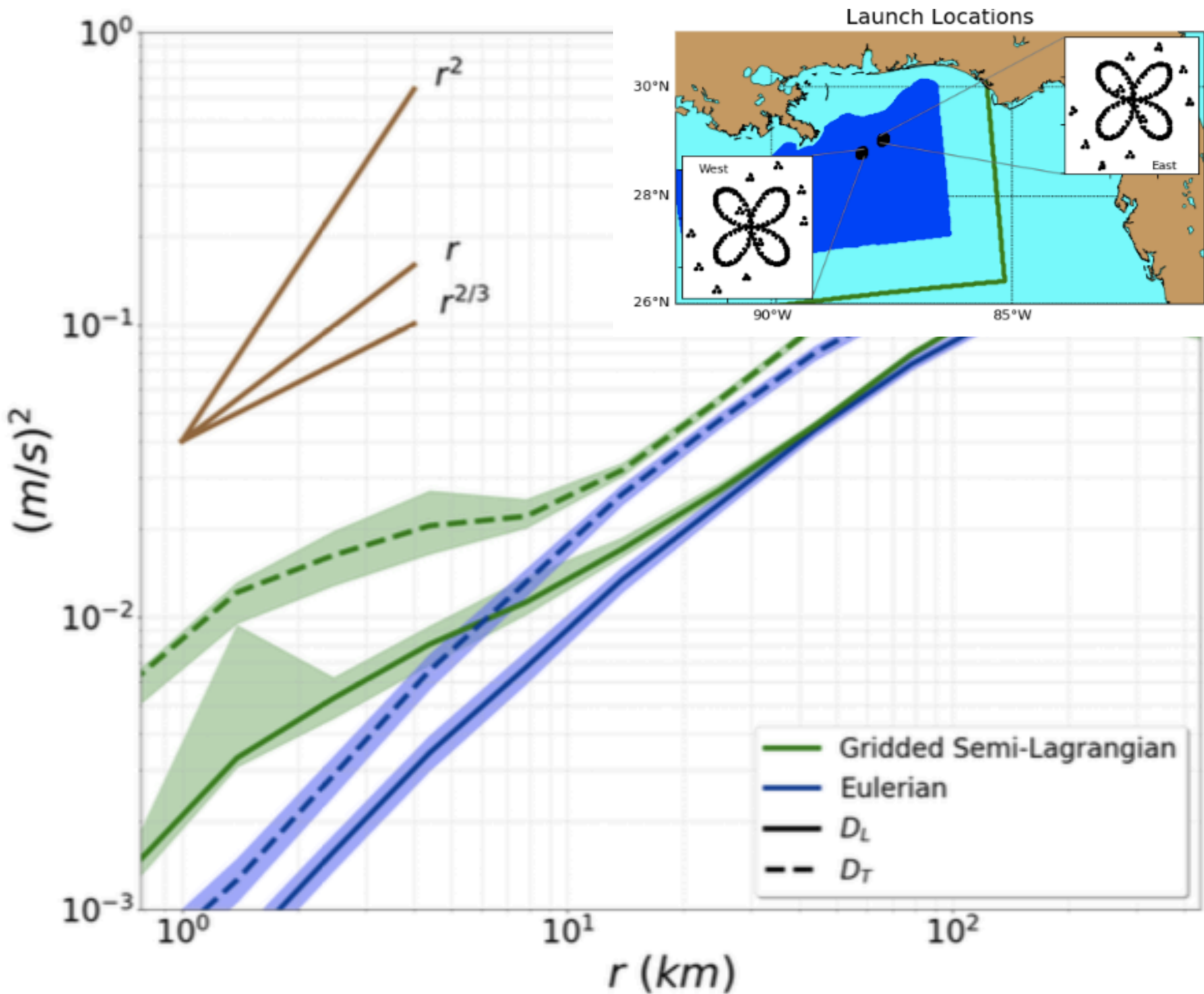
90% of KE
dissipation in
10% of ocean

B. Pearson and BFK. Log-normal
turbulence dissipation in global
ocean models. Physical Review
Letters, 120(9):094501, March 2018.



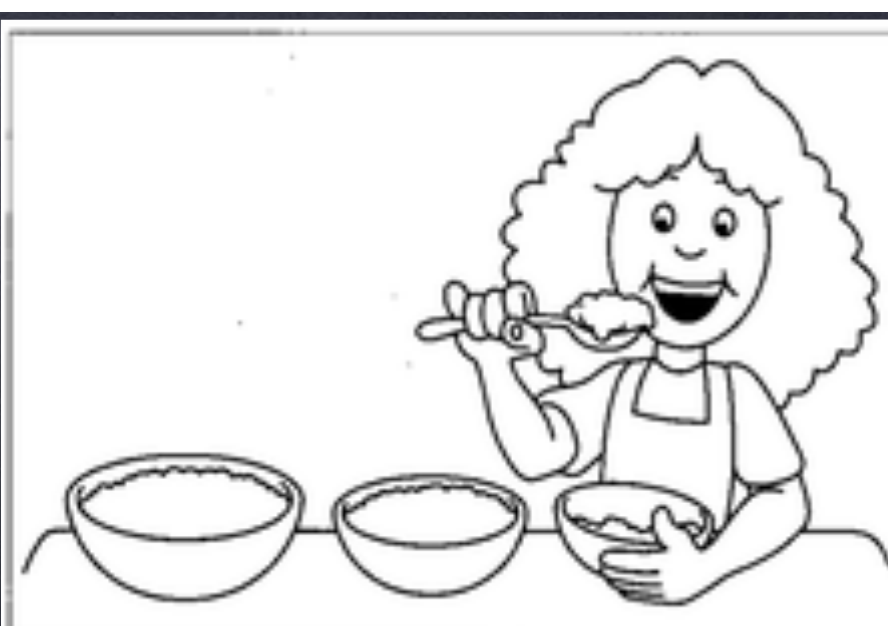
'Observed' scale-sensitivity?

Gridded Semi-Lagrangian and Eulerian Second Order Structure Functions



Some Theory/Model combos are inconsistent (e.g., Smagorinsky in a QG regime)

S. D. Bachman, B. Fox-Kemper, and B. Pearson, 2017: A scale-aware subgrid model for quasi-geostrophic turbulence. Journal of Geophysical Research—Oceans, 122:1529–1554.



J. Pearson, B. Fox-Kemper, R. Barkan, J. Choi, A. Bracco, and J. C. McWilliams. Impacts of convergence on Lagrangian statistics in the Gulf of Mexico. Journal of Physical Oceanography, February 2018. Submitted.



Under "Cascade" Scalings,
new bias is a little different

Following Smagorinsky's 3D approach, we built schemes suitable for mesoscale-permitting ocean models, where 2D or QG cascades rule.

In these models, energy is dissipated nearly lognormally, like 3D turbulence, but for quite different reasons

Lognormal dissipation, together with limited observing platforms (e.g., drifters), makes observing dissipation & scalings challenging.

Some of the models & obs. don't obey a cascade—still work to do!